

Resonant Inelastic X-ray Scattering (RIXS): Introduction and Applications

Jonathan Pellicciari



Outline:

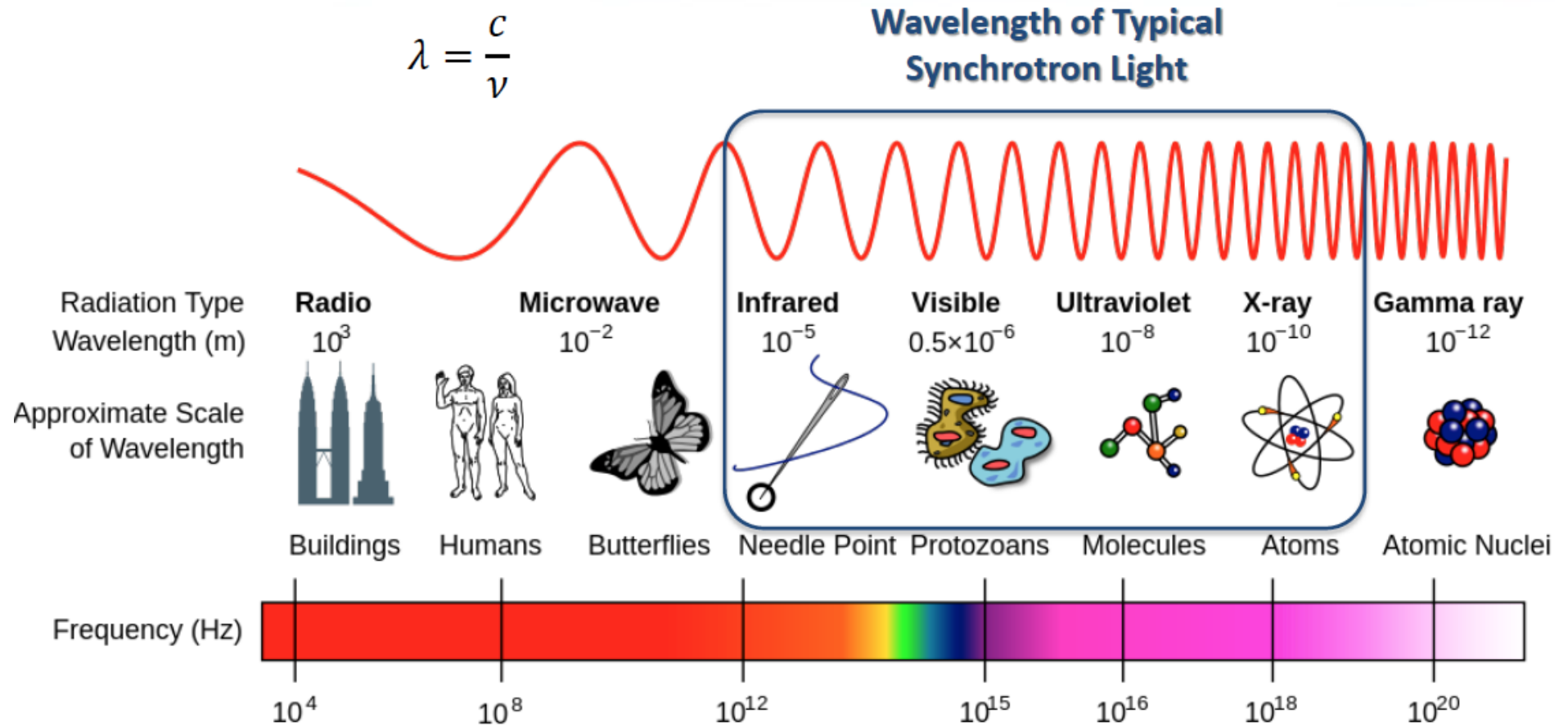
- Some view of light matter interaction
- X-ray Sources
- Specifics of Resonant Inelastic X-Ray Scattering
- Examples of RIXS studies



Outline:

- **Some view of light matter interaction**
- X-ray Sources
- Specifics of Resonant Inelastic X-Ray Scattering
- Examples of RIXS studies

Light and matter



Courtesy of Q. Shen

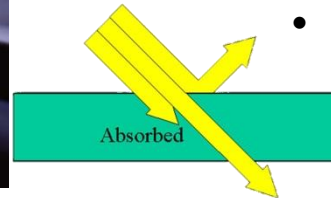
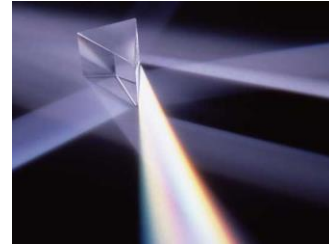
Light-matter interaction

Visible regime ($\lambda \sim 0.5 \mu\text{m}$, $E \sim 1 \text{ eV}$)

X-rays regime (0.5 nm, 1 keV)

Phenomena:

- Absorption
- Refraction
- Reflection
- (Diffusion, ...)



- Absorption
- Scattering

Particle-wave dualism

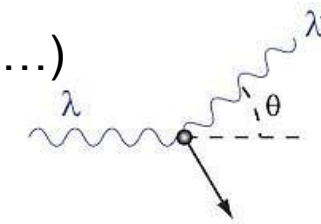
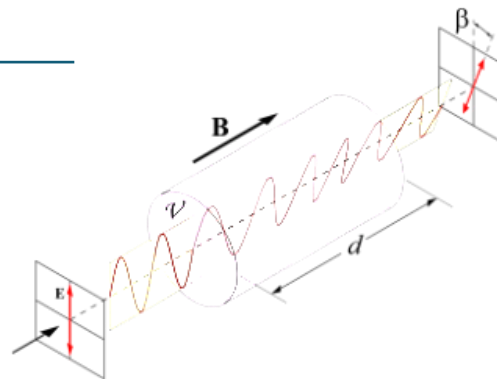
Energy point of view:

- Elastic (Rayleigh, ...)
- Inelastic (Brillouin, Raman, ...)

- Elastic (XRD, diffusion, ...)
- Inelastic (Compton, IXS, ...)

Polarization:

- Faraday rotation



- Excitation (thermal, ionization, photoemission, ...)

Light-matter interaction - regimes

$$n = c / v$$

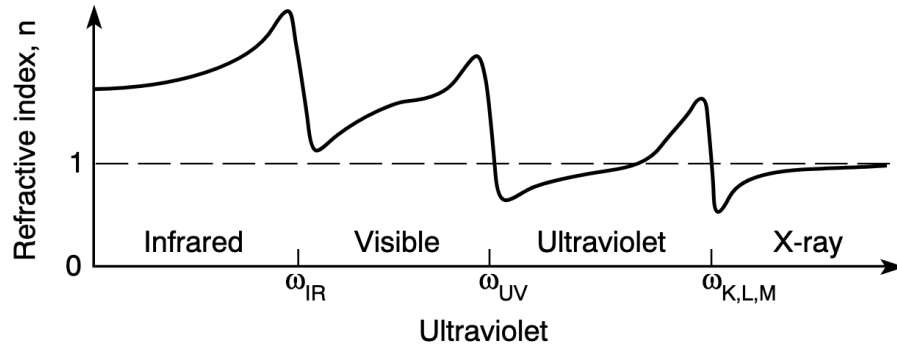


FIGURE 3.1. A sketch of refractive index showing the strong variations near IR, UV, and x-ray resonances (ω_s), and the general tendency toward unity for very short wavelengths where the frequencies are higher than all atomic resonances. Only the real part of the refractive index is shown here.

Wavelength light give different n regimes
 n in X-ray is below 1!

Light-matter interaction - regimes

$$n = c / v$$

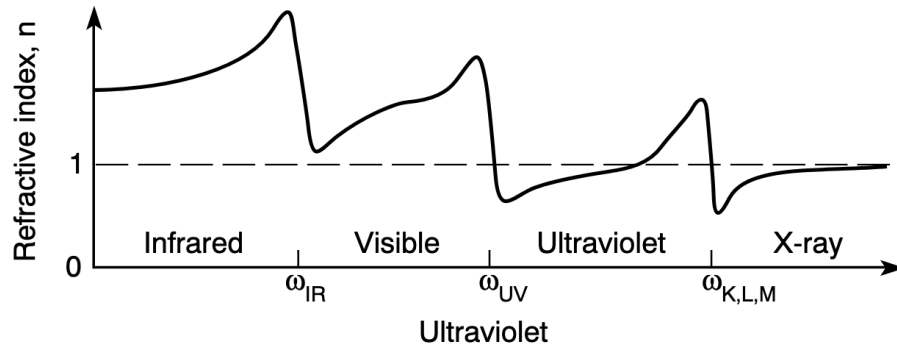
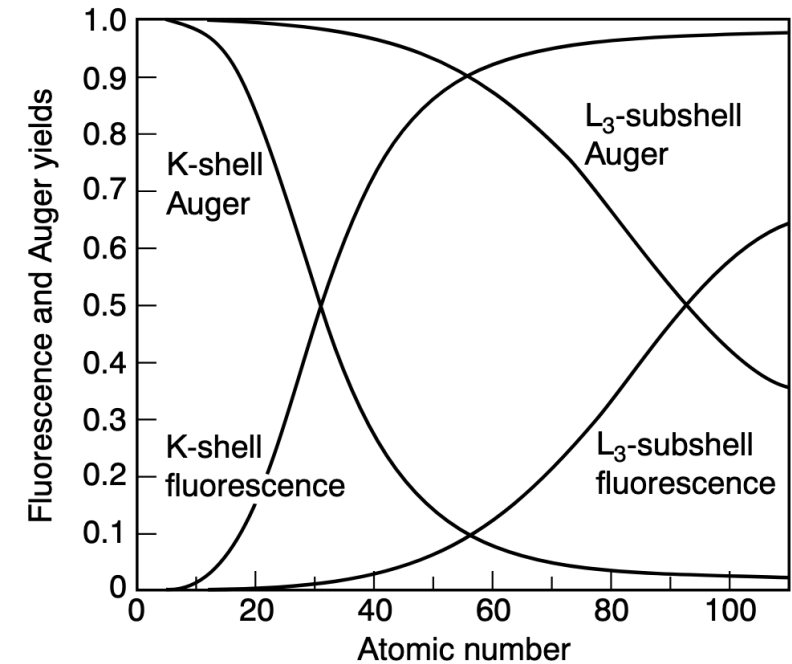


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Not confined to refractive index but decay processes also (photon or electrons)

Light-matter interaction - regimes

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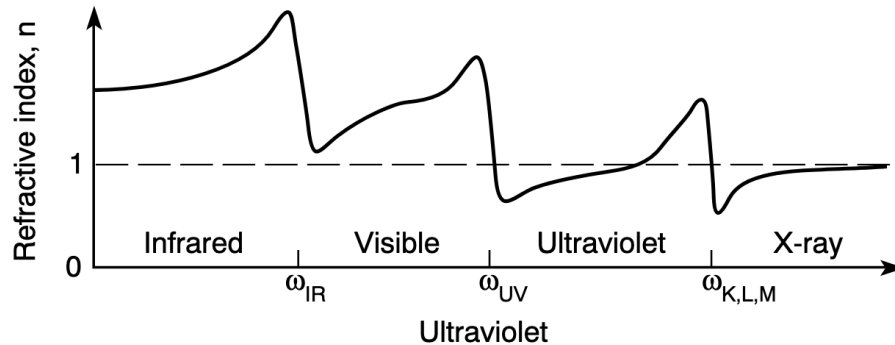
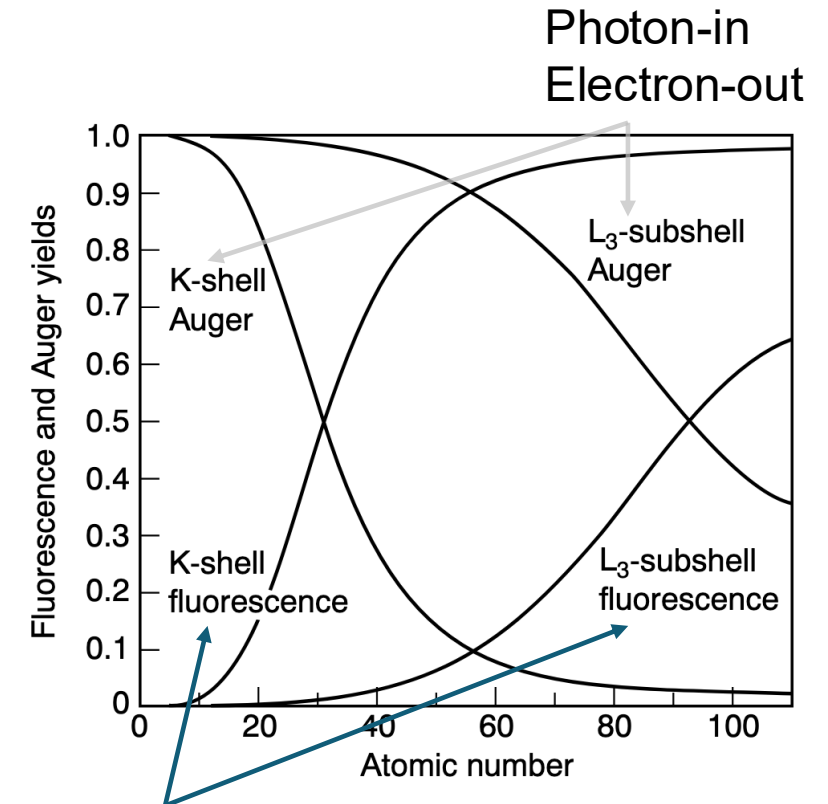


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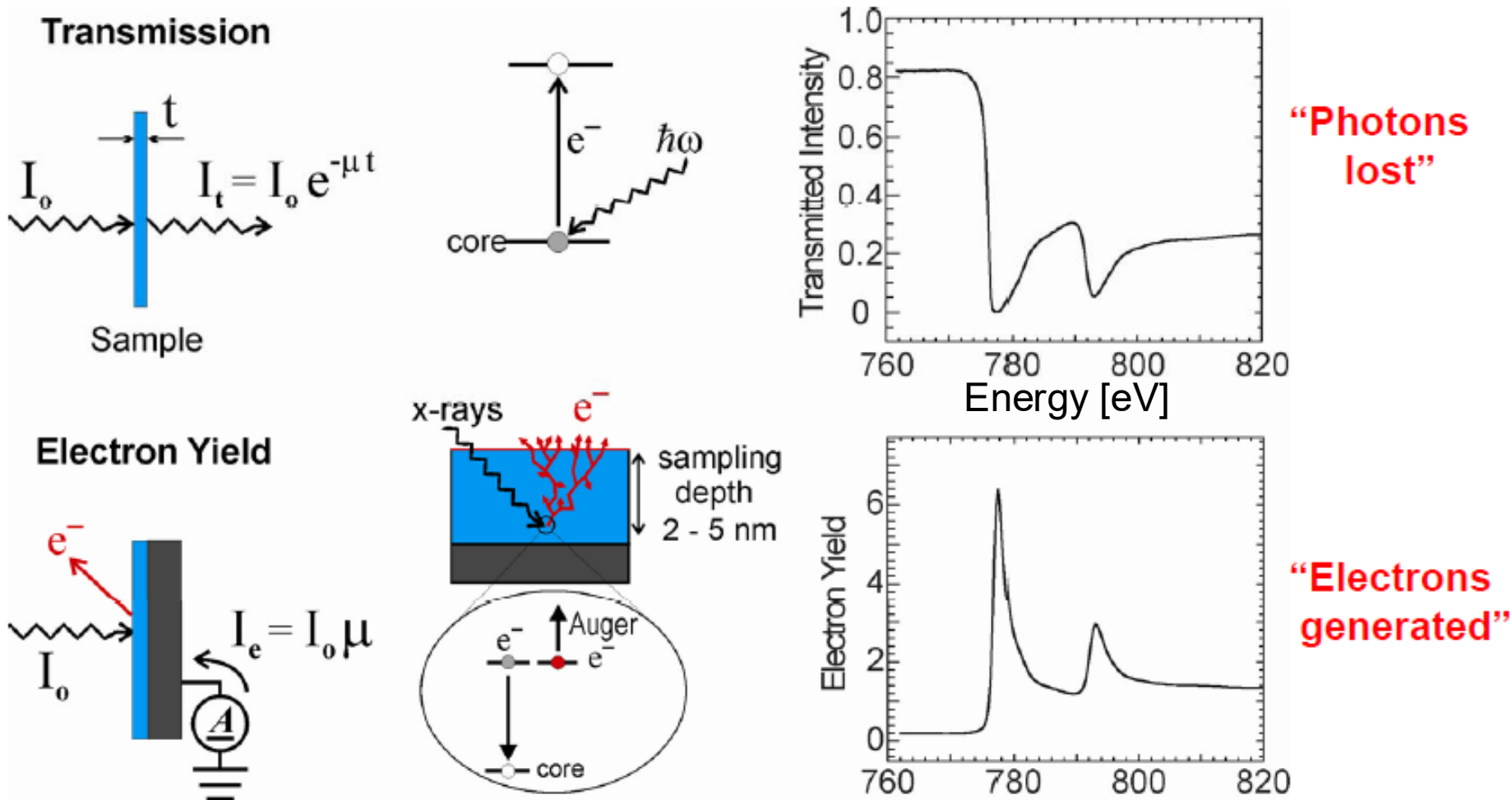
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Photon-in
Photon out

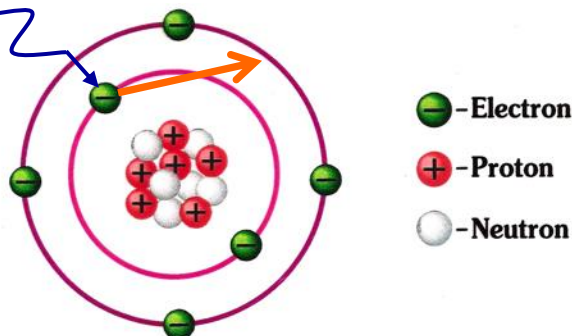
The basic X-ray experiment: absorption



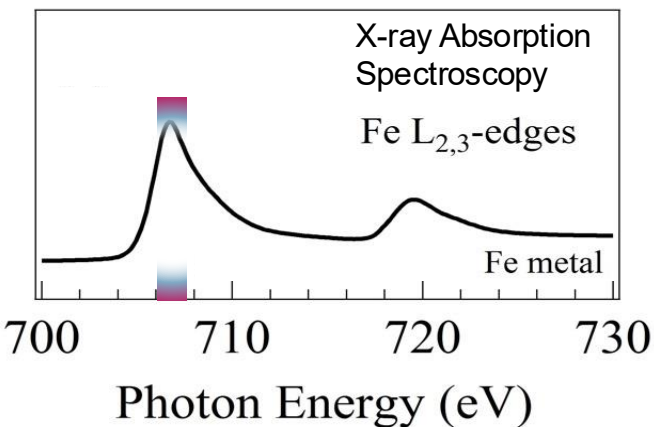
Absorption in steps

Resonance Effect

E_i , k_i , ϵ_i

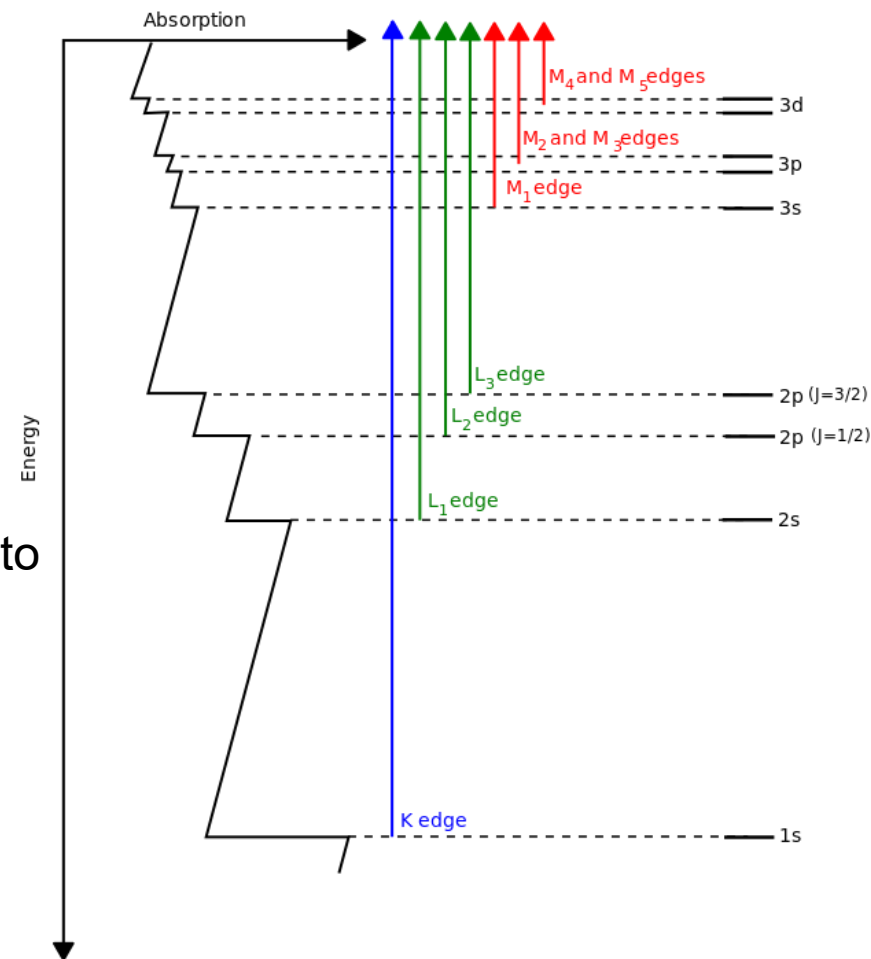


- E_i is tuned to a specific “**edge**” or transition, promoting a core electron into the outer shell / valence band → this process is called X-ray Absorption
- The absorption edges are usually sharp in Energy → E_i needs to be **tunable and monochromatic**
- The x-ray attenuation length is < 100 nm → **small sample volume**



Example:

Fe L_3 edge ($2p_{3/2} \rightarrow 3d$ transition) in Iron metal corresponds to ~ 708 eV



X-ray absorption edges

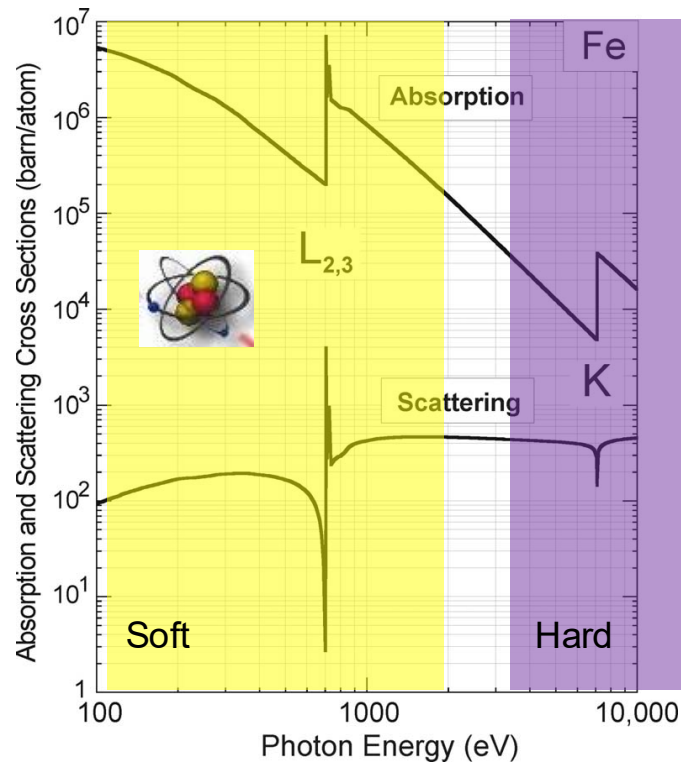
Element	K 1s	L ₁ 2s	L ₂ 2p _{1/2}	L ₃ 2p _{3/2}	M ₁ 3s	M ₂ 3p _{1/2}	M ₃ 3p _{3/2}	M ₄ 3d _{3/2}	M ₅ 3d _{5/2}	N ₁ 4s	N ₂ 4p _{1/2}	N ₃ 4p _{3/2}
23 V	5465	626.7†	519.8†	512.1†	66.3†	37.2†	37.2†					
24 Cr	5989	696.0†	583.8†	574.1†	74.1†	42.2†	42.2†					
25 Mn	6539	769.1†	649.9†	638.7†	82.3†	47.2†	47.2†					
26 Fe	7112	844.6†	719.9†	706.8†	91.3†	52.7†	52.7†					
27 Co	7709	925.1†	793.2†	778.1†	101.0†	58.9†	59.9†					
28 Ni	8333	1008.6†	870.0†	852.7†	110.8†	68.0†	66.2†					
29 Cu	8979	1096.7†	952.3†	932.7	122.5†	77.3†	75.1†					
30 Zn	9659	1196.2*	1044.9*	1021.8*	139.8*	91.4*	88.6*	10.2*	10.1*			
31 Ga	10367	1299.0*b	1143.2†	1116.4†	159.5†	103.5†	100.0†	18.7†	18.7†			
32 Ge	11103	1414.6*b	1248.1*b	1217.0*b	180.1*	124.9*	120.8*	29.8	29.2			
33 As	11867	1527.0*b	1359.1*b	1323.6*b	204.7*	146.2*	141.2*	41.7*	41.7*			
34 Se	12658	1652.0*b	1474.3*b	1433.9*b	229.6*	166.5*	160.7*	55.5*	54.6*			
35 Br	13474	1782*	1596*	1550*	257*	189*	182*	70*	69*			
36 Kr	14326	1921	1730.9*	1678.4*	292.8*	222.2*	214.4	95.0*	93.8*	27.5*	14.1*	14.1*
37 Rb	15200	2065	1864	1804	326.7*	248.7*	239.1*	113.0*	112*	30.5*	16.3*	15.3*
38 Sr	16105	2216	2007	1940	358.7†	280.3†	270.0†	136.0†	134.2†	38.9†	21.3	20.1†
39 Y	17038	2373	2156	2080	392.0*b	310.6*	298.8*	157.7†	155.8†	43.8*	24.4*	23.1*
40 Zr	17998	2532	2307	2223	430.3†	343.5†	329.8†	181.1†	178.8†	50.6†	28.5†	27.1†
41 Nb	18986	2698	2465	2371	466.6†	376.1†	360.6†	205.0†	202.3†	56.4†	32.6†	30.8†
42 Mo	20000	2866	2625	2520	506.3†	411.6†	394.0†	231.1†	227.9†	63.2†	37.6†	35.5†
43 Tc	21044	3043	2793	2677	544*	447.6	417.7	257.6	253.9*	69.5*	42.3*	39.9*
44 Ru	22117	3224	2967	2838	586.1*	483.5†	461.4†	284.2†	280.0†	75.0†	46.3†	43.2†
45 Rh	23220	3412	3146	3004	628.1†	521.3†	496.5†	311.9†	307.2†	81.4*b	50.5†	47.3†
46 Pd	24350	3604	3330	3173	671.6†	559.9†	532.3†	340.5†	335.2†	87.1*b	55.7†a	50.9†
47 Ag	25514	3806	3524	3351	719.0†	603.8†	573.0†	374.0†	368.3	97.0†	63.7†	58.3†

The strongest, not the only ones..
(not even in the energy range shown)

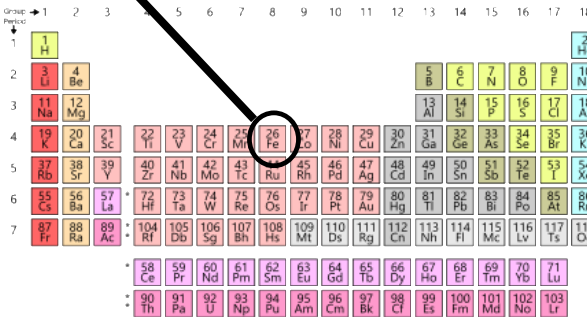
<https://xdb.lbl.gov>

(https://xdb.lbl.gov/Section1/Table_1-1a.htm)

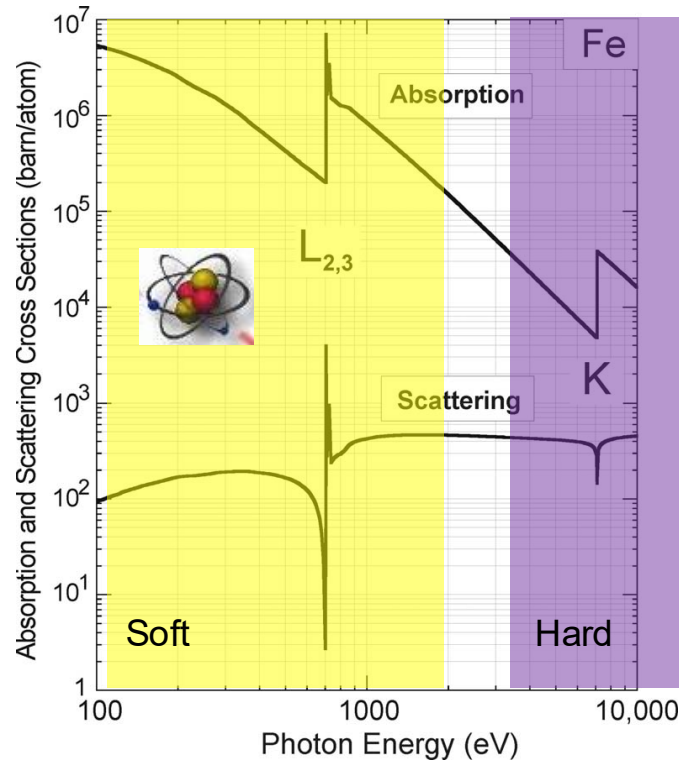
X-ray refraction index



“Control” of impinging energy gives **Chemical specificity**
(& increased sensitivity to faint **electronic signals**)



X-ray refraction index

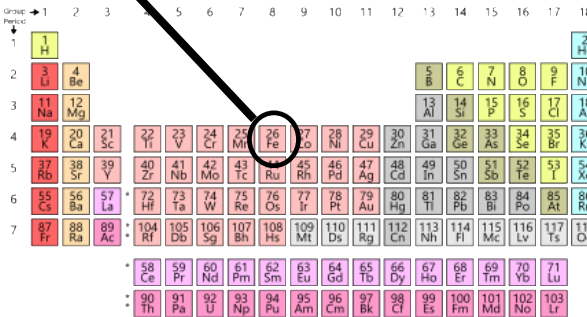


$$\tilde{n} = 1 - \delta + i\beta = 1 - \frac{r_o \lambda^2}{2\pi} N_{at} (f_1 - if_2),$$

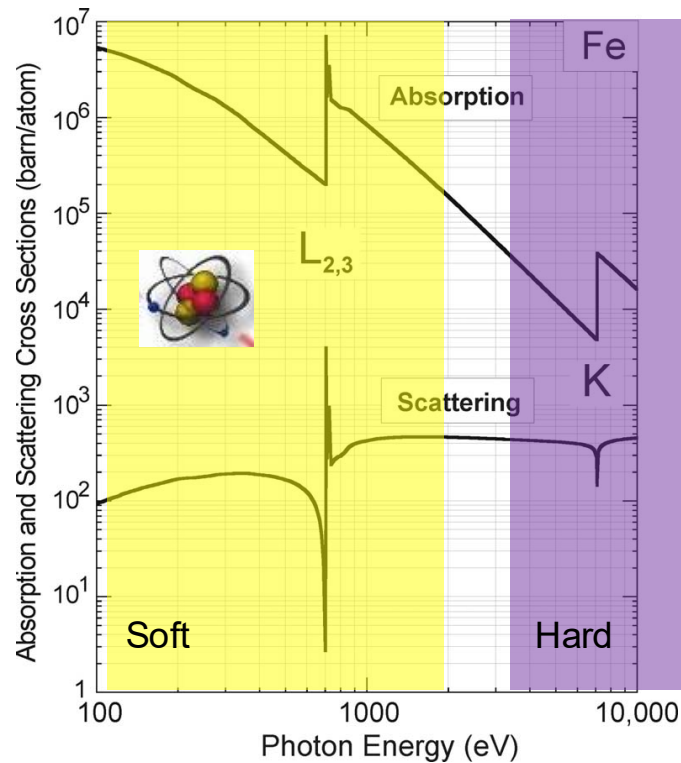
Atomic scattering factors

Macro – micro
-scopic link
(optical theorem, KK)

“Control” of impinging
energy gives **Chemical
specificity**
(& increased sensitivity to
faint **electronic signals**)



X-ray refraction index



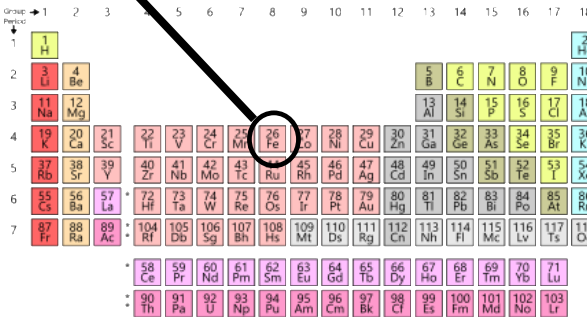
Dispersion / scattering absorption

$$\tilde{n} = 1 - \delta - i\beta = 1 - \frac{r_o \lambda^2}{2\pi} N_a (f_1 - if_2)$$

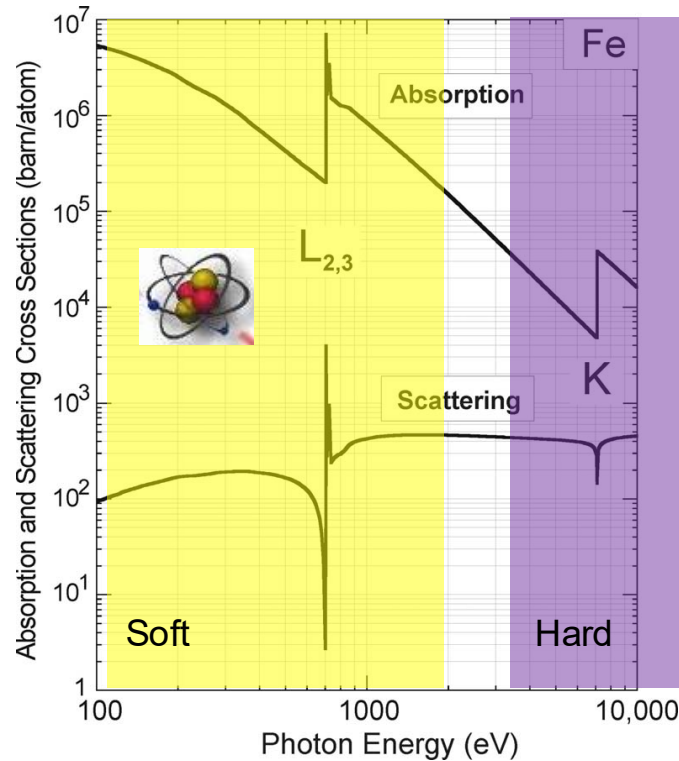
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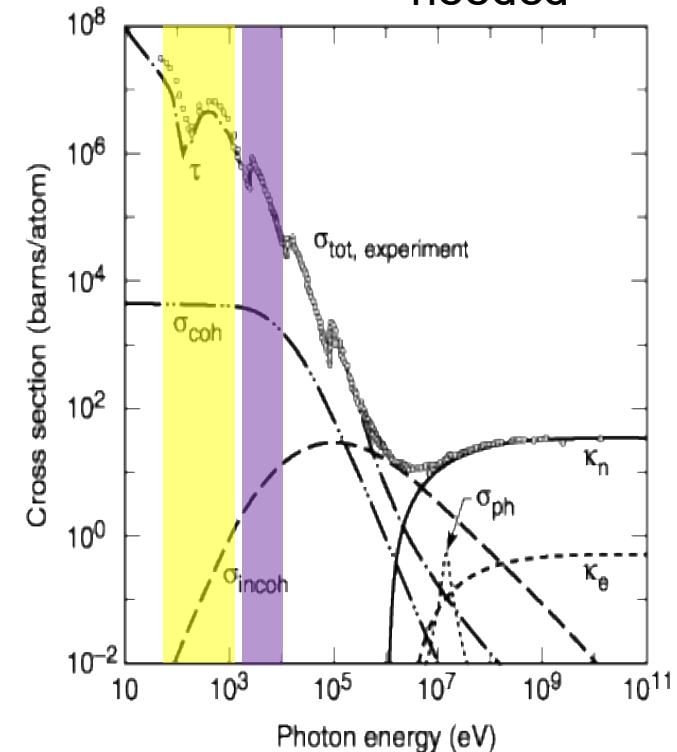
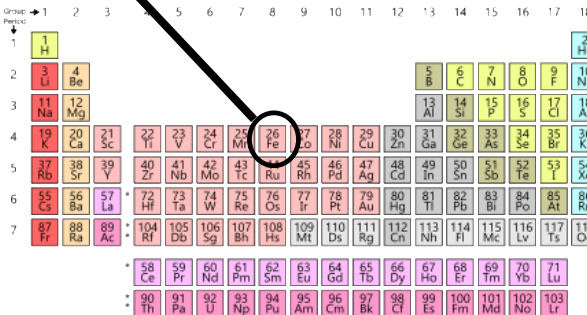
$$\tilde{n} = 1 - \delta - i\beta = 1 - \frac{r_o \lambda^2}{2\pi} N_a (f_1 - if_2)$$

Atomic scattering factors

Photon hungry
high brilliance
needed

Macro – micro-scopic link
(optical theorem, KK)

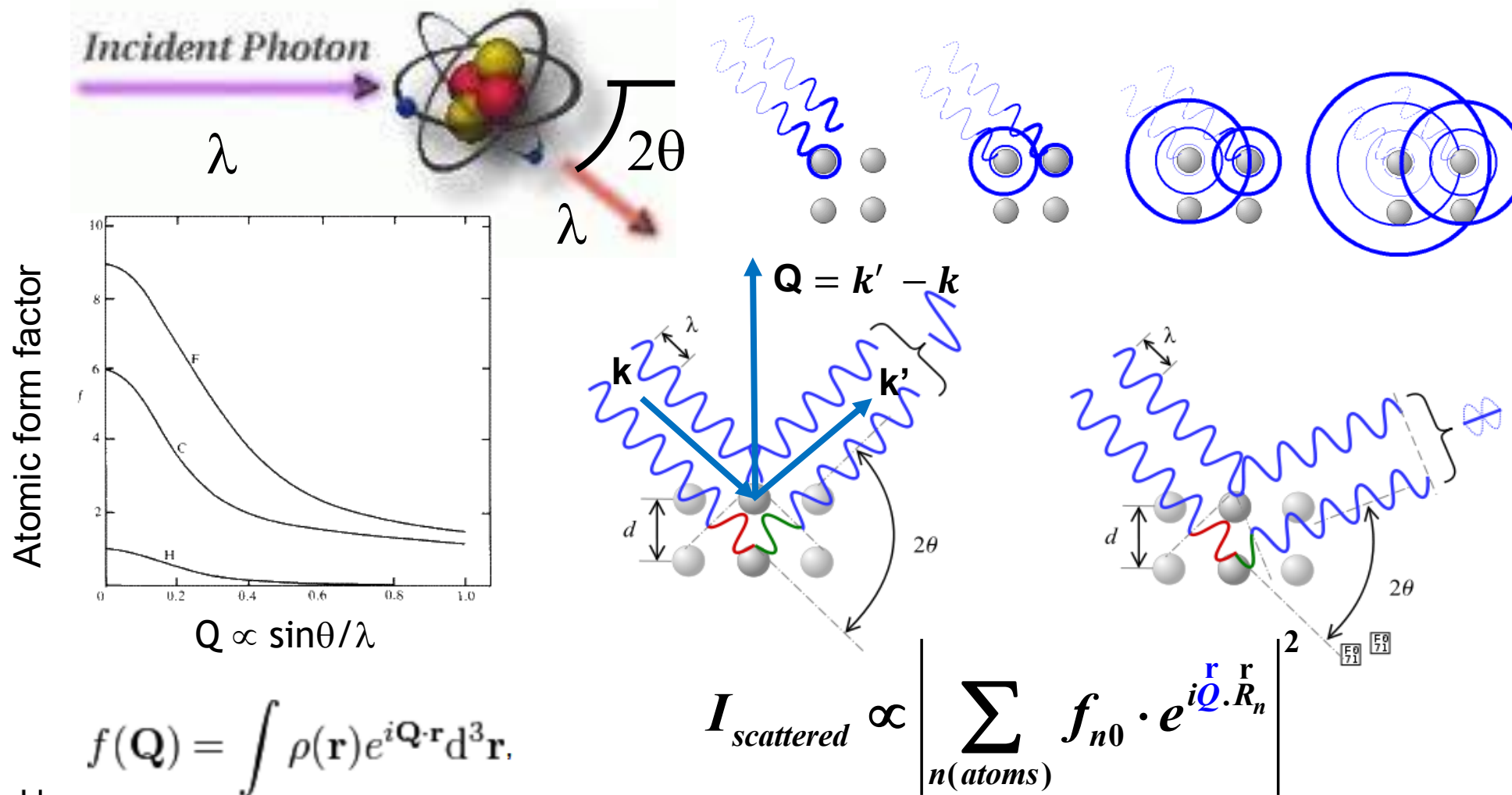
“Control” of impinging
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Elastic x-ray scattering (“free” e⁻)

From various e⁻ in one atom..

... to several atoms together



Diffraction, Bragg's law, polarization

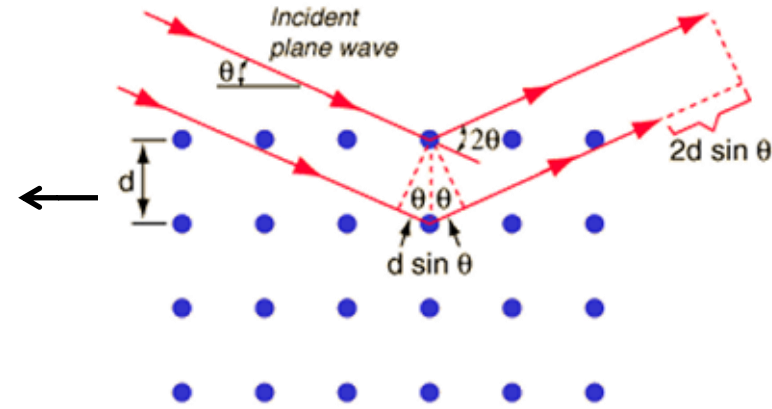
Laue notation

$$\frac{d\sigma}{d\Omega} = r_0^2 \left| \sum_n e^{i\mathbf{Q} \cdot \mathbf{R}_n} f(\mathbf{Q}) \right|^2$$

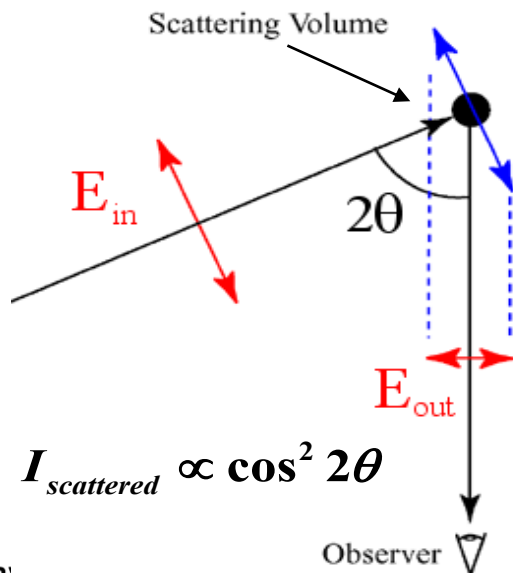
Space Fourier transform

Bragg's law

$$\lambda \cdot n = 2 \cdot d_{hkl} \cdot \sin \theta$$

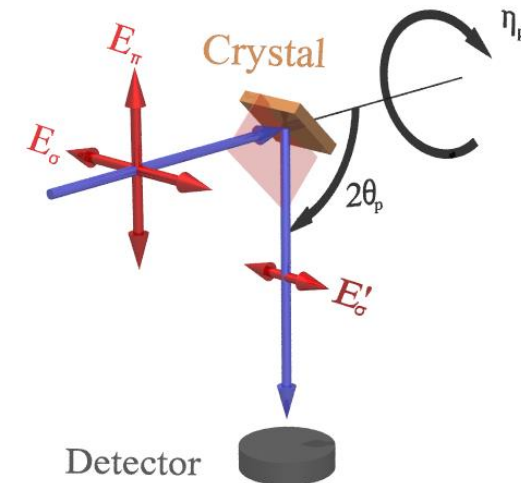


Thomson scattering



$$\varepsilon'' \cdot \varepsilon' = \begin{pmatrix} \varepsilon''_{\sigma} \\ \varepsilon''_{\pi} \end{pmatrix} \begin{pmatrix} 1 & 0 \\ 0 & \cos(2\theta_p) \end{pmatrix} \begin{pmatrix} \varepsilon'_{\sigma} \\ \varepsilon'_{\pi} \end{pmatrix}$$

Jones notation



Direct and reciprocal lattice

$$\frac{d\sigma}{d\Omega} = r_0^2 \left| \sum_n e^{i\mathbf{Q} \cdot \mathbf{R}_n} f(\mathbf{Q}) \right|^2$$

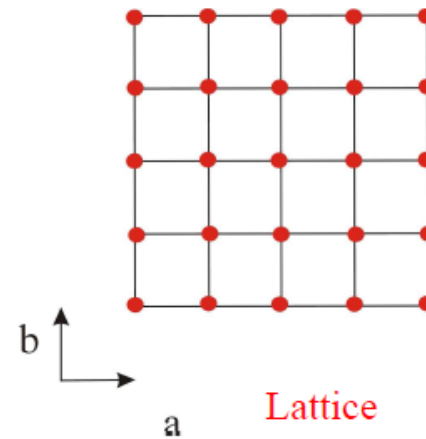
Direct space structural information from $\mathbf{Q}$ dependence in the RL (where diffraction naturally lives)

Conventions (science, engineering, chemistry/crystallography $\rightarrow$ FT):

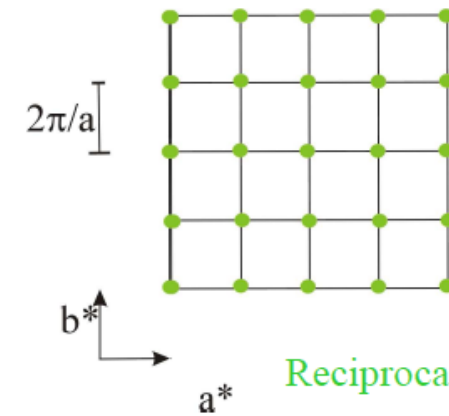
$\mathbf{k} = 2\pi/\lambda$ (or $1/\lambda$) wave vector

$\mathbf{Q} = \mathbf{k}' - \mathbf{k}$ (or $\mathbf{k} - \mathbf{k}'$)

$a^* = 2\pi/a$ (or $1/a$)

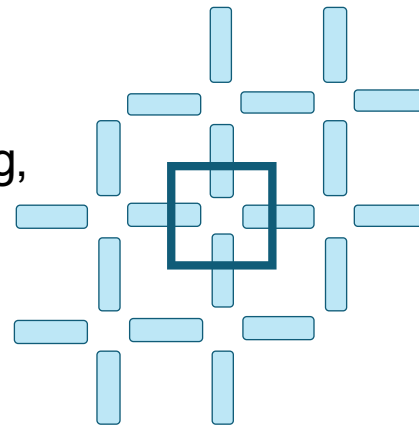


Lattice

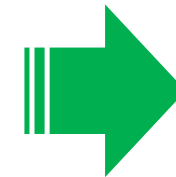


Reciprocal lattice

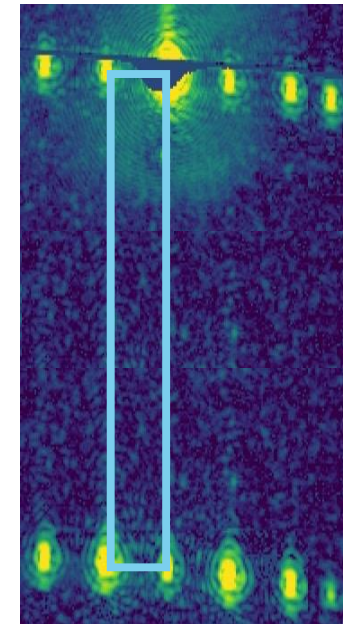
Structural lattice : a



Direct space cell



X-ray diffraction

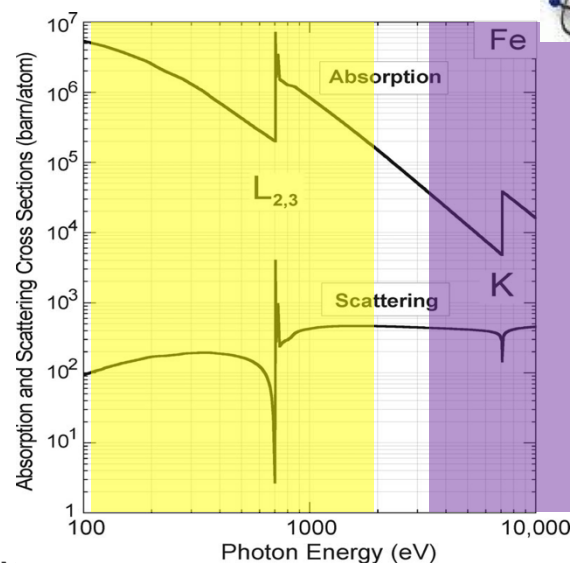


Spectroscopy + scattering = RXS

Photon in – photon out process,
site coherent (scattering)
intersite coherent (diffraction)

$$I(\mathbf{Q}) \propto \left| \sum_{j=1}^N f_j(\vec{\varepsilon}, \vec{\varepsilon}', \vec{k}, \vec{k}') e^{i\mathbf{Q} \cdot \mathbf{r}_j} \right|^2 \sim N^2$$

Atomic scattering factor
(resonant, tensorial)



Second order perturbation theory
(Kramers – Heisenberg)

$$f_j(\vec{\varepsilon}, \vec{\varepsilon}', \vec{k}, \vec{k}') \propto \int_{E_F}^{\infty} \frac{\langle fin | \tilde{O}^+(\vec{\varepsilon}', \vec{k}') | exc \rangle \langle exc | \tilde{O}(\vec{\varepsilon}, \vec{k}) | gr \rangle}{E_{exc} - E_{gr} - \hbar\omega_k + i\Gamma} dE$$

Targeting specific electrons,
but all contributions mixed:

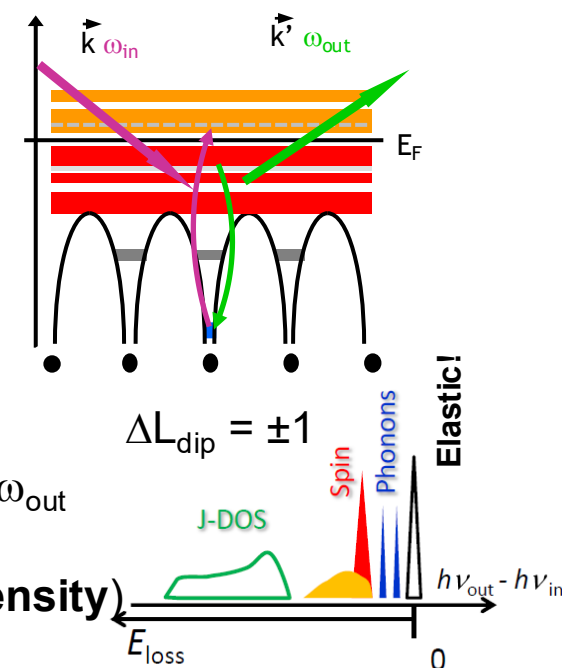
- elastic + inelastic
- symmetry of process

Elastic if:

$$\langle fin | = \langle gr |, \omega_{in} = \omega_{out}$$

(diffraction via Bragg;

new reflection cond. & intensity)



What does it mean all of this for us Condensed Matter Physicists?



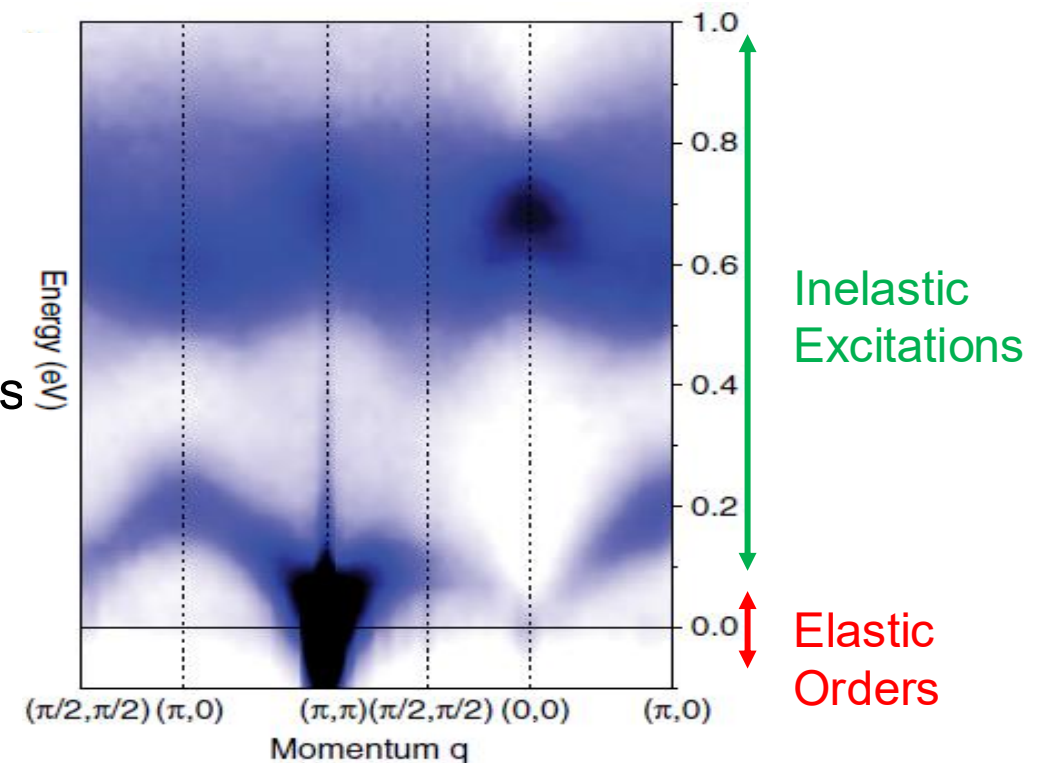
RXS: absorption + scattering (elastic and inelastic)

- Electromagnetic field (photons) as a probe for e^- states of the matter ($\mathbf{A}_{\text{radiation}} \leftrightarrow \mathbf{E}, \mathbf{B}_{\text{atomic charges}}$)
- Chemical selectivity (absorption $\rightarrow$ site selective)
- 3D e^- distributions (due to atomic scattering factor, in diffraction condition, site contrast due to structure factor)
- Bosonic excitations
 - spin, charge, orbital (absorption relaxes selection rules)
 - dispersion relations (exchange of E and Q)
- Scattering + Spectroscopy + Diffraction



to fulfill Bragg's law:

$\lambda \sim \text{atomic spacing} \ll \text{keV}$ (hard regime: K 3d, L 4f, M 5f; soft regime: $L_{2,3}$ 3d)



S. Di Matteo et al., Phys. Rev. B **72** (2005) 144406
C. Detlefs et al., Eur. Phys. J. ST **208** (2012) 359
L. J. P. Ament et al., Rev. Mod. Phys. **83** (2011) 705
Kim et al, Phys. Rev. Lett. **108**, 177003 (2012)

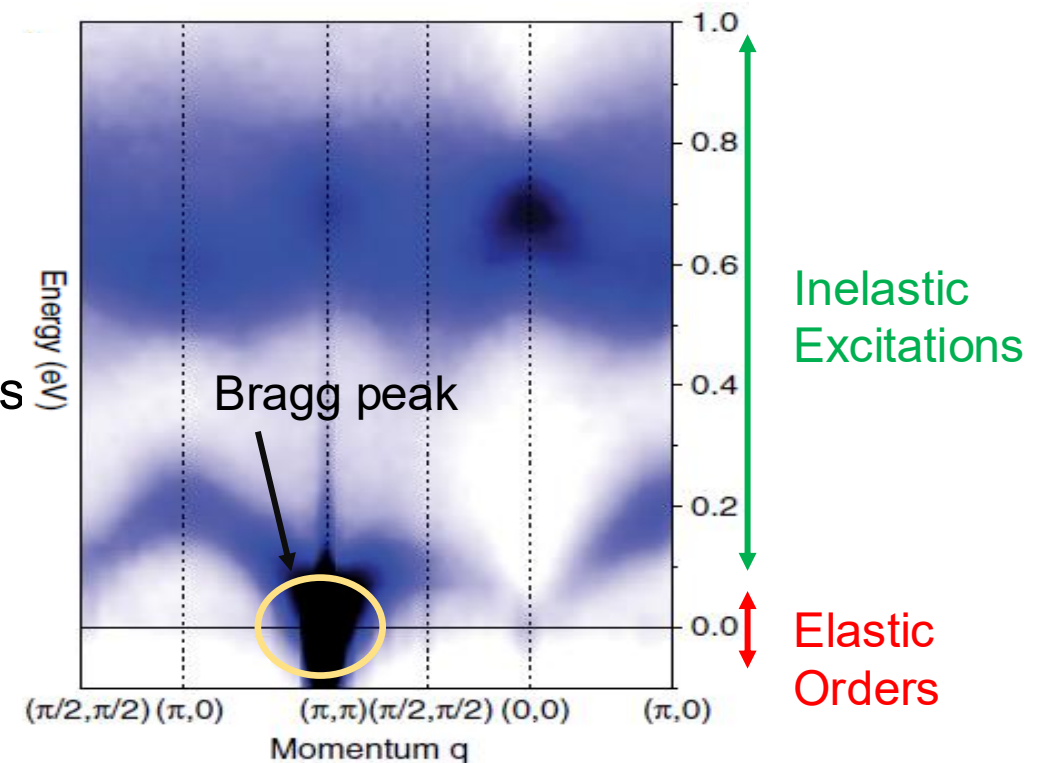
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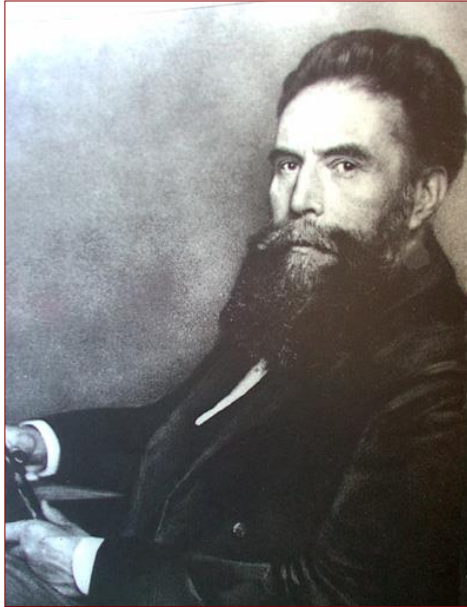
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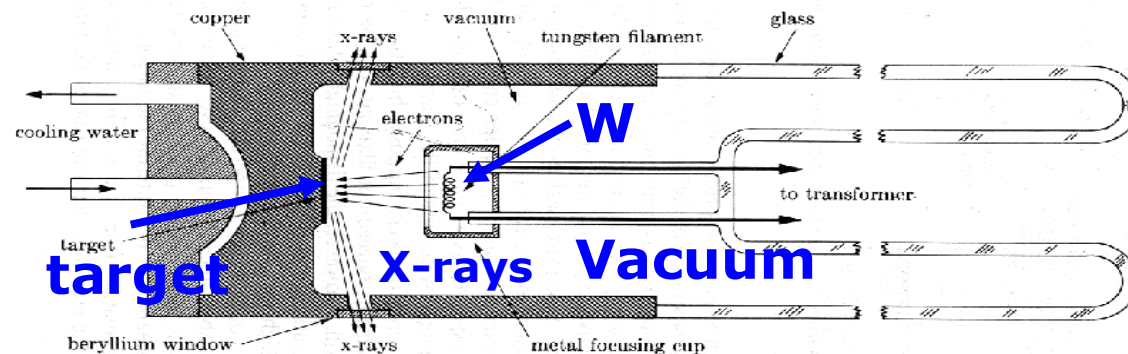
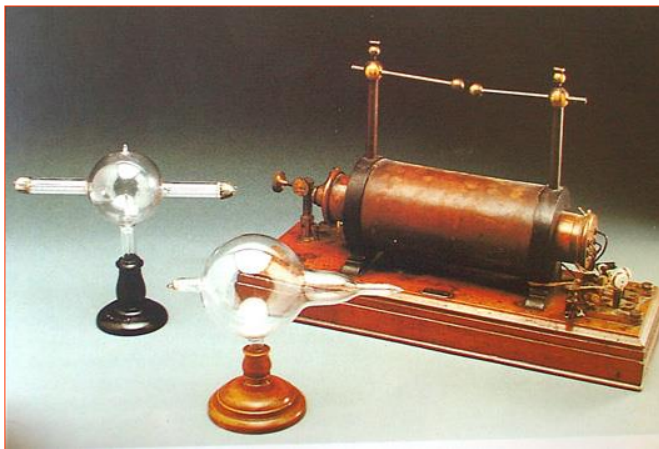
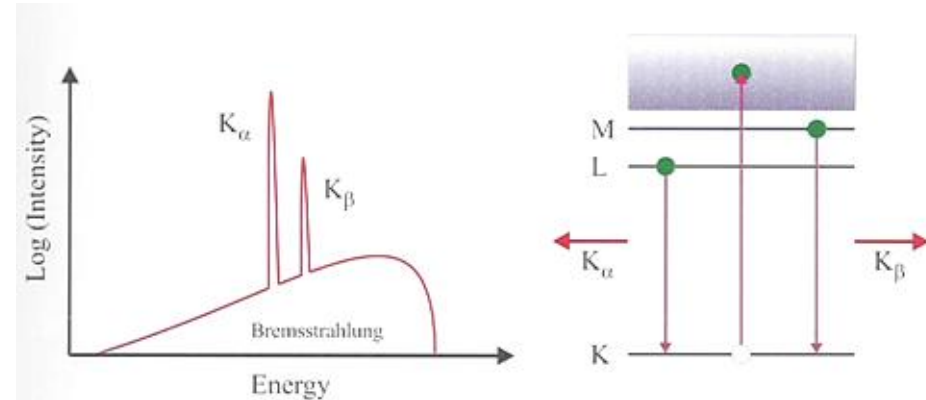
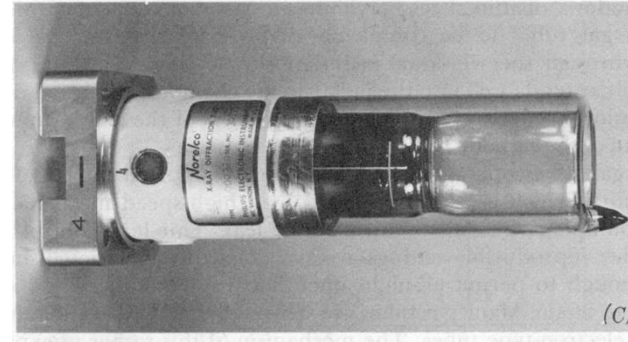
Outline:

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- **X-ray Sources**
- Specifics of Resonant Inelastic X-Ray Scattering
- Examples of RIXS studies

X-ray technology: the early days



W.C. Röntgen
1895



The advent of synchrotrons

EVOLUTION

1947
First observation of synchrotron radiation
at General Electric (USA)



- Energy tuning
- Brilliance
- Polarization
- Stability
- Coherence
- Intrinsic time structure (pulsed source)

First particle
accelerators

1930

1947

First
observation of
synchrotron
radiation

More and
more
energetic
particles,
Bigger and
bigger
machines

1980

Construction
of the first
dedicated
machines

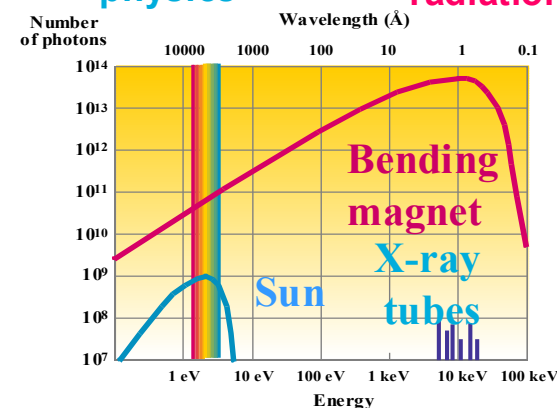
1998

Prediction and
construction
of FELs

Particle
physics

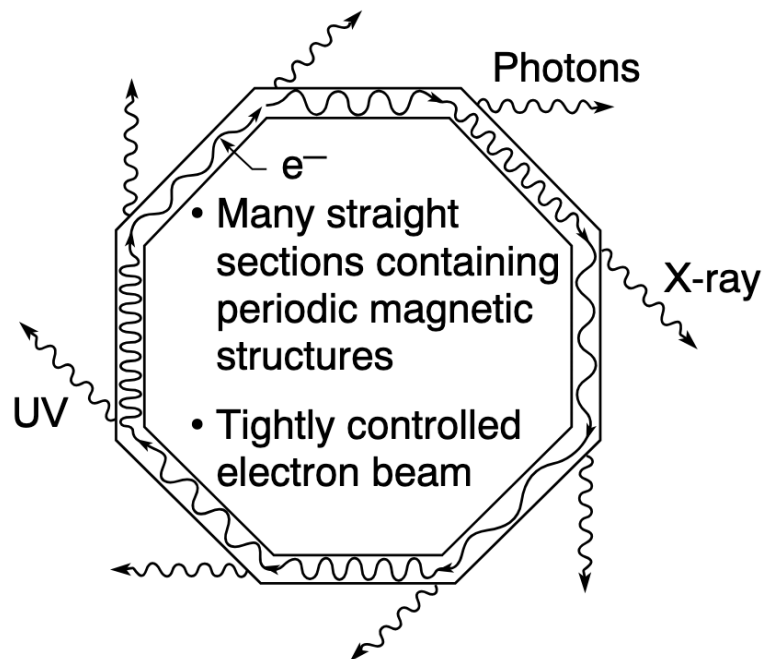
Synchrotron
radiation

Free Electron
Laser radiation



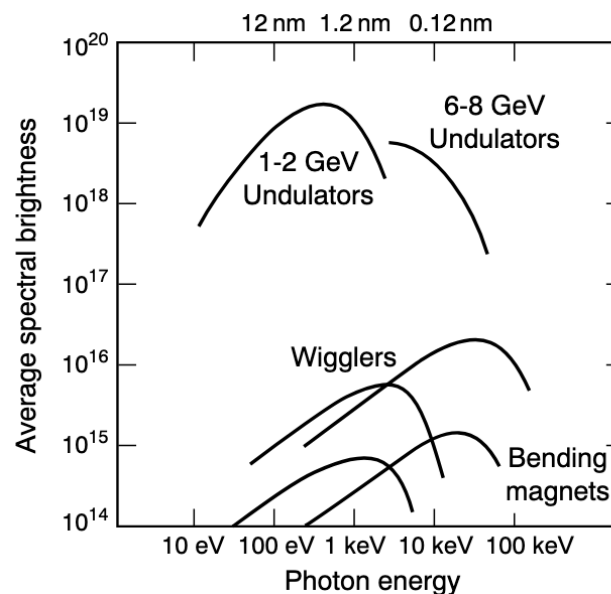
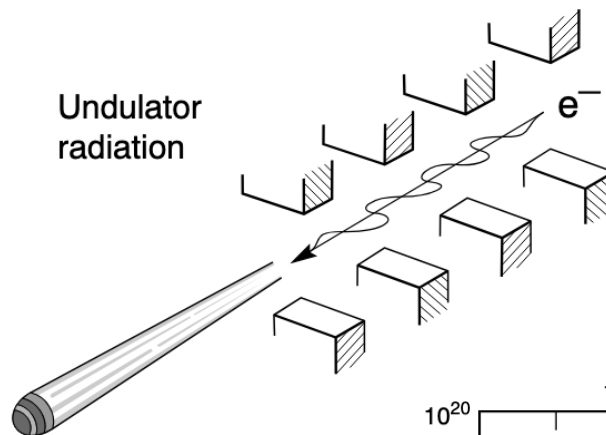
Synchrotrons - sources

Bremsstrahlung



Electrons in storage ring and insertion devices
Straight sections

- undulators
- wigglers



Bending Magnet:

$$\hbar\omega_c = \frac{3e\hbar B\gamma^2}{2m} \quad (5.7)$$

Wiggler:

$$\hbar\omega_c = \frac{3e\hbar B\gamma^2}{2m}$$

$$n_c = \frac{3K}{4} \left(1 + \frac{K^2}{2}\right)$$

$$P_T = \frac{\pi e K^2 \gamma^2 I N}{3\epsilon_0 \lambda_u}$$

Undulator:

$$\lambda = \frac{\lambda_u}{2\gamma^2} \left(1 + \frac{K^2}{2} + \gamma^2\theta^2\right) \quad (5.28)$$

$$K = \frac{eB_0\lambda_u}{2\pi mc} \quad (5.18)$$

$$\theta_{cen} = \frac{1}{\gamma^*\sqrt{N}} \quad (5.15)$$

$$\left.\frac{\Delta\lambda}{\lambda}\right|_{cen} = \frac{1}{N} \quad (5.14)$$

$$\bar{P}_{cen} = \frac{\pi e \gamma^2 I}{\epsilon_0 \lambda_u} \frac{K^2}{\left(1 + \frac{K^2}{2}\right)^2} f(K) \quad (5.41)$$



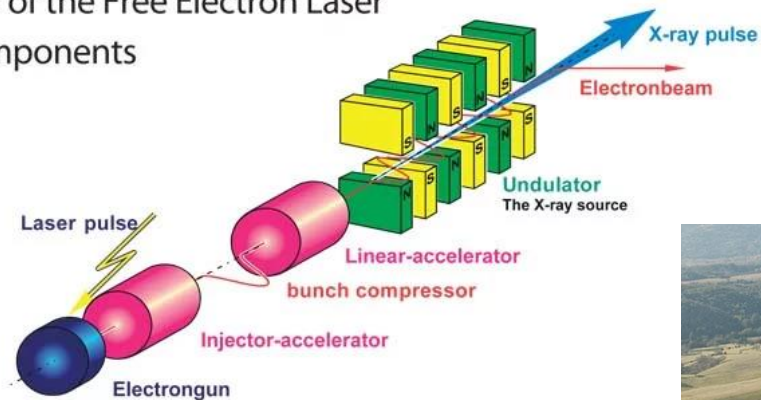
NSLS-II, BNL
Aerial view

Attwood & Sakdinawat, "Soft x-rays and extreme UV radiation"

Free Electron Lasers (FEL)

Schematic design of the Free Electron Laser
with different components

- 1) Electrongun
- 2) Injector
- 3) Accelerator
- 4) Undulator



<https://www.psi.ch/en/swissfel/how-it-works>

New type of source
Pulsed vs "continuous"
Linear vs circular

Different kind of experiment
Pulsed source with very short pulses (at-fs)
Time resolved pump and probe schemes
High peak power



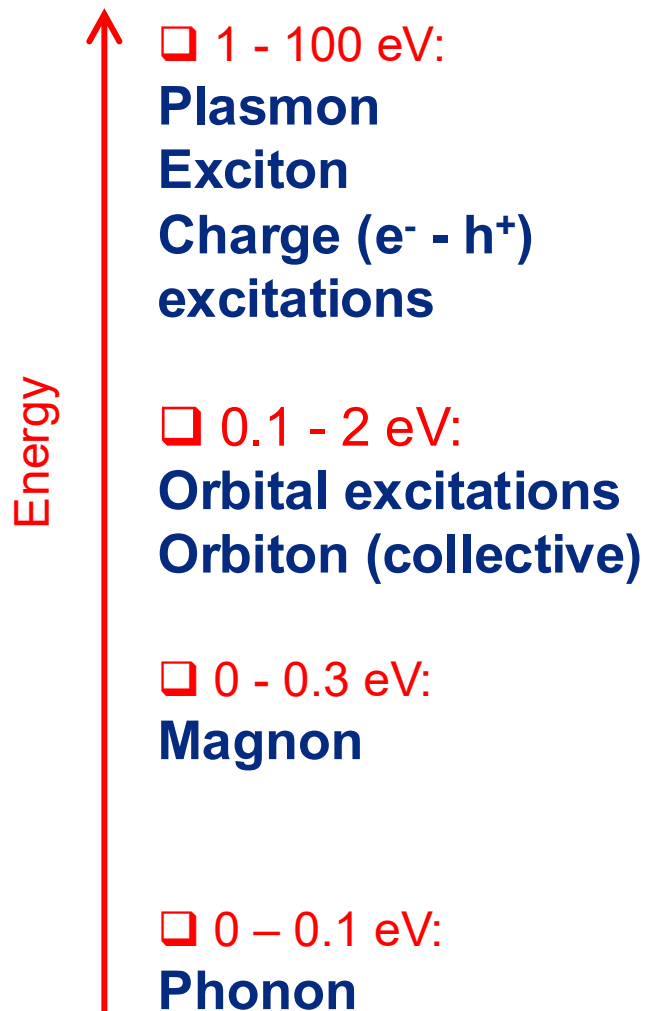
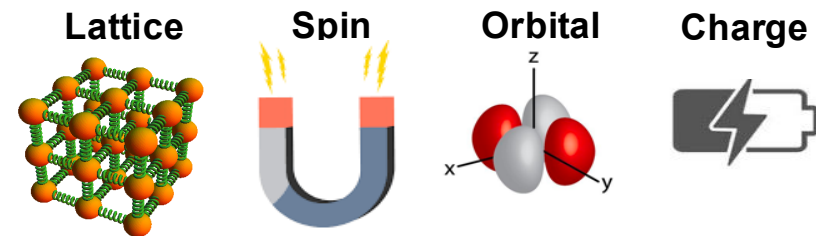
LCLS-II, Stanford, Aerial view



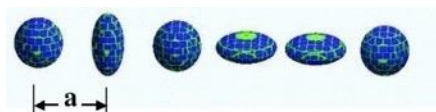
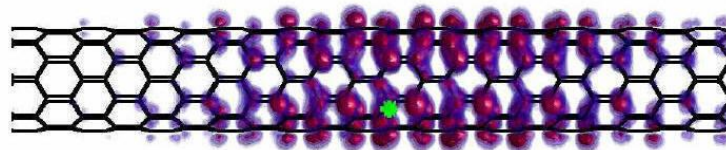
Outline:

- Some view of light matter interaction
- X-ray Sources
- **Specifics of Resonant Inelastic X-Ray Scattering**
- Examples of RIXS studies

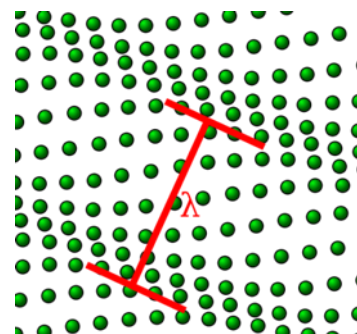
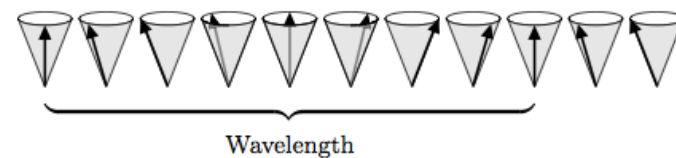
Elementary excitations in solids



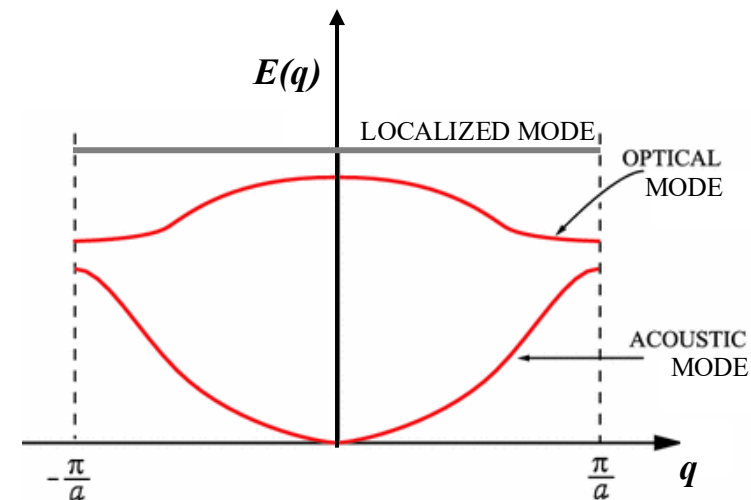
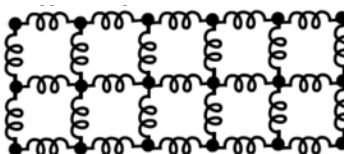
Exciton in carbon nanotube



Collective modes of orbital waves



Collective modes of lattice

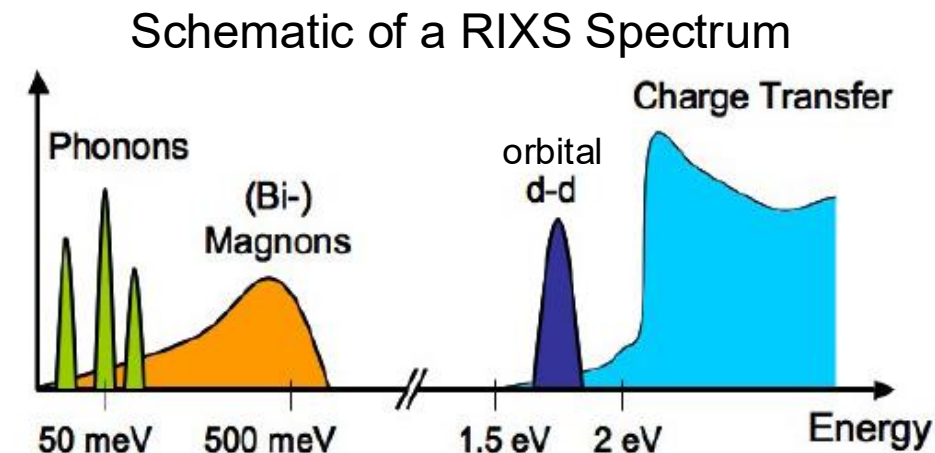
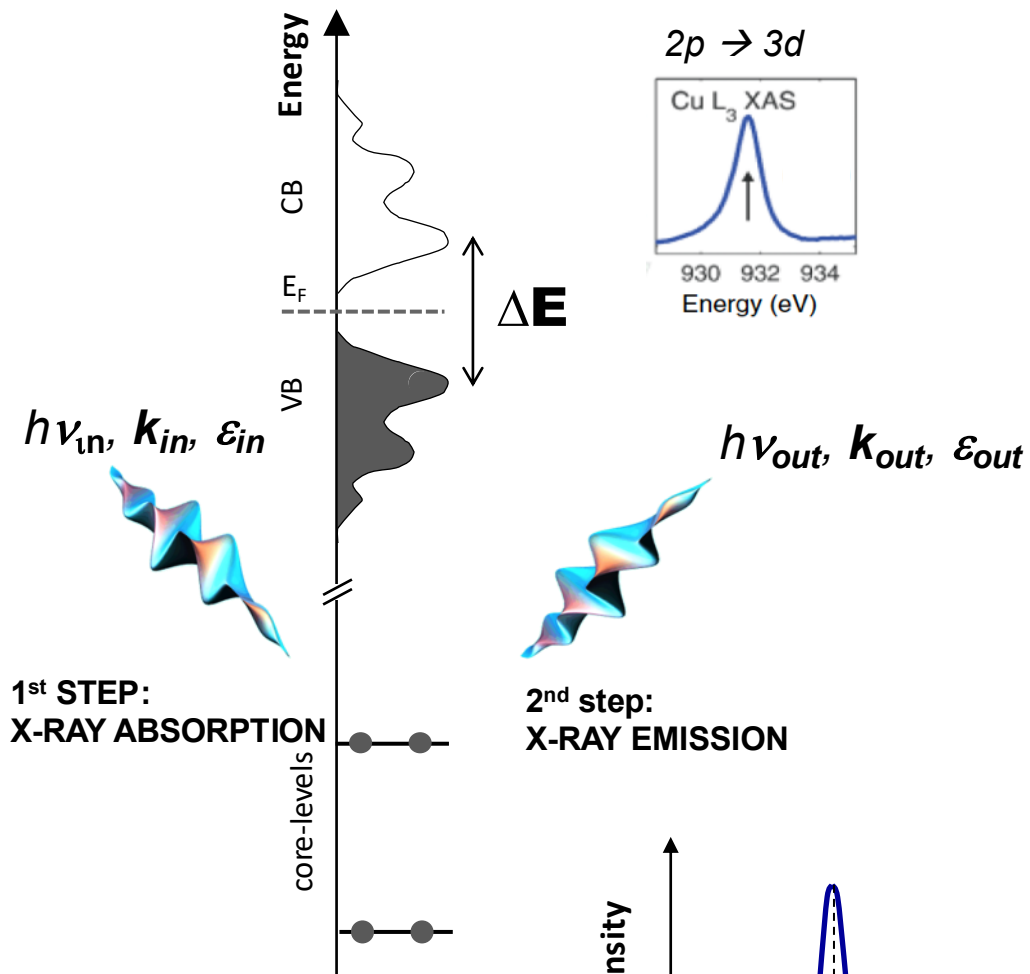


Measuring the dispersion relation $E(q)$ of elementary excitations provides **information about the relevant electronic interactions** at play in the system

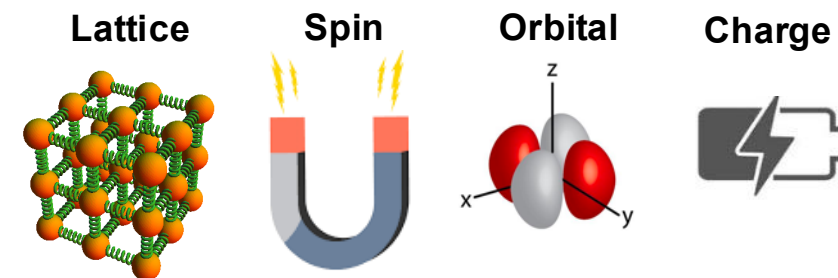


Electronic Properties

RIXS: X-ray Scattering + Inelastic + Resonant

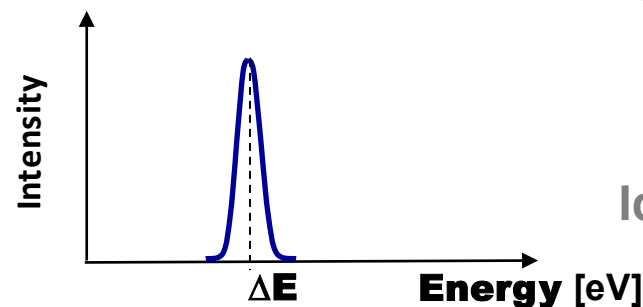


RIXS sensitive to all electron degrees of freedom



Ideal to study electronic properties!

A. Kotani and S. Shin, *Rev. Mod. Phys.* 73, 203 (2001)
 L.J.P. Ament et al., *Rev. Mod. Phys.* 83, 705 (2011)
 P.M. Platzman, E.D. Isaac, *PRB* 57, 11107 (1997)



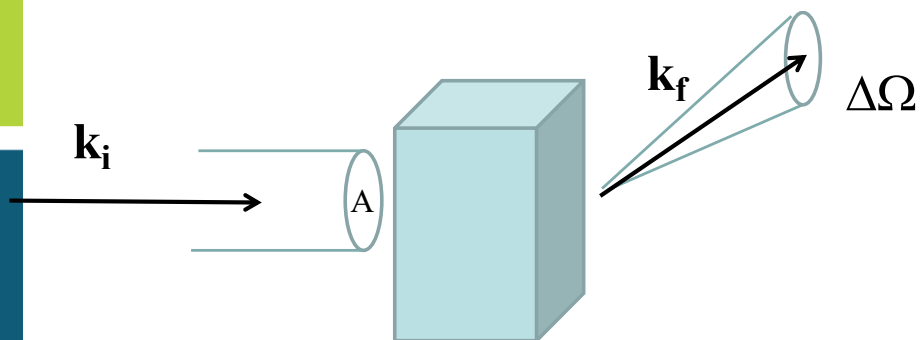
Overview:

- List of Techniques sensitive to Excitations:

	Energy resolution	Momentum resolution	Bulk Probe	Spatial resolution	Sample Mass Requirement	Sensitivity to e ⁻ degrees of freedom
Resonant Inelastic X-ray Scattering (RIXS)	GOOD	GOOD	GOOD	GOOD	EXCELLENT	EXCELLENT
Light Scattering (Raman, IR, Brillouin)	EXCELLENT	POOR	EXCELLENT	GOOD	EXCELLENT	EXCELLENT
Inelastic Neutron Scattering (INS)	EXCELLENT	EXCELLENT	EXCELLENT	MEDIocre	MEDIocre	GOOD
Electron Energy Loss Spectroscopy (EELS)	GOOD	EXCELLENT	MEDIocre	EXCELLENT	EXCELLENT	EXCELLENT
Scanning Tunneling Microscopy (STM)	EXCELLENT	MEDIocre	MEDIocre	EXCELLENT	MEDIocre	MEDIocre
NMR, μ SR, ESR	EXCELLENT	POOR	EXCELLENT	MEDIocre	GOOD	EXCELLENT



RIXS response or cross-section



$$\frac{d^2\sigma}{d\Omega d\omega} = \frac{n_s}{j_i \Delta\Omega \Delta E}$$

of scattered photons n_s per solid angle $\Delta\Omega$, per energy bandwidth of scattered particle ΔE , normalized by the incoming flux j_i

1st term

2nd term

RIXS cross-section = Kramers-Heisenberg Equation

$$\frac{d^2\sigma}{d\Omega d\omega} \propto \left| \cancel{\langle f | H_{\text{int}} | i \rangle} + \sum_{|n\rangle} \frac{\langle f | H_{\text{int}} | n \rangle \langle n | H_{\text{int}} | i \rangle}{E_i - E_n + \hbar\omega_i + i\Gamma} \right|^2$$

$|i\rangle$ =initial, ground state
 $|n\rangle$ =intermediate, excited
 $|f\rangle$ =final (excited or not)

H_{int} = Dipole operator

J. App. Phys. 57, 3615 (1985)

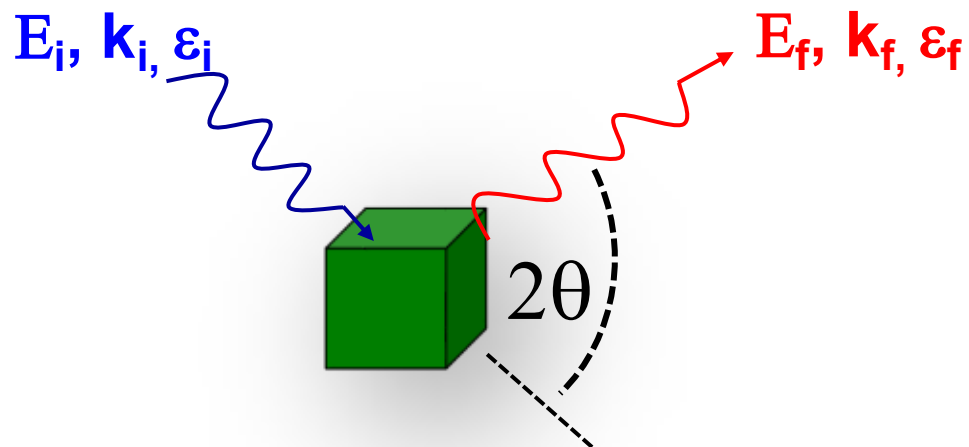
Under resonance conditions:

$\hbar\omega_i \sim E_i - E_n \rightarrow$ **2nd term** $\gg$ 1st term (non-resonant)

- enhancement of the cross-section
- enables coupling to forbidden non-dipolar excitations (intra-band d - d orbital excitations, magnetic excitations)

RIXS in steps

X-ray Scattering



X-ray photon:

- Energy $E = h\nu \rightarrow$ **Soft X-rays 0.2 – 2 keV**
Hard X-ray 2 – 20 keV
- Wavevector $k = 2\pi/\lambda$
- Polarization ϵ

To study crystals, λ H a H 3 Å is needed

$\rightarrow$ Photon Energy E (keV) $\sim 12.4/\lambda(\text{\AA})$ i.e. **X-rays!**

Photon *in* – Photon *out* technique

$$E_f = E_i$$

Elastic Scattering ($\Delta E=0$)

$$E_f \neq E_i$$

Inelastic Scattering

$$\Delta E = E_f - E_i$$

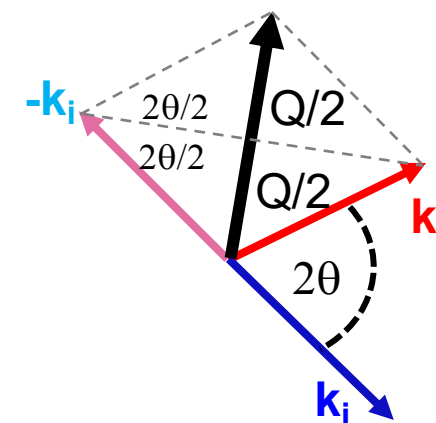
Energy loss

$$\text{If } \Delta E \ll E_i \rightarrow |k_i| \sim |k_f|$$

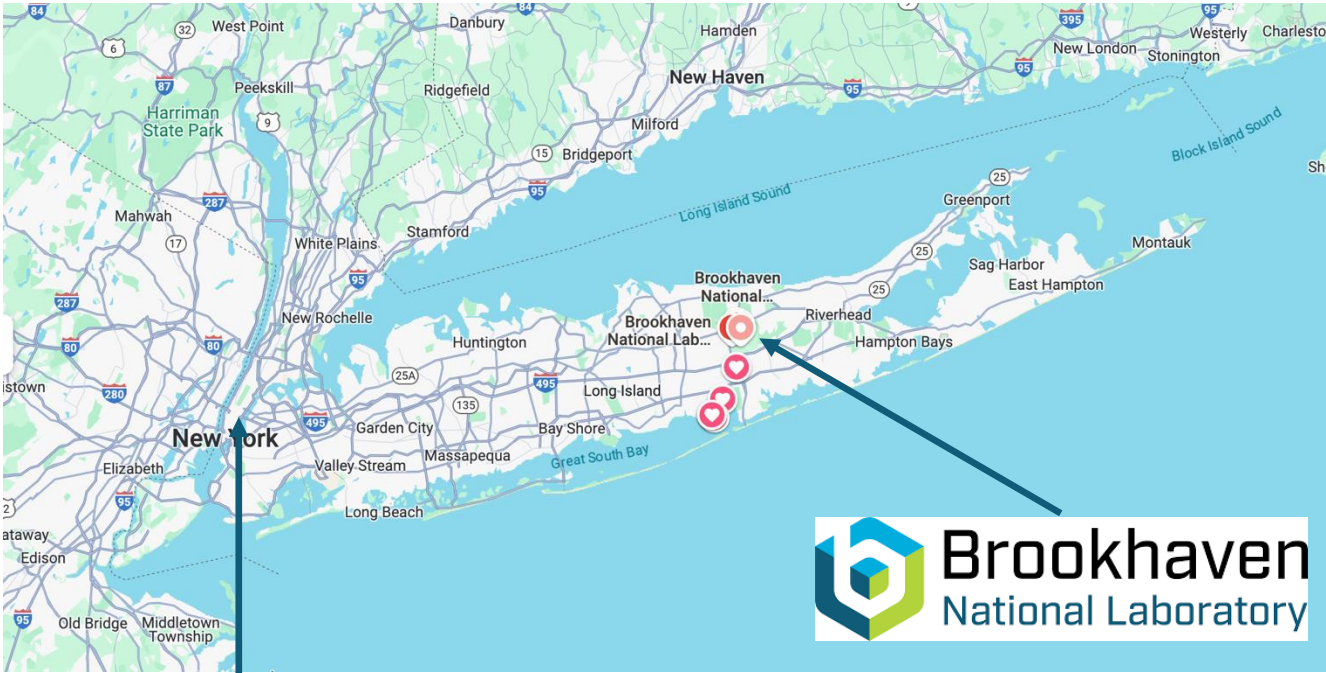
Momentum Transfer:

$$\begin{aligned} Q &= k_f - k_i \\ &= 2 \times |k_i| \times \sin(2\theta/2) \\ &= (4 \pi/\lambda) \times \sin(2\theta/2) \end{aligned}$$

Scattering Triangle



RIXS – NSLS-II and BNL



Manhattan

Google map



Electron storage ring



Our endstation / lab

NSLS-II, BNL, Upton, NY
Aerial view

RIXS: instrument concept for Soft X-rays

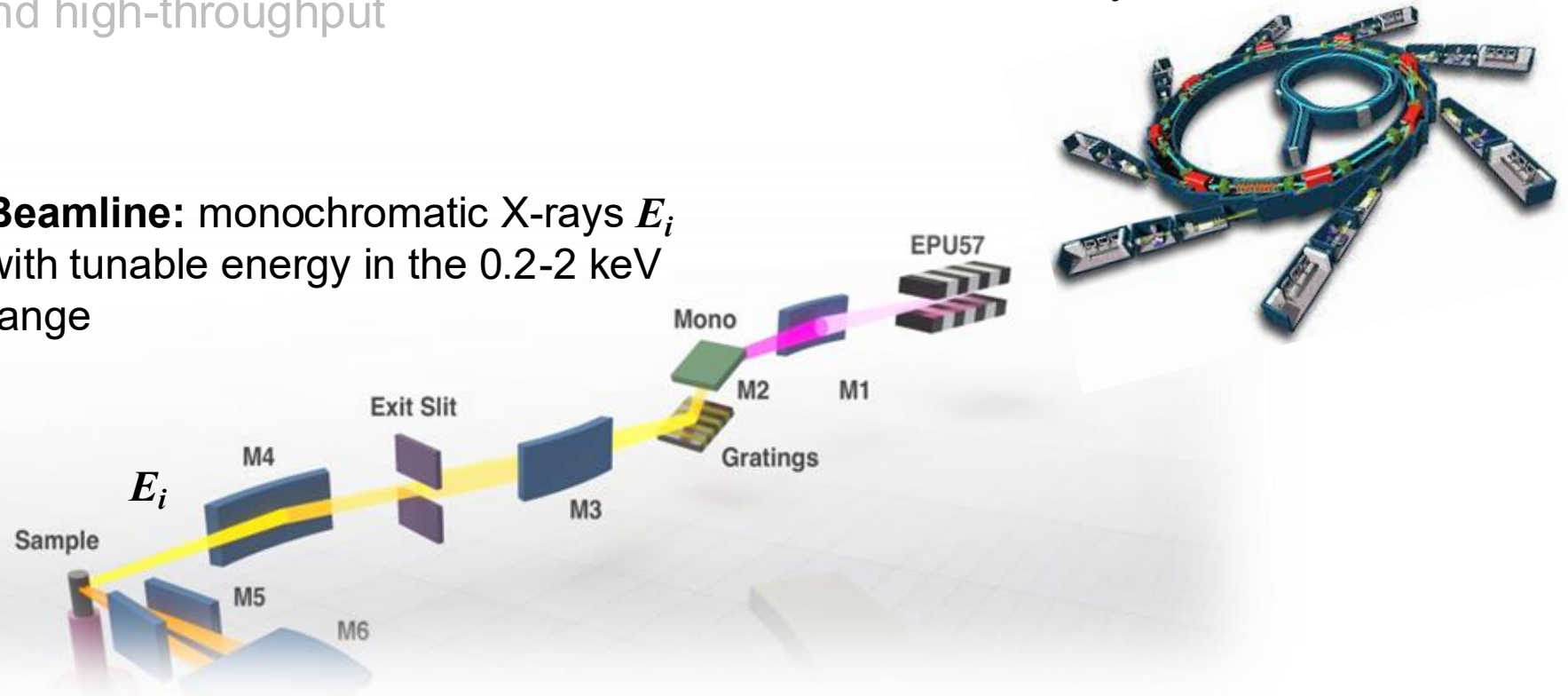
Requirements

- 1) resonance $\rightarrow$ monochromatic and tunable E_i
- 2) RIXS cross section intrinsically low $\rightarrow$ high photon flux for E_i and high-throughput instrument

$\rightarrow$ Special X-ray Source !

Synchrotron: bright, high photon flux X-ray source

Beamline: monochromatic X-rays E_i with tunable energy in the 0.2-2 keV range



RIXS: instrument concept for Soft X-rays

Requirements

- 2) RIXS cross section intrinsically low $\rightarrow$ high photon flux for E_i and high-throughput instrument
- 3) distinguish overlapping excitations $\rightarrow$ high resolving power $R = 1/\Delta E$ to resolve E_f with high precision

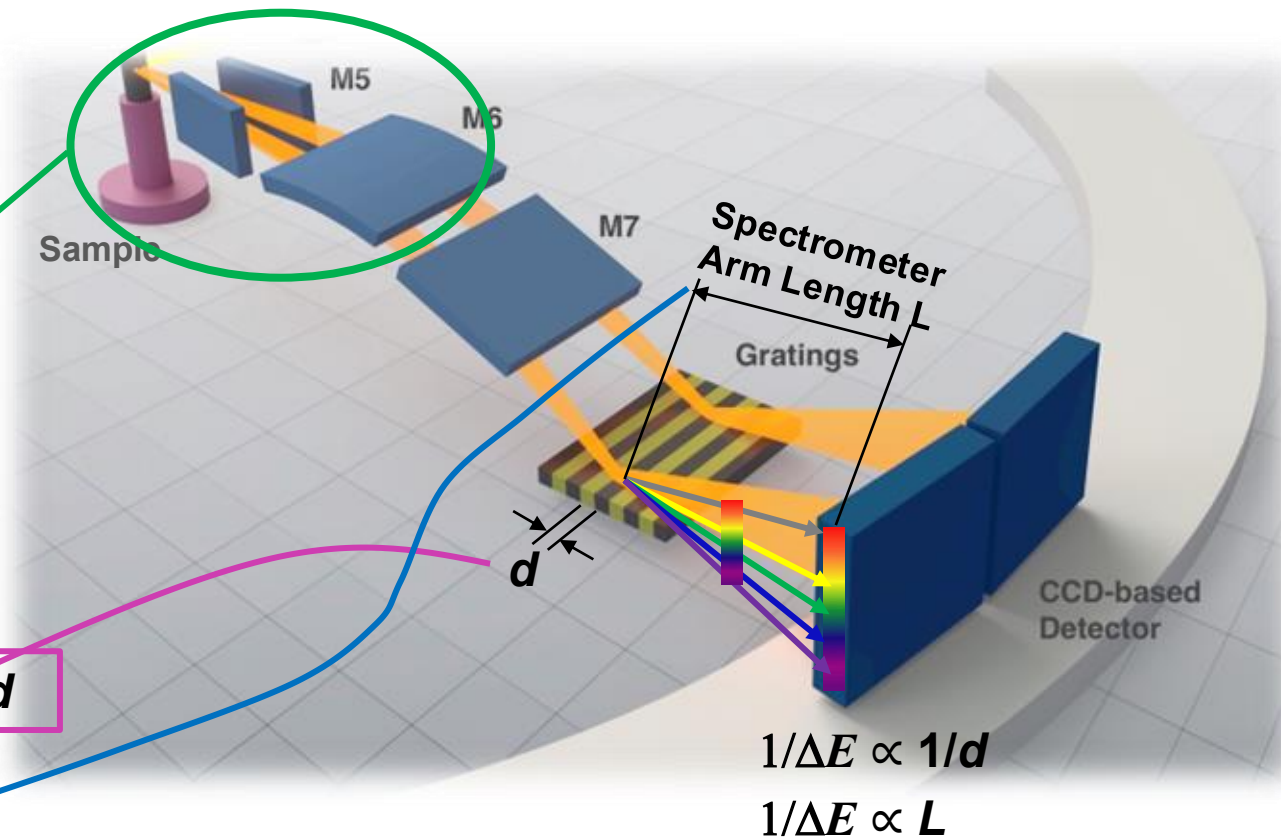
Collective Optics to increase the “collected solid angle” $\Delta\Omega \rightarrow$ increase spectrometer throughput

Grating: dispersive optical element for Soft X-rays
 $\rightarrow$ separates in energy the scattered X-rays

Smaller grating line separation $d \rightarrow$ increase $R \propto 1/d$

Longer Spectrometer Arm $L \rightarrow$ increase $R \propto L$

$\rightarrow$ Special-design for RIXS Spectrometer !

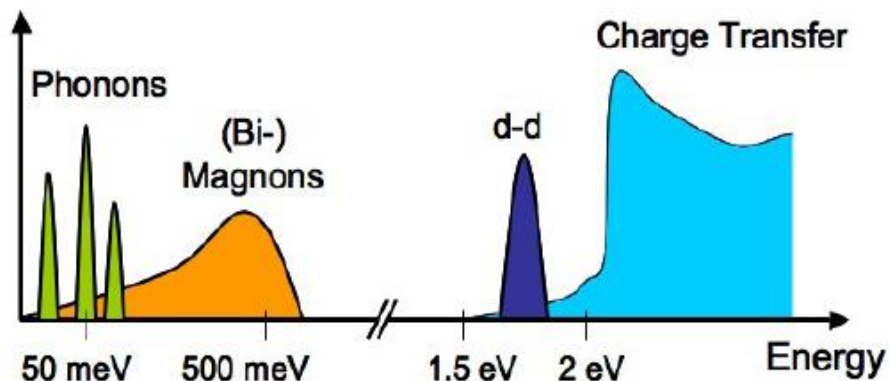


$\rightarrow$ Long Spectrometer Arm design enables RIXS with high resolving power!

RIXS in a nutshell

Summary

- **Inelastic:** create excitations sensitive to all electron degrees of freedom → ideal for studying electronic properties in novel materials
- **Momentum Transfer Q** → measure $E(q)$ dispersion relation
- **Resonant** → cross-section enhancement, **site** and **chemical** selectivity, small sample volume needed



L.J.P. Ament et al., *Rev. Mod. Phys.* 83,705 (2011)

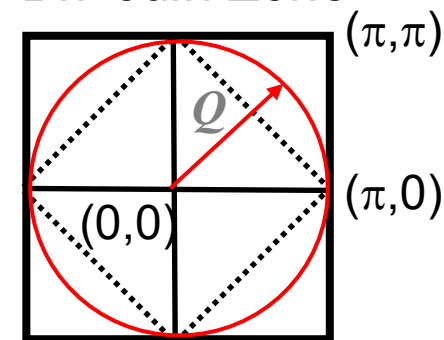
Requirements

- 1) resonance → monochromatic and tunable E_i
- 2) RIXS cross section intrinsically low → high photon flux for E_i and high-throughput instrument
- 3) distinguish overlapping excitations → high resolving power $R = 1/\Delta E$ to resolve E_f with high precision

Limitations

- 1) Intrinsic limitation in Q
- 2) Poor energy resolution ΔE compared to INS
- 3) complicated cross-section

Brillouin Zone

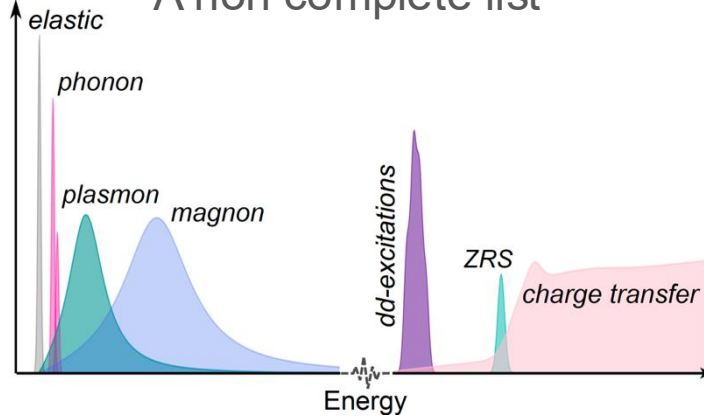


$a=b=3.8 \text{ \AA}$

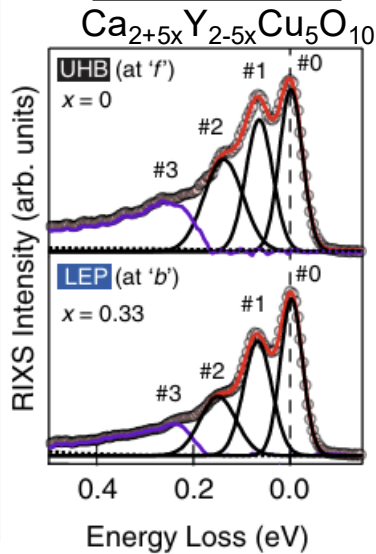
$E=930\text{eV}$ $2\theta=150^\circ$

RIXS & excitations

A non complete list

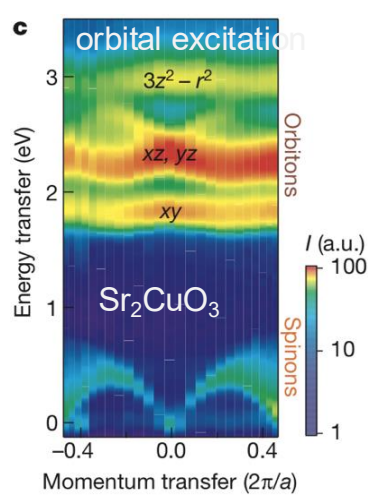


Phonons



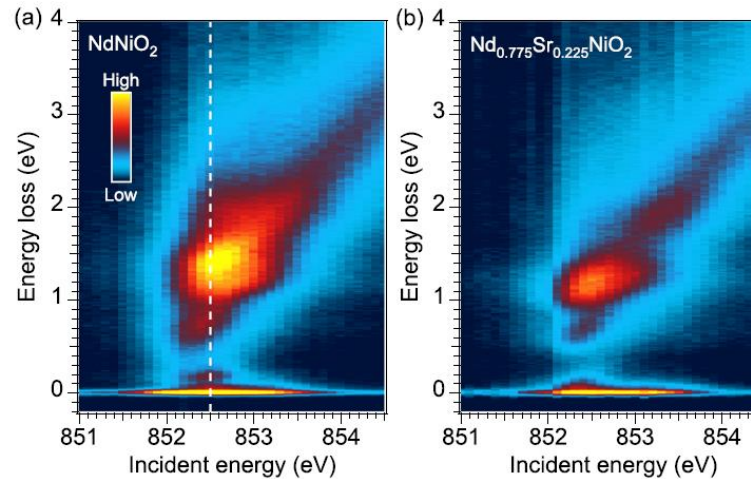
W.S. Lee et al., **PRL** 110, 265502 (2013); S. Johnston et al., **Nat. Comm.** 10563 (2016).

Spinon - orbiton



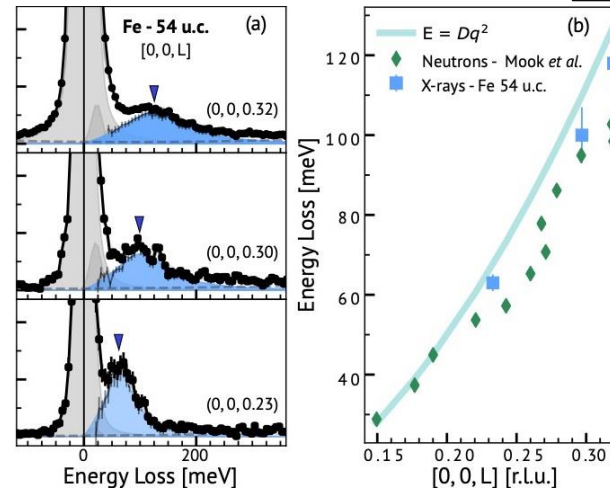
J. Schlappa et al., **Nature** 485, 82 (2012).

Crystal-field excitations

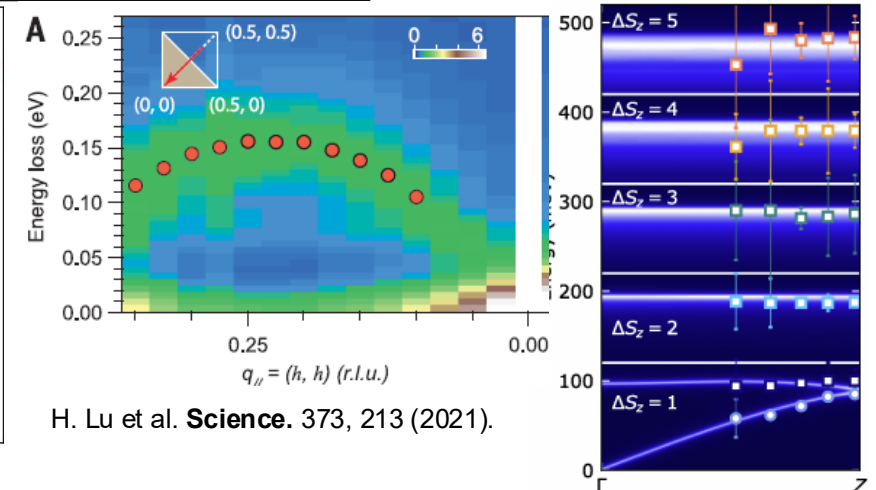


M. Rossi et al., **Phys. Rev. B** 104, L220505 (2021).

Spin excitations



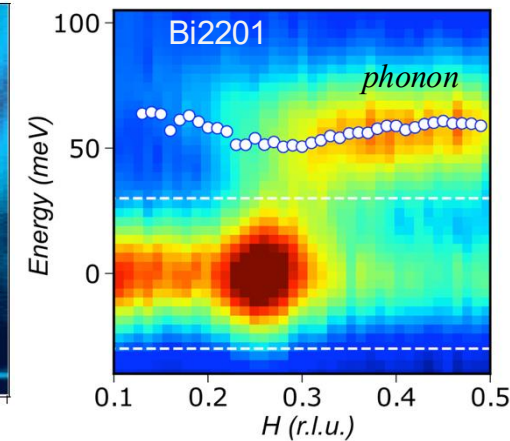
J. Pelliciari et al. **Nat. Mater.** 20, 188 (2021).



H. Lu et al. **Science**. 373, 213 (2021).

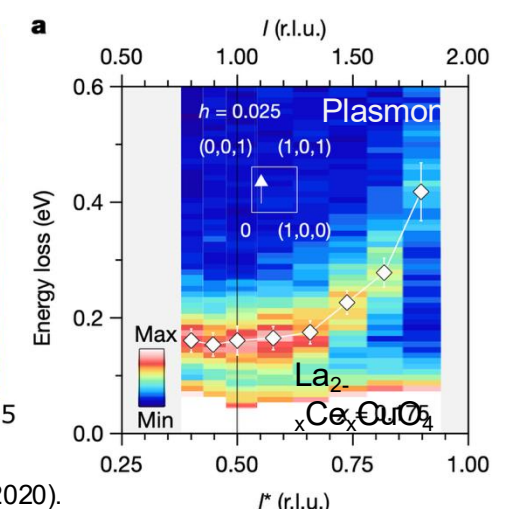
J. Li et al. **Phys. Rev. X** 13, 011012 (2023).

Charge order



J. Li et al., **PNAS** 117, 16219 (2020).

Plasmon



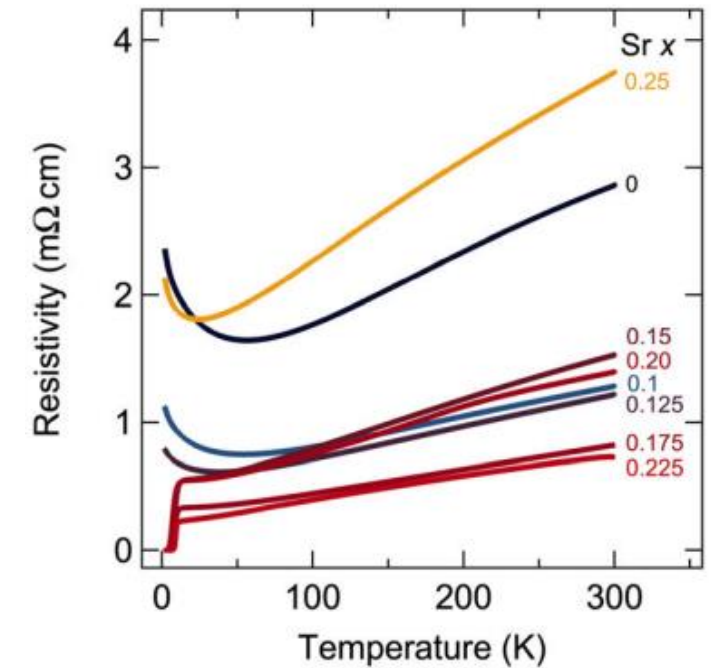
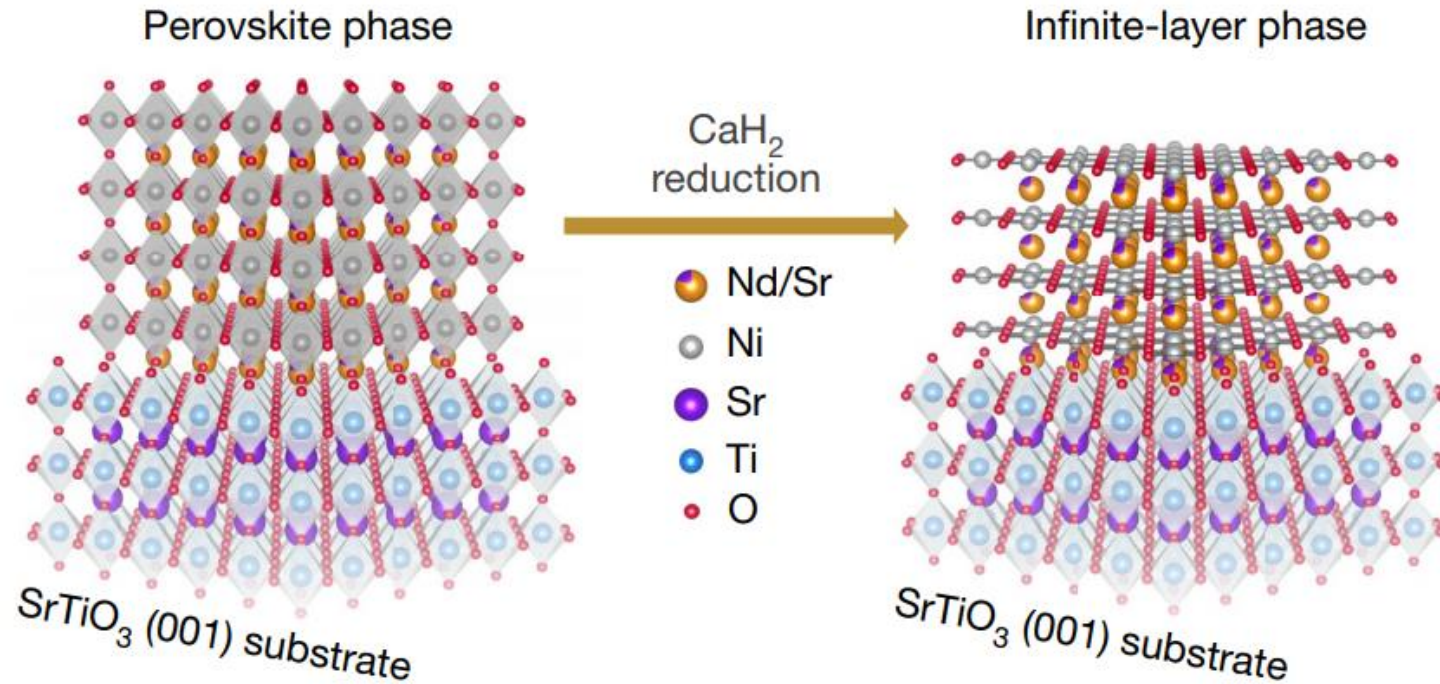
Hepting et al., **Nature** 563, 374 (2018)



Outline:

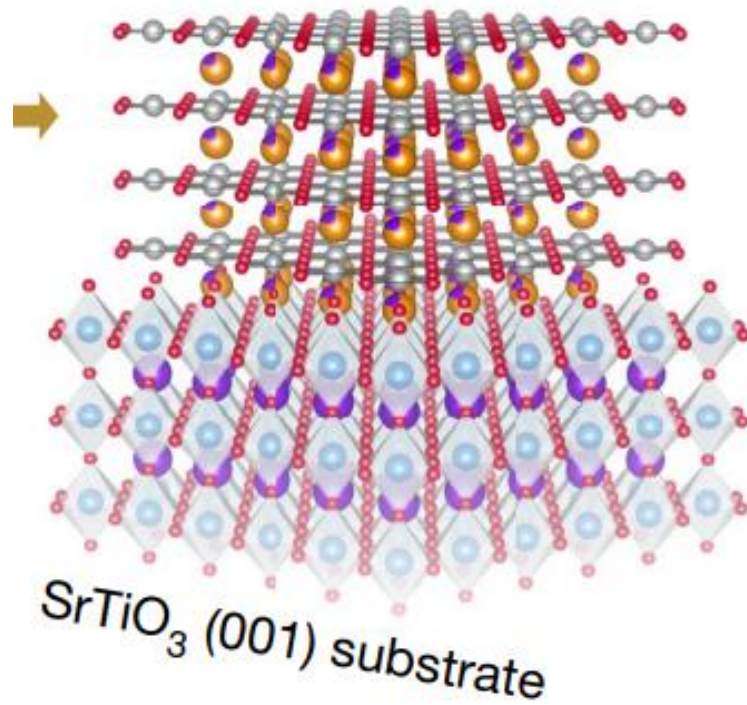
- Some view of light matter interaction
- X-ray Sources
- Specifics of Resonant Inelastic X-Ray Scattering
- **Examples of RIXS studies**
 - Novel superconductors – Fan et al, Phys. Rev. Lett. 133, 206501
 - Experiments on thin magnets – Pellicciari et al, Nat. Mat. 20, 188
 - Excitons – Occhialini et al, Phys. Rev. X 14, 031007

Nickelates -- Intro

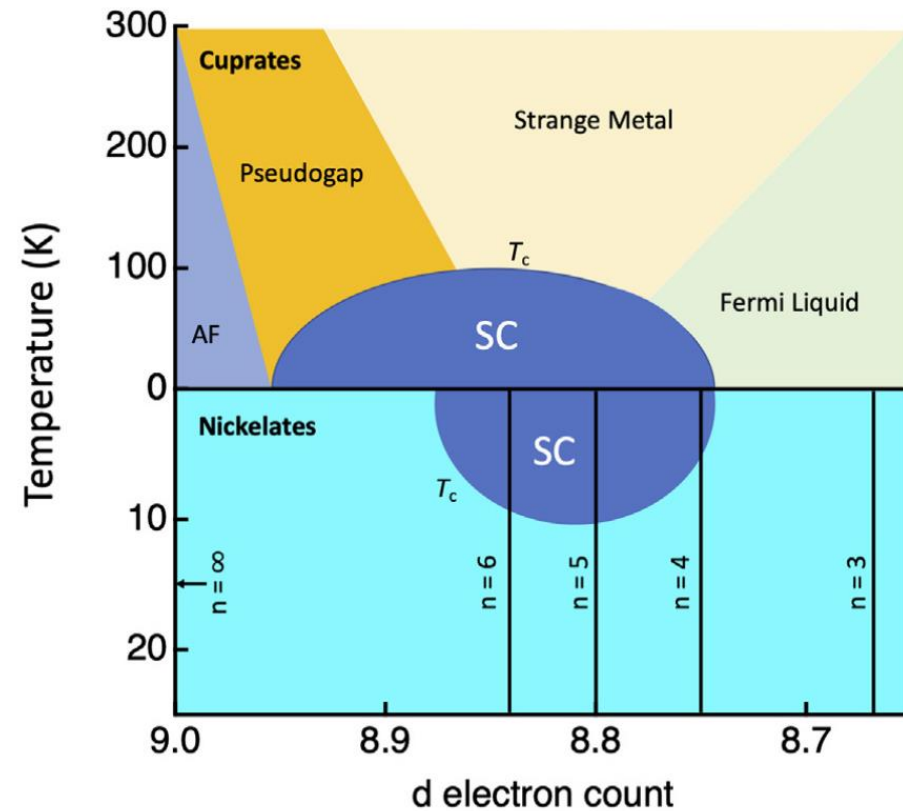


- Developed from RNiO₃ by CaH₂ Reduction
- Superconducting at 20% hole/ Sr doping
- T_C ~ 15 K
- An STO capping layer can be added

Nickelates -- Intro



- Layered structure
- d⁹ electronic configuration
- Likely unconventional SC with typical dome shaped phase diagram
- Only thin films are superconducting
- STO capping layer can be added



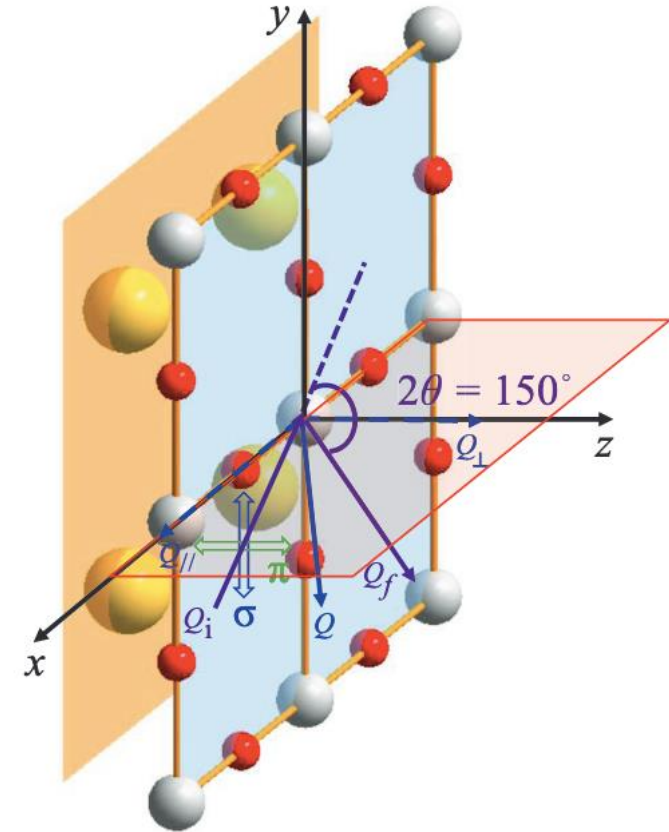
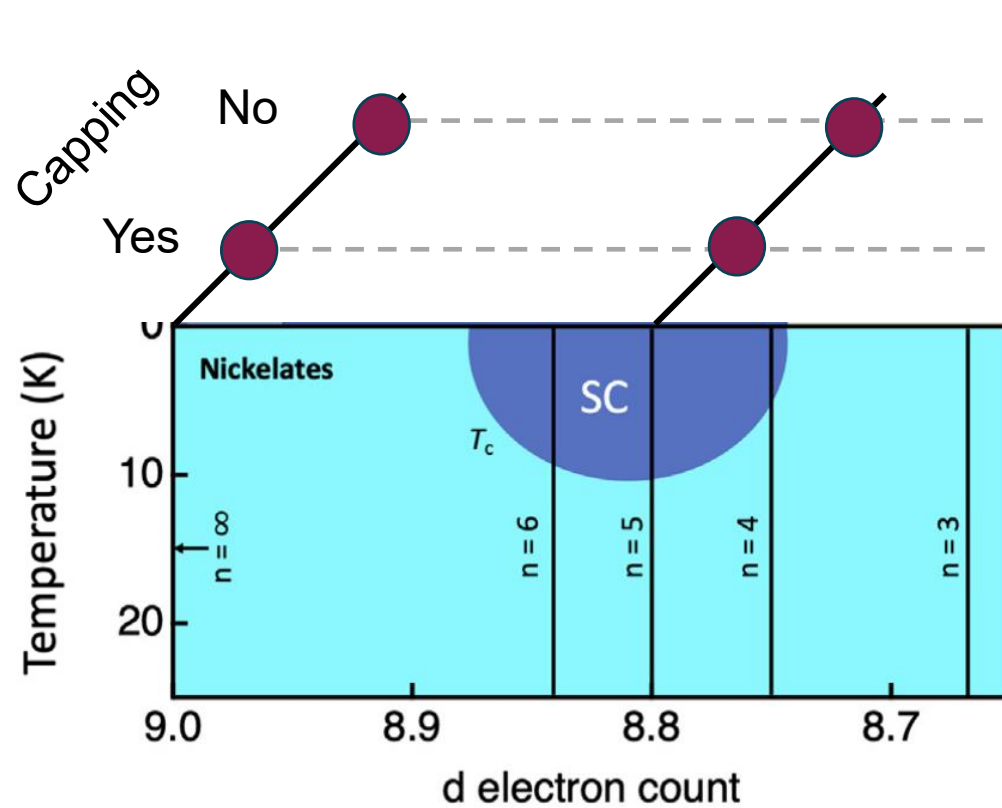
D. Li et al. Nature. 572, 2019.

D. Li et al. Phys. Rev. Lett. 125, 2020.

J. Mitchell, Frontiers in Physics

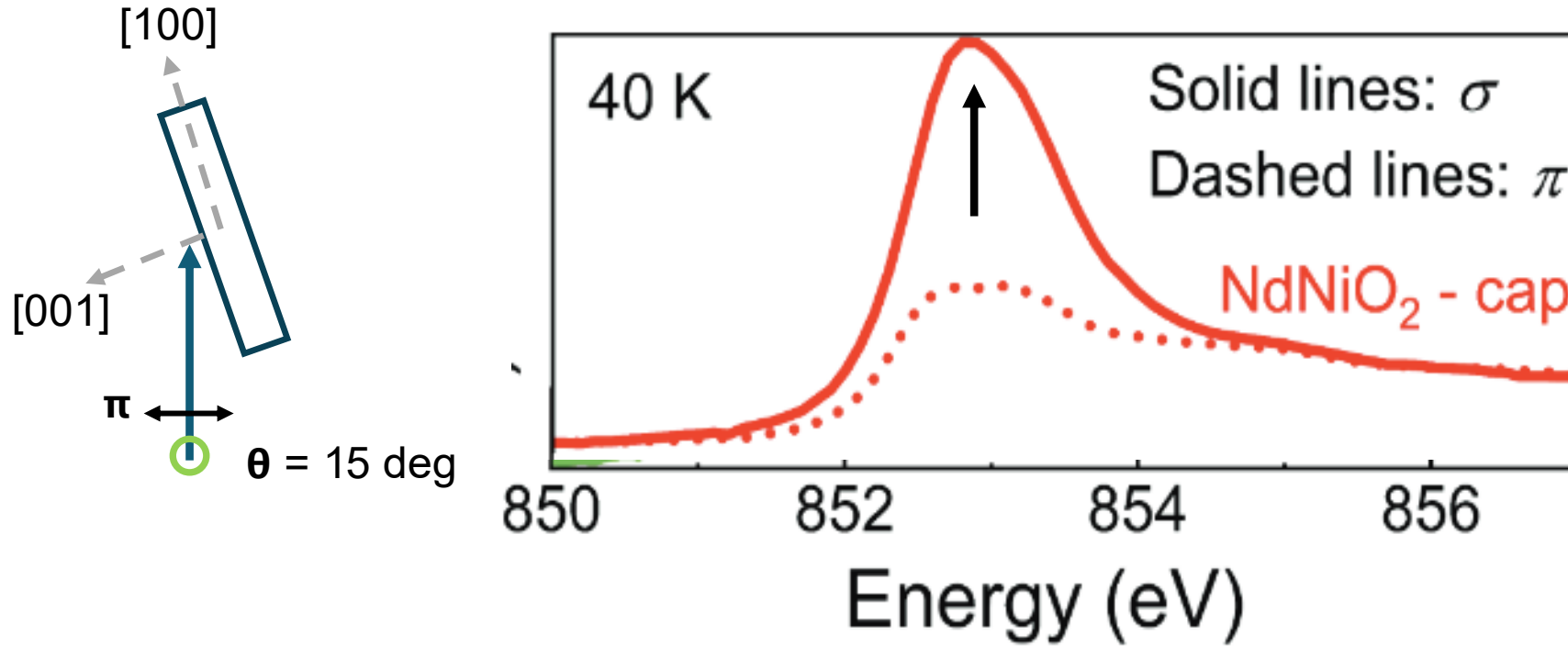
<https://doi.org/10.3389/fphy.2021.813483>

Samples & Experimental conditions



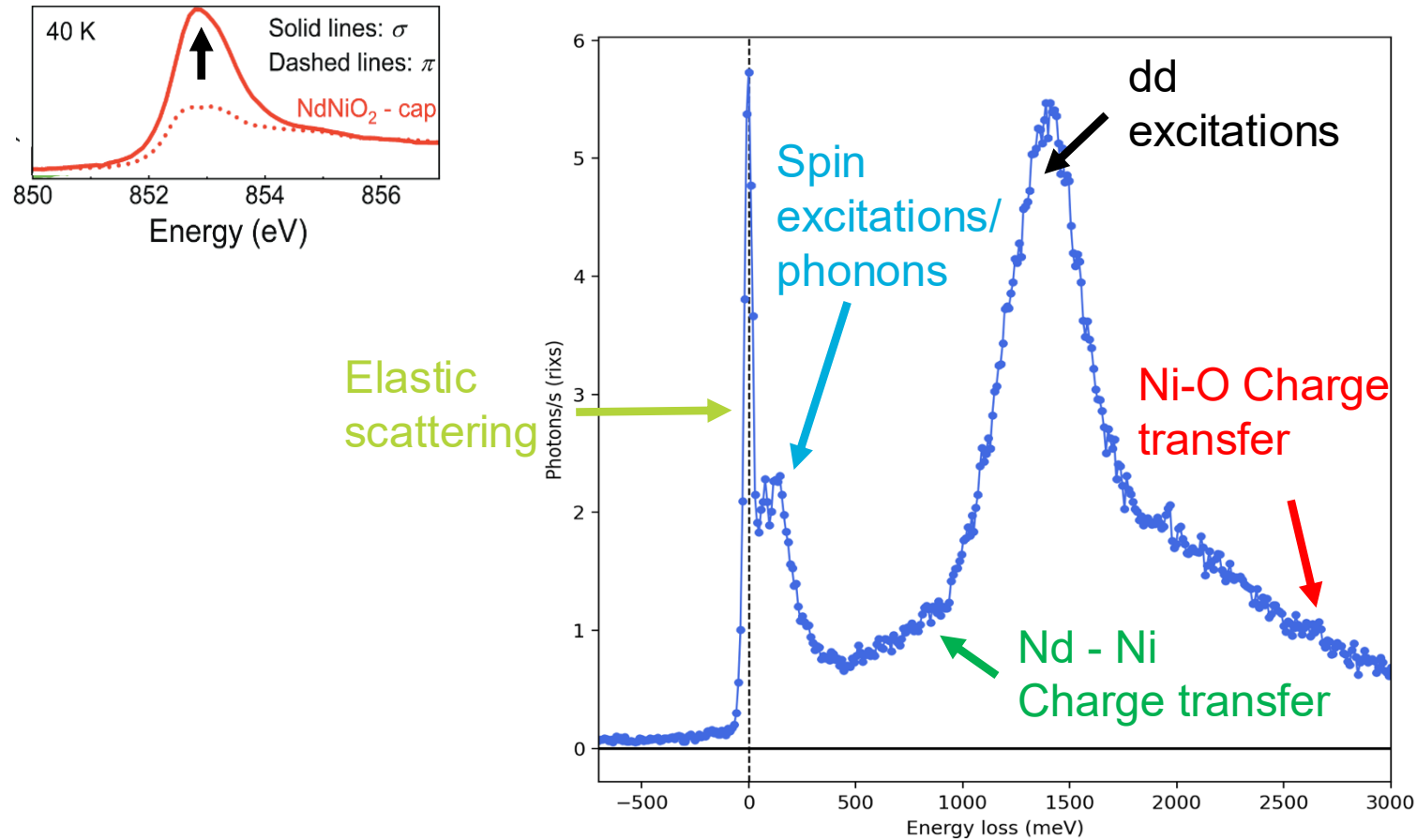
- Thickness $\sim 10\text{nm}$
- Temperature 30 K
- $2\theta = 150^\circ$, grazing incidence geometry
- Resolution 35 meV

Nickelates – XAS response



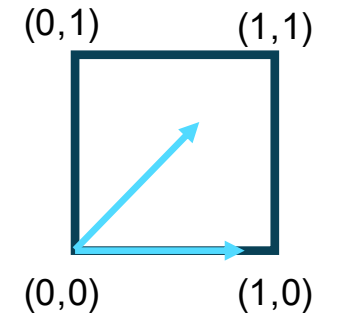
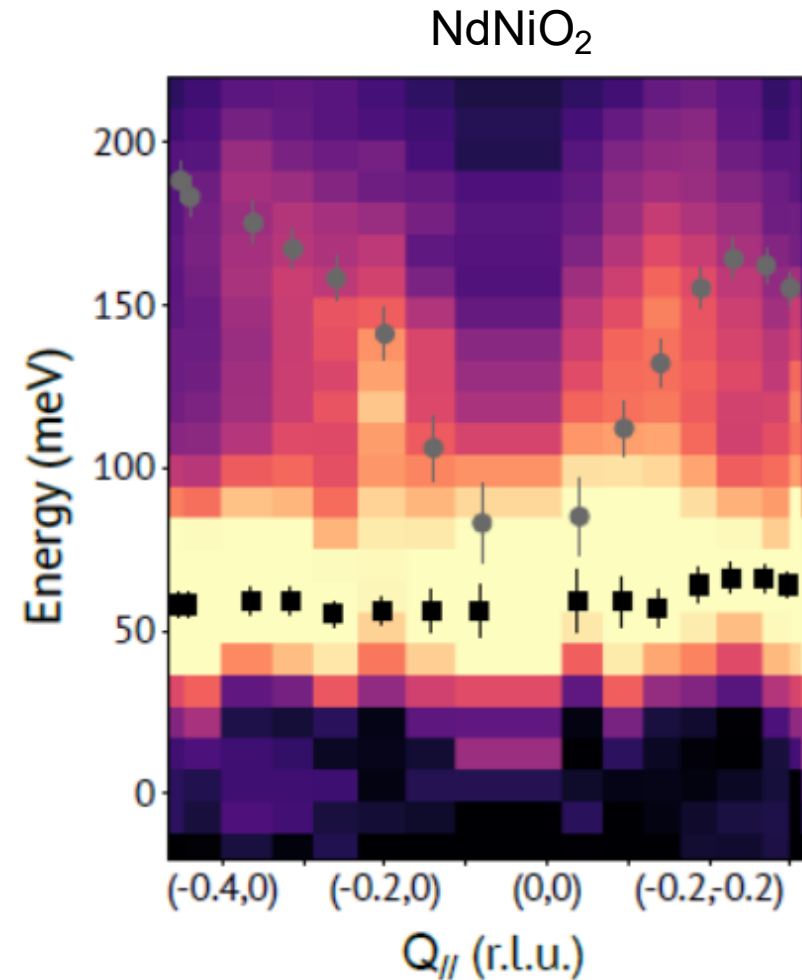
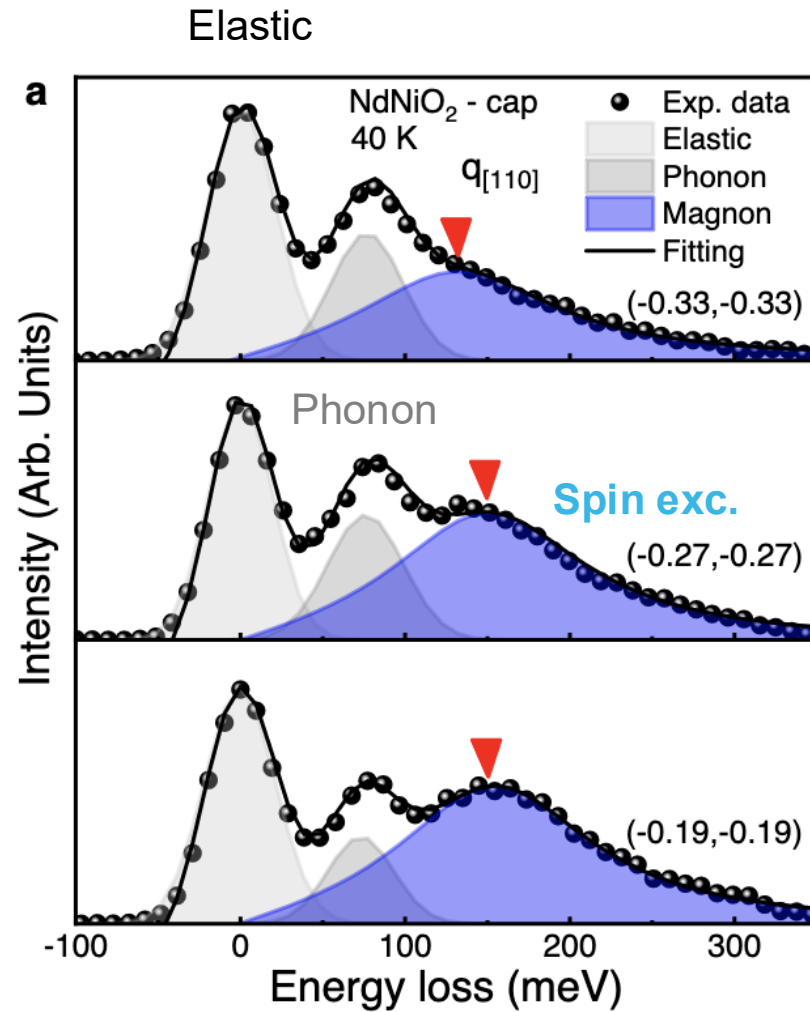
Strong linear dichroism indicate a Ni- d^9 electronic configuration
Ground state $\rightarrow$ hole with x^2-y^2 symmetry

Nickelates – RIXS response



Broad perspective of the spin/charge/orbital elementary excitations

Nickelates – Low Energy excitations

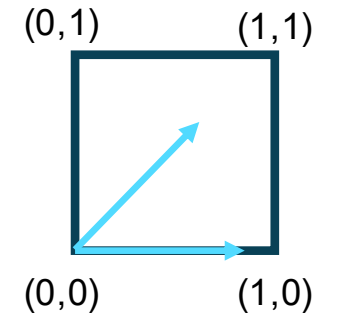
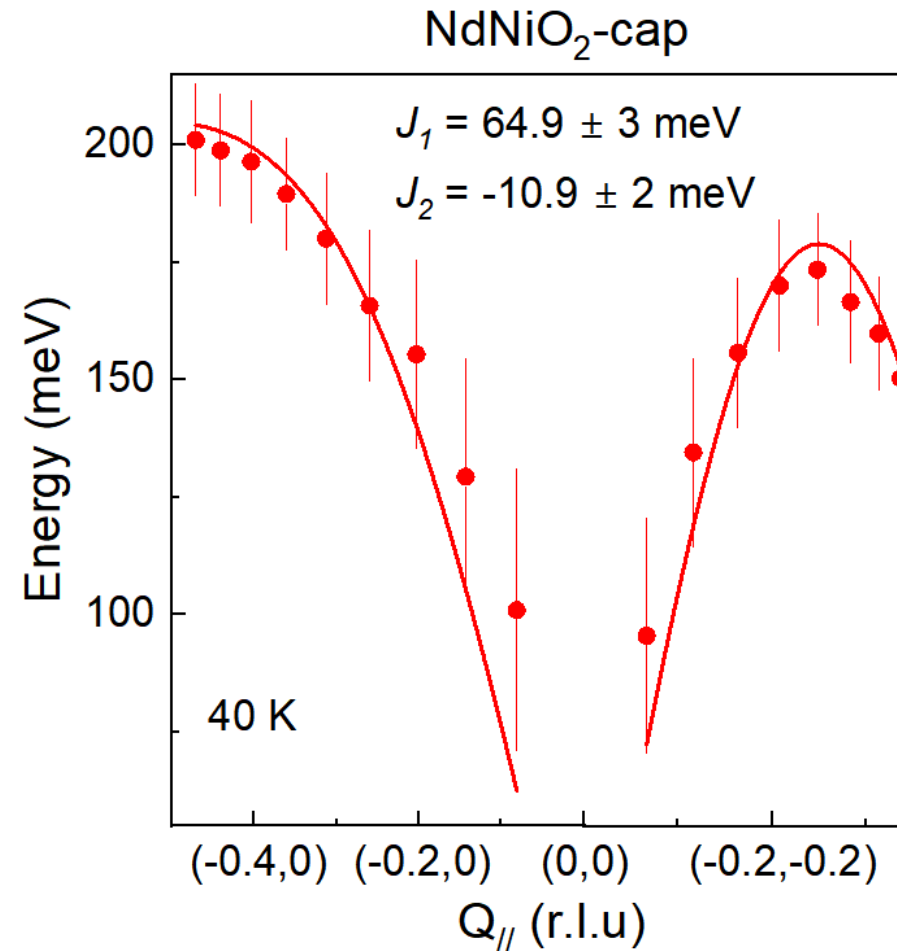


Spin Excitations

Phonon

- Presence of phonons and spin excitations in NdNiO₂
- Dispersive spin excitations

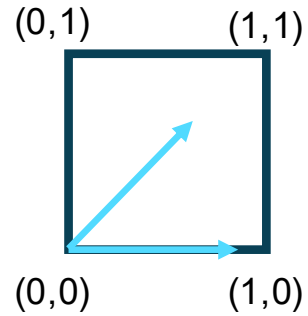
Capping effect – Low Energy excitations



$$H = J_1 \sum_{\langle ij \rangle} S_i \cdot S_j + J_2 \sum_{\langle ii' \rangle} S_i \cdot S_{i'}$$

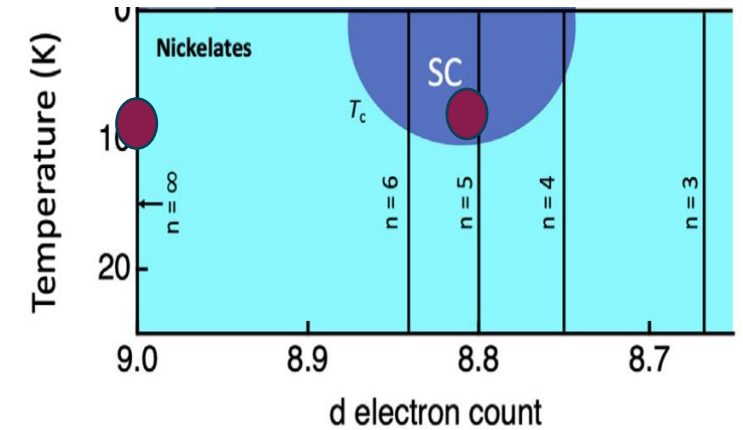
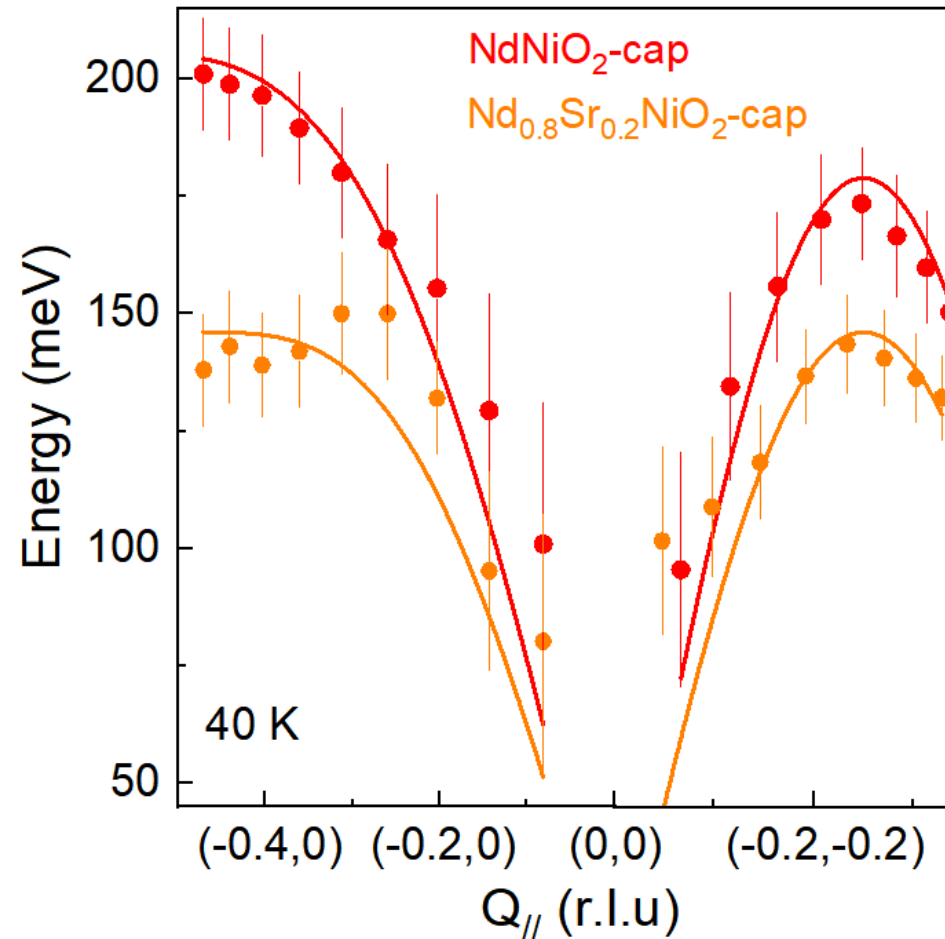
Dispersion of spin excitations fit with J₁-J₂ Heisenberg model

Doping effect – Low Energy excitations



Capped (NNO)
 $J_1 = 64.9$ meV;
 $J_2 = -10.9$ meV

Capped (NSNO)
 $J_1 = 62$ meV;
 $J_2 = 0$ meV



- Doping consistently softens the spin excitations
- Magnetic dilution effect explain the doping dependence

Conclusions

Intrinsic effects

- Spin excitations are intrinsic of 112 nickelates (regardless of capping)
 - No CDW in parent infinite layer nickelates
 - Doping effect of spin excitations

Interfacial effects

- STO Capping slightly affects spin excitations and Nd/Ni charge transfer
- DFT calculations show STO capping (apolar interface) affects the Nd/Ni hybridization
- Consequence of this is an increase of magnetism (more calculations underway)

More at Fan et al, Phys. Rev. Lett. 133, 206501

Conclusions in general

X-rays

- Elastic and Inelastic scattering fundamental to study materials
 - Sensitivity to electronic orders
 - Sensitivity to excitations

Large scale facilities

- New instrumentation leads to better understanding
- Collaboration using multiple techniques to deeply understand the physics

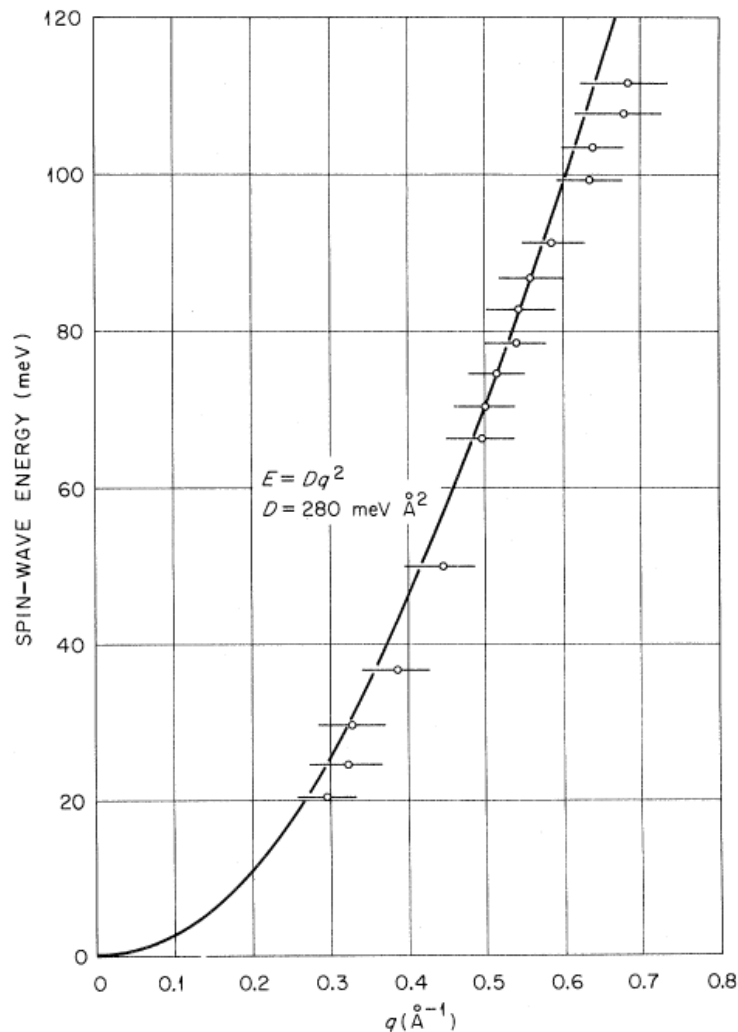
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Outline:

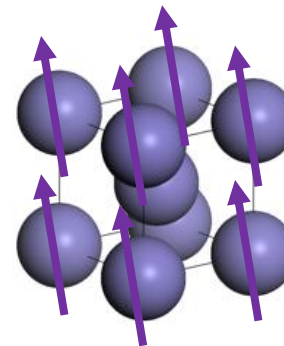
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Spin-waves in Fe



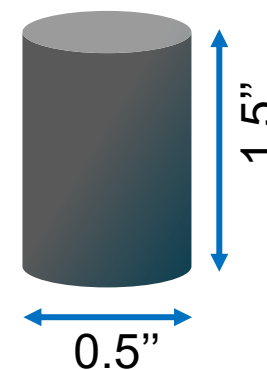
- Fe metal is one of the simplest, known ferromagnet

Iron Metal:



- Spin-wave in Fe metal were measured ~ 50 years ago in single crystal by INS (inelastic neutron scattering)
- Spin-wave dispersion relation $E(q)$ reveals the typical behaviour for ferromagnet at small q :

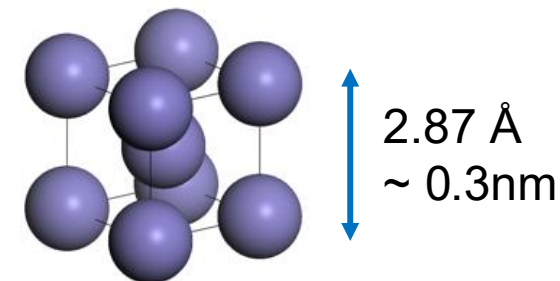
Fe crystal



$$E(q) = Dq^2 \propto q^2$$

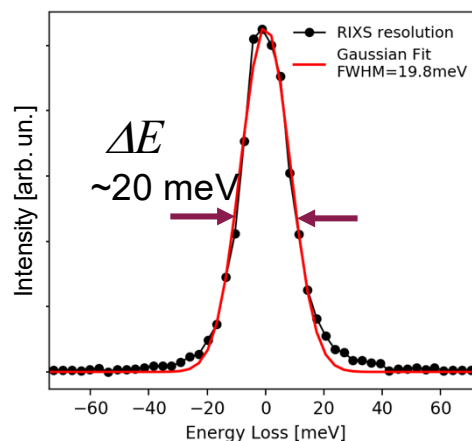
Spin-waves in Fe studied with RIXS

- Fe thin films grown by Molecular Beam Epitaxy (Yale University) on MgO substrate
- Film thicknesses: 105 unit cell (u. c.), 54 u.c., 29 u.c., 17 u.c., 6 u.c. and 3 u.c.



30 nm, 16 nm, 9 nm, 5 nm, 2 nm, **1 nm!**

High-sensitivity of RIXS at Fe L_3 edge + few tens of nm penetration depth + high resolving power to investigate the low-energy spin-waves in ultrathin samples



Up to 37 million times thinner than the sample used in INS study!!

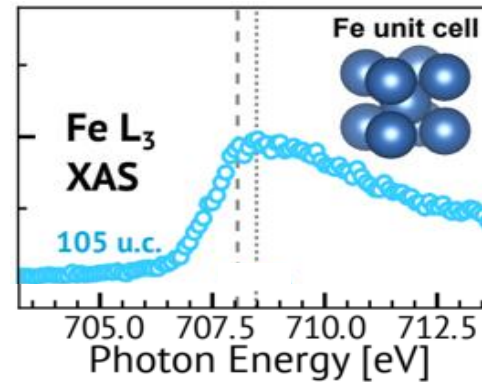
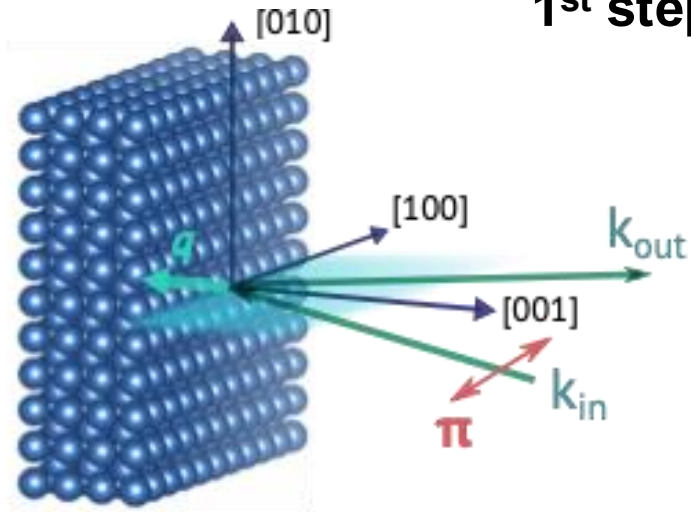
Fe crystal

1.5"

0.5"

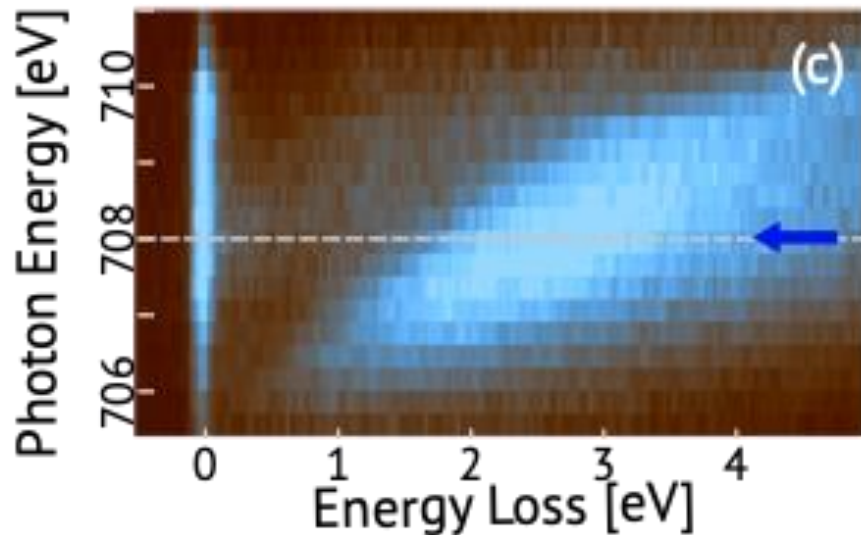
Spin-waves in Fe studied with RIXS

1st step: RIXS on Fe thick films 105 u.c. → check sensitivity and feasibility of the proposed approach

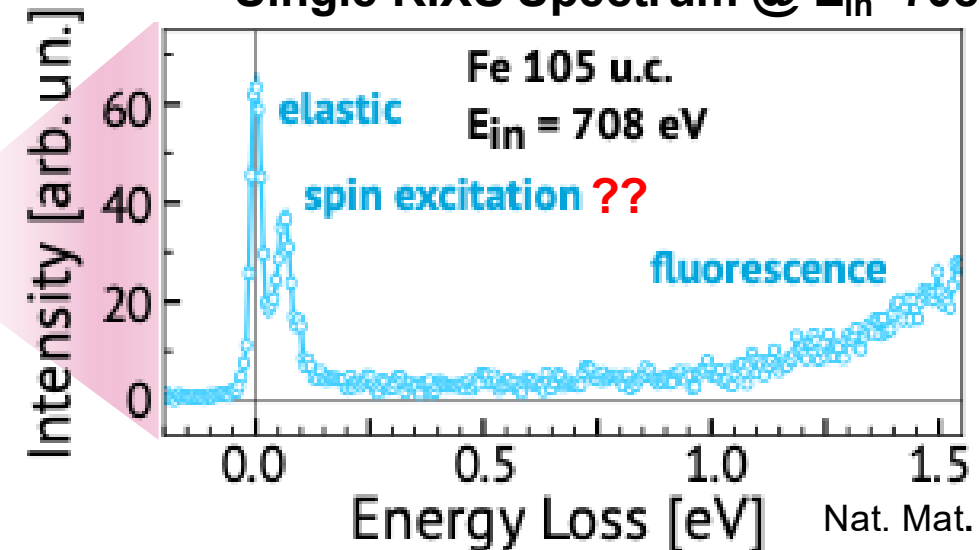


X-ray Absorption Spectrum: identify the resonance and energy range for E_{in}

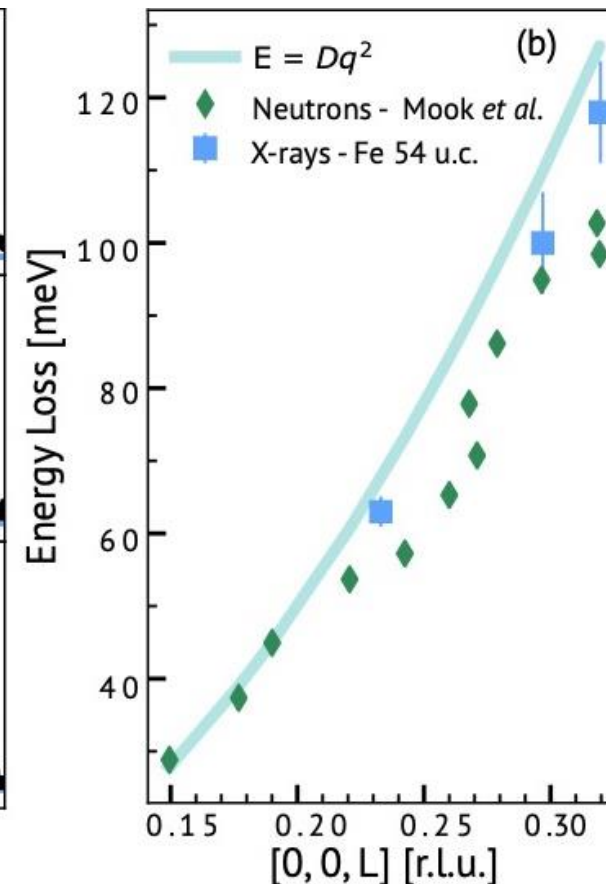
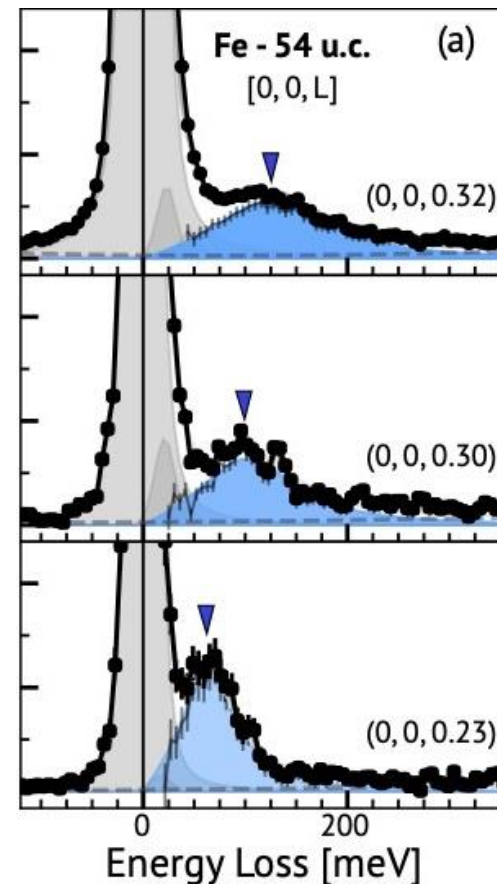
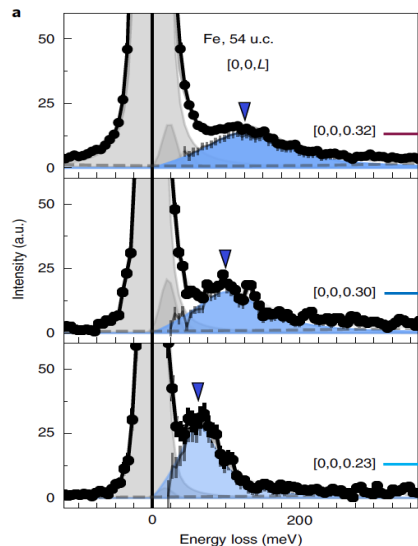
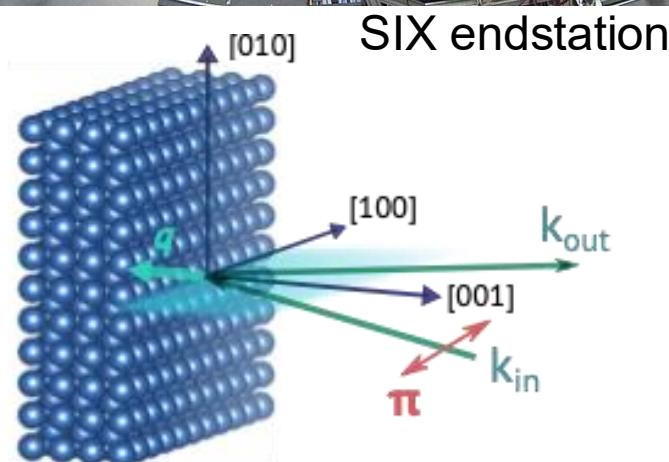
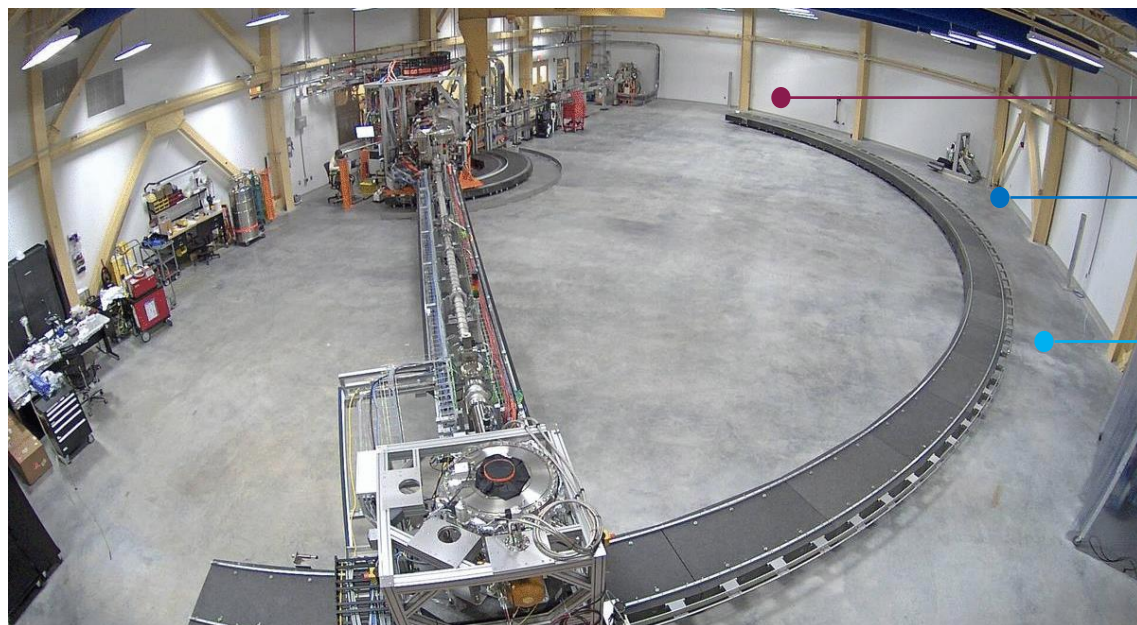
RIXS across the Fe L_3 edge



Single RIXS Spectrum @ $E_{in}=708$ eV



Spin-waves in Fe studied with RIXS



Mook et al., PRB 7, 336 (1973)

- q - momentum dependence study to evaluate $E(q)$
- $E(q)$ compatible with INS and $\propto q^2$

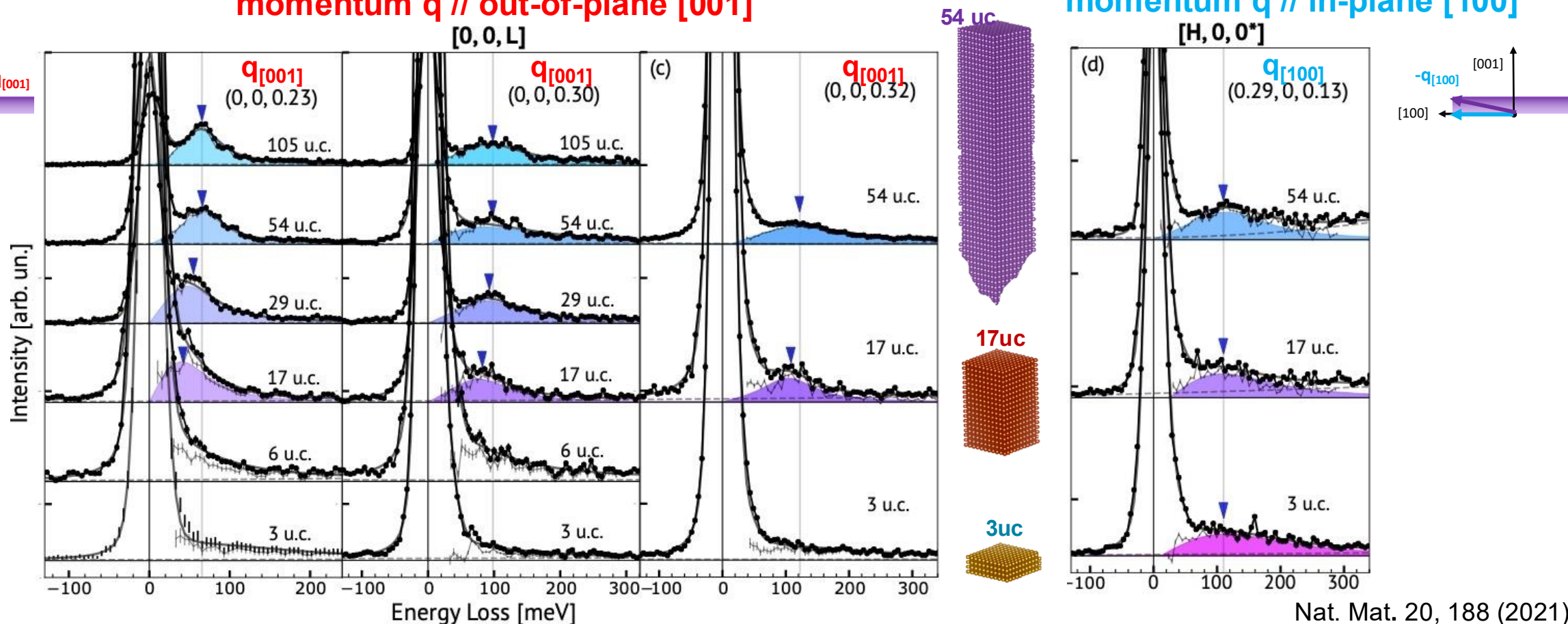
Spin-waves in Fe studied with RIXS: versus thickness

momentum q // out-of-plane $[001]$

$[0, 0, L]$

momentum q // in-plane $[100]$

$[H, 0, 0^*]$



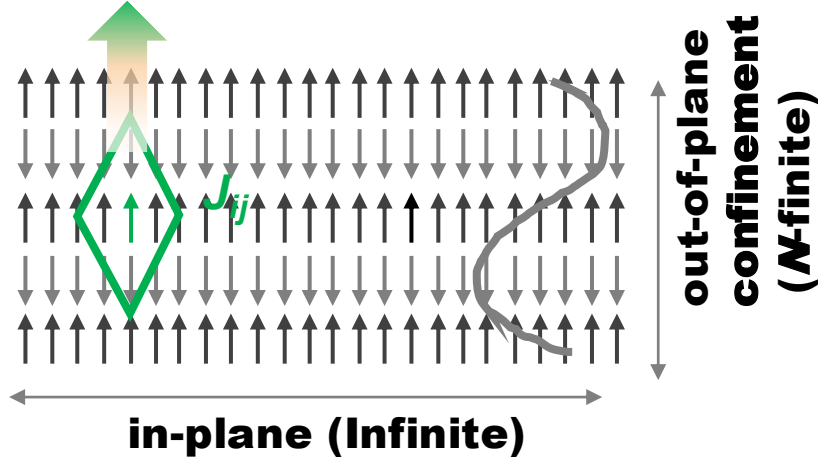
Nat. Mat. 20, 188 (2021)

- Spin excitations in films thinner $< 10\text{nm}$ (29 u.c.) are different from the bulk
- Softening of the spin excitations along the $[001]$ direction
- No change along the $[100]$ direction

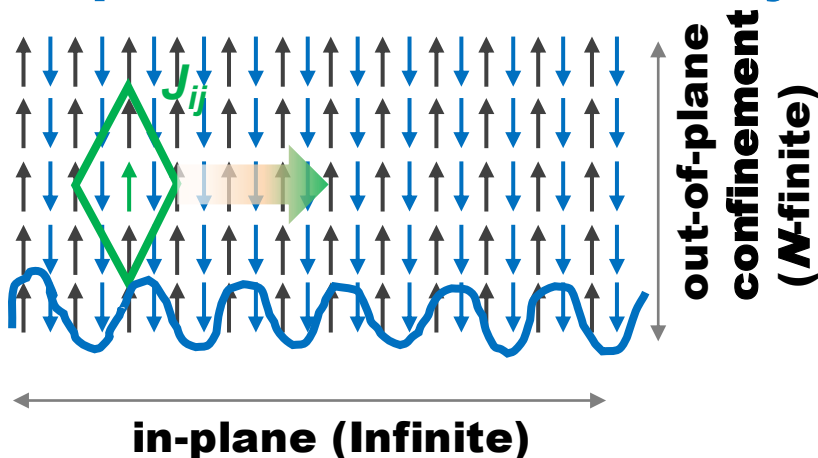
→ Anisotropic evolution between $[001]$ and $[100]$

Tuning spin excitations in magnetic films by confinement

Out-of-plane mode at Zone Boundary



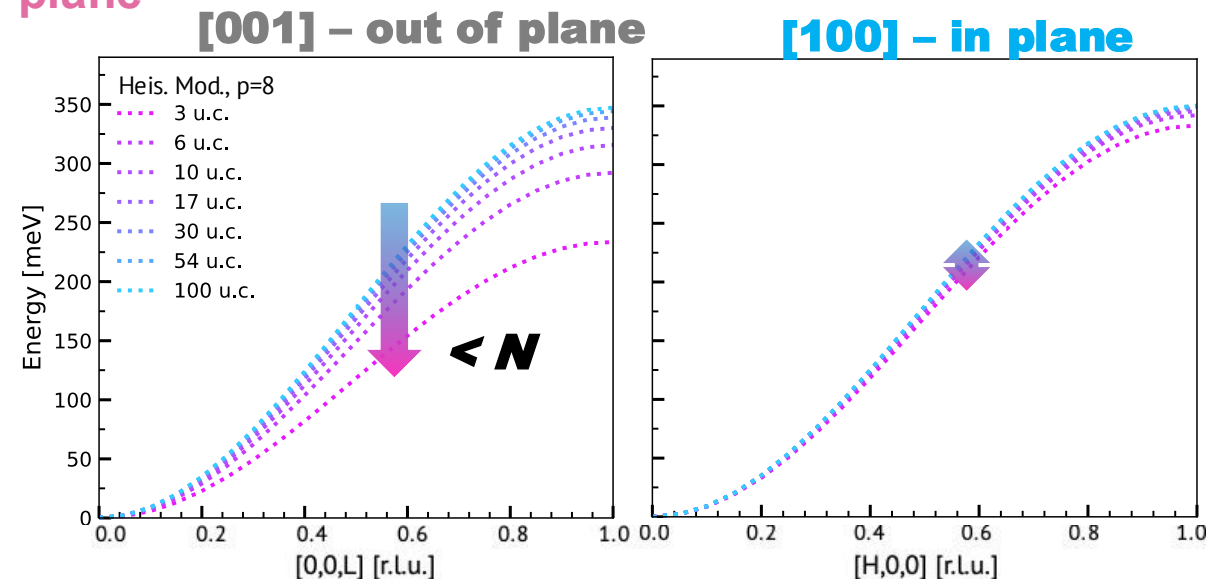
In-plane mode at Zone Boundary



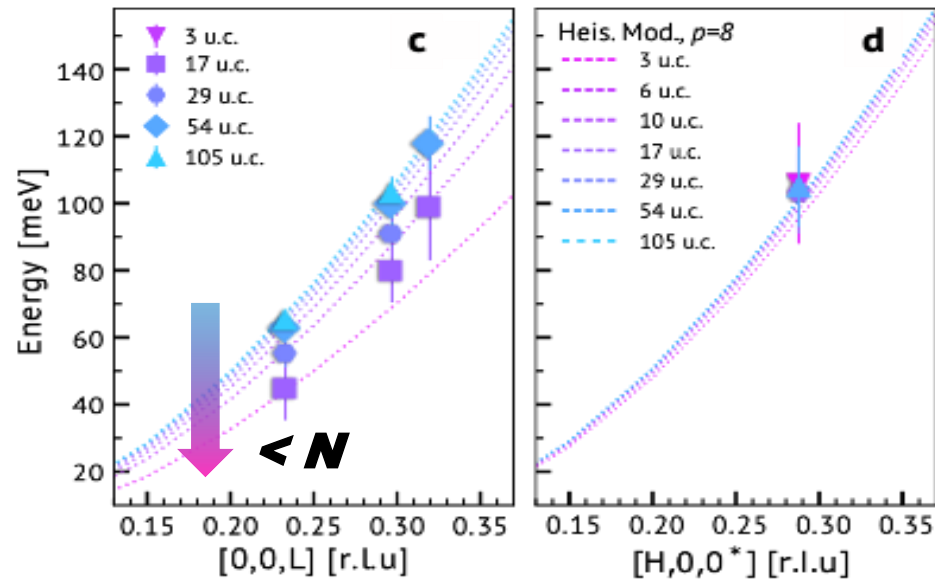
- Heisenberg model with an effective J_{ij} interaction to account for itinerant electron behaviour

$$\mathcal{H} = - \sum_{ij} J_{ij} \hat{S}_i \cdot \hat{S}_j \quad \text{with} \quad J_{ij} = J_0 \left(\frac{a}{R_{ij}} \right)^p, \quad p=8$$

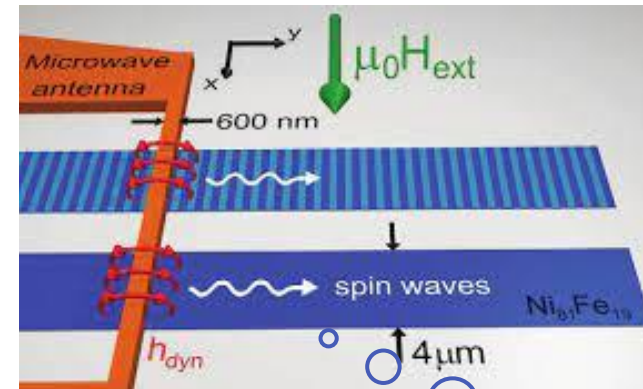
- Consider a finite number of layer N to simulate the confinement effect
- Anisotropic evolution of $E(q)$ vs N between **out-of-plane** and **in-plane**



Tuning spin excitations in magnetic films by confinement



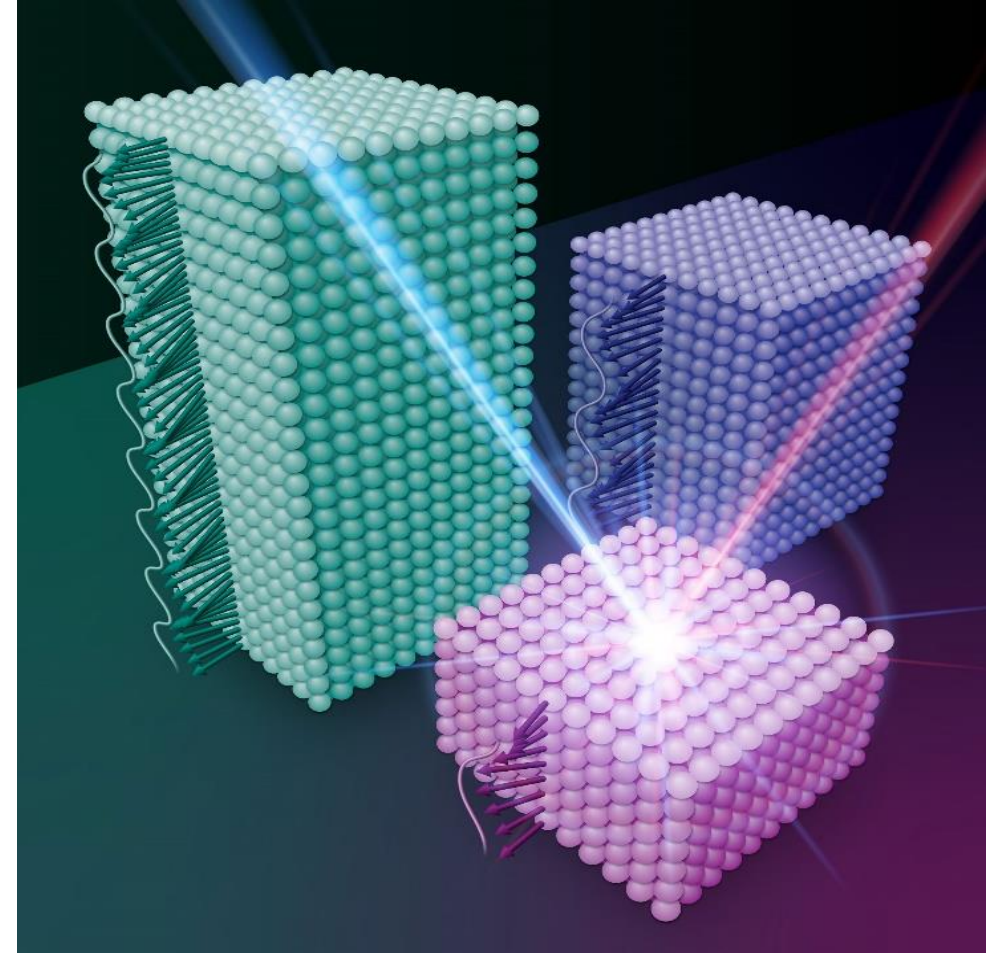
- The **geometrical confinement** causes the softening of the spin spin excitations // [001] while leaves them unchanged // [100]
- Tunability of **$E(q)$ vs film thickness N** can be used to gain control of spin excitations energy in magnetic films for future devices.



Thickness of magnetic medium can be optimized to match the frequency/energy transmitted by the antenna

Summary

- RIXS results from thick (~ 30 nm) film are consistent with INS data measured on bulky single crystal (~ 40 mm)
- Thanks to high resolving power and high sensitivity of RIXS, spin-excitations could be detected in 1nm thin sample for the first time
- In Fe films with thickness $N < 10$ nm, the spin-excitations present clear changes w.r.t. the bulk
- Anisotropic evolution of the spin dispersion $E(q)$ between [001] and [100]: softening along [001] for $N < 10$ and invariance along [100]
- This result is understood as the effect of geometrical confinement due to the reduction of Fe-layers
- Film thickness can be used as a knob to manipulate $E(q)$ and optimize magnetic materials for future devices



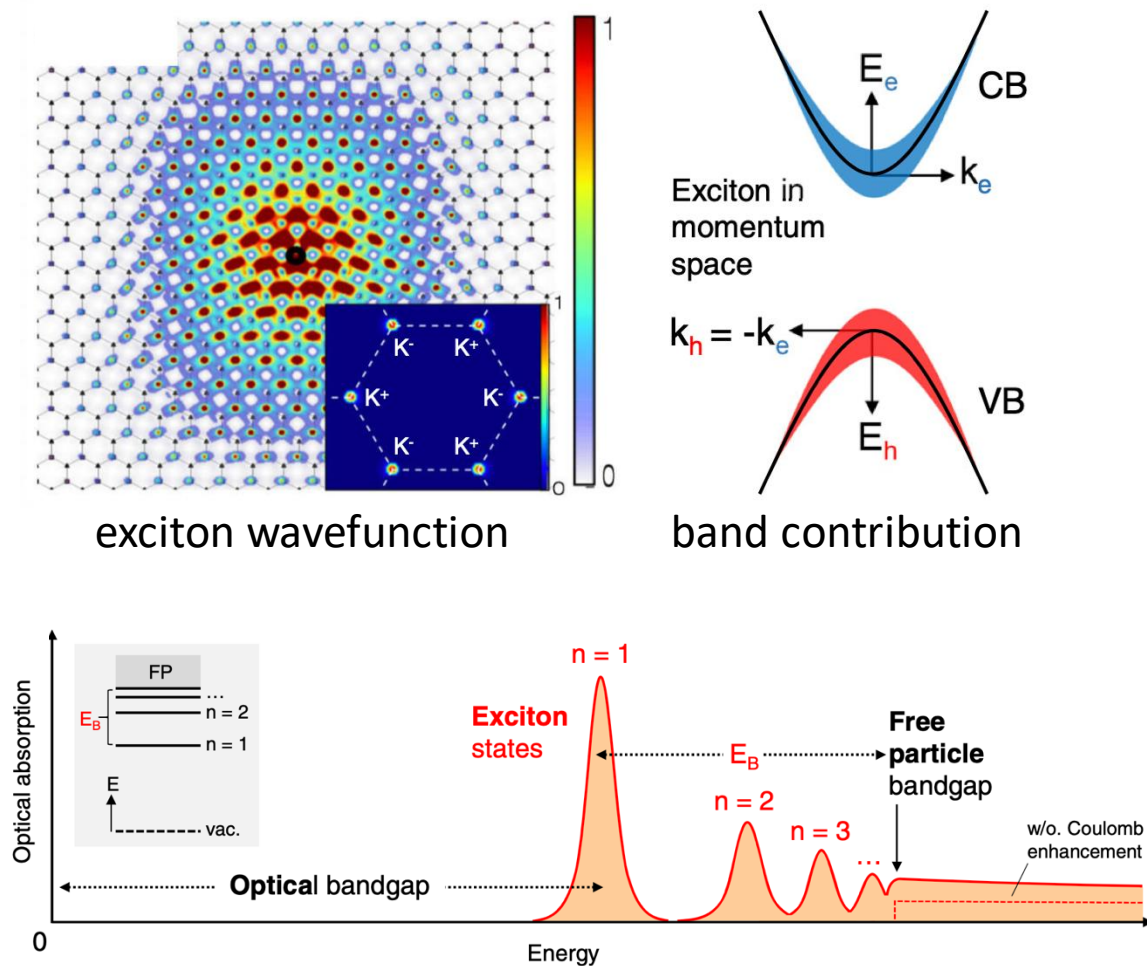


Outline:

- Some view of light matter interaction
- X-ray Sources
- Specifics of Resonant Inelastic X-Ray Scattering
- **Examples of RIXS studies**
 - Novel superconductors – Fan et al, Phys. Rev. Lett. 133, 206501
 - Experiments on thin magnets – Pellicciari et al, Nat. Mat. 20, 188
 - Excitons – Occhialini et al, Phys. Rev. X 14, 031007

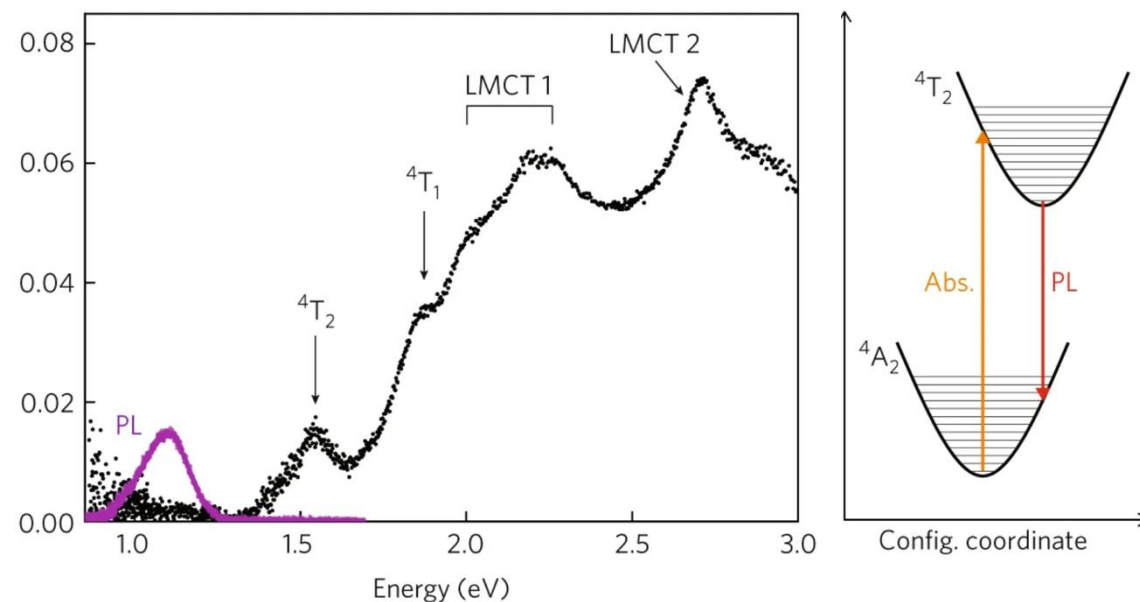
Excitons in 2D materials: Wannier vs. Frenkel

Extended Wannier excitons (e.g. TMDs)

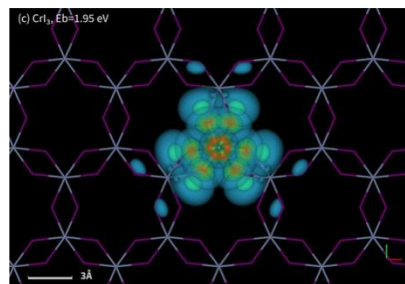


Rev. Mod. Phys. **90**, 021001 (2018)

Localized (Frenkel) 'excitons' (e.g. CrI_3)

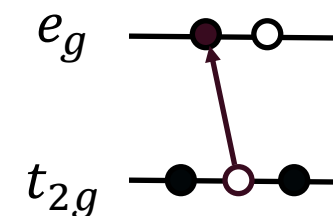


Localized to TM site



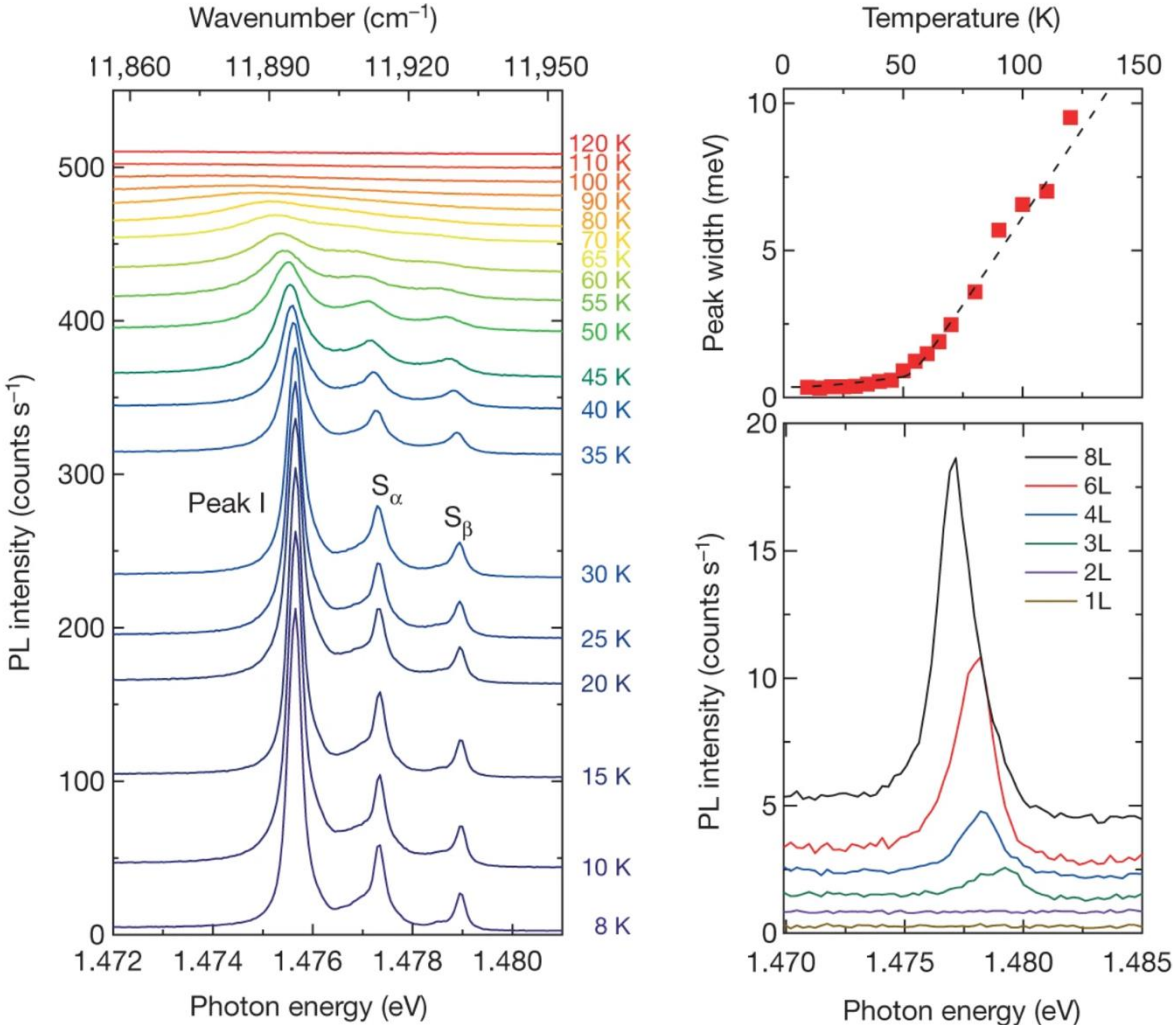
npj 2D Mat. **6**, 33 (2022)
Nat. Phys. **14**, 277 (2018)

dd or ligand-field transitions

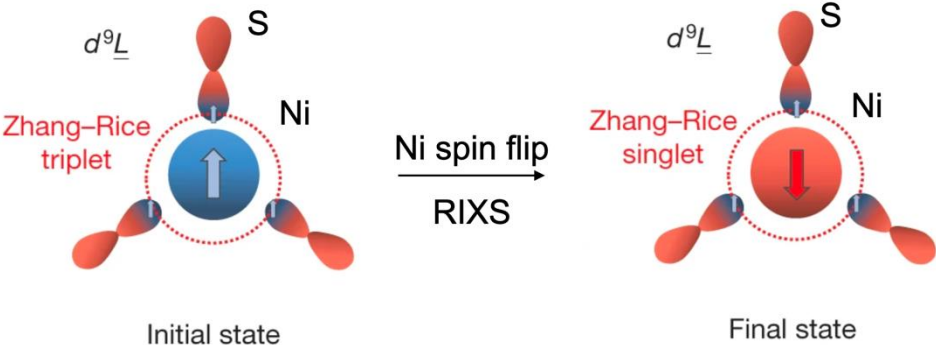


Sharp optical excitations in van der Waals magnet NiPS_3

Sharp excitons below $T_N \sim 155 \text{ K}$ in NiPS_3

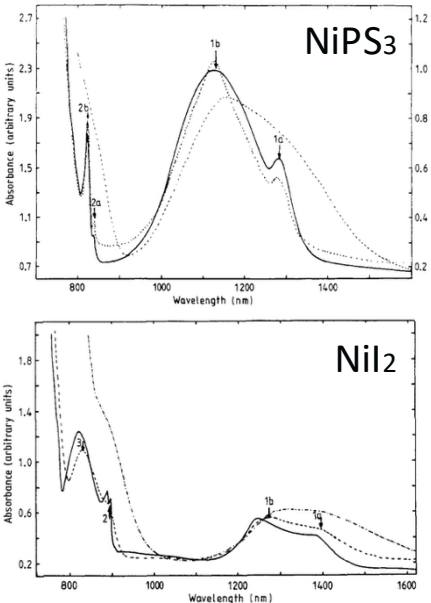


Interpretation: Zhang-Rice analog Frenkel-type exciton with large Ni-S charge transfer contribution



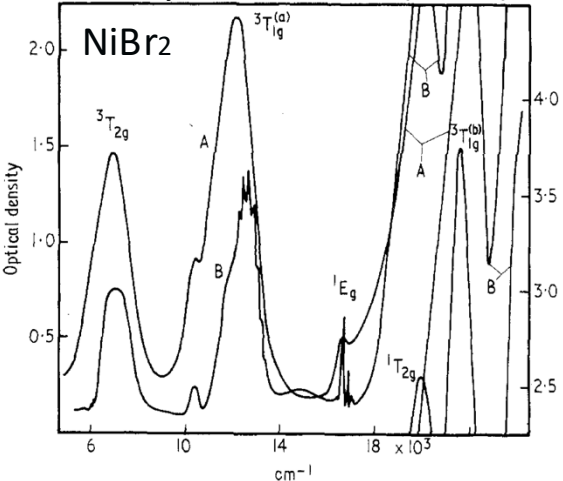
versus...

J. Phys. C, **19**, 7329 (1986)



Ligand field spectra of Ni^{2+} systems

J. Phys. C, **5**, 1253 (1972)



Dual importance of 'magnetic excitons'

(1) magnetic characterization of vdW magnets

Nat. Mat. **20**, 964-970 (2021).

Nat. Nano **16**, 655-660 (2021).

Adv. Mat. **35**, 2207585 (2023).

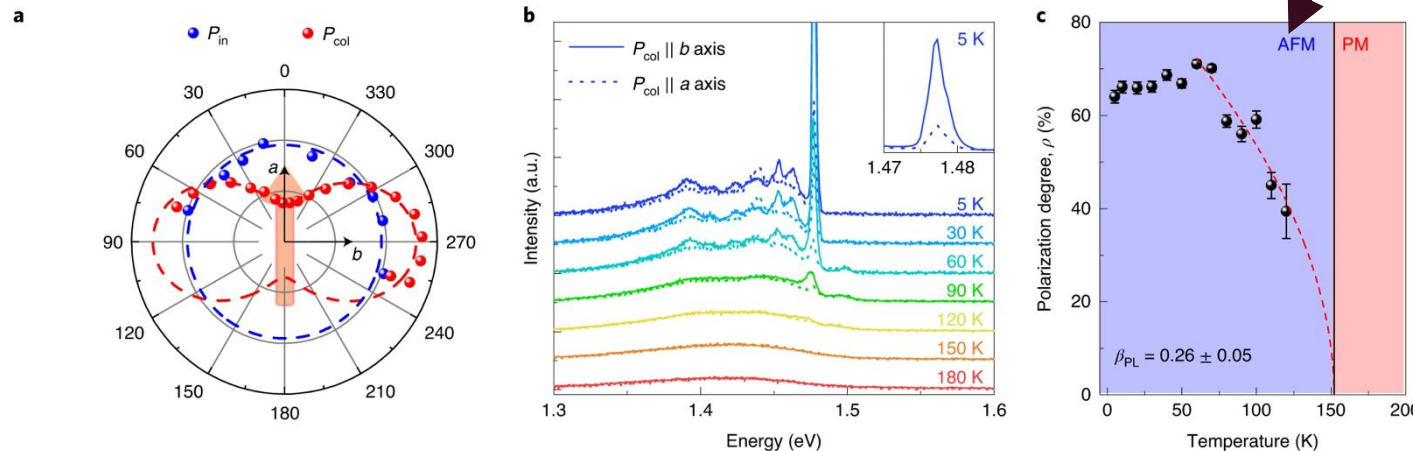
(2) photo-induced magnetic effects

Nat. Comm. **12**, 4837 (2021).

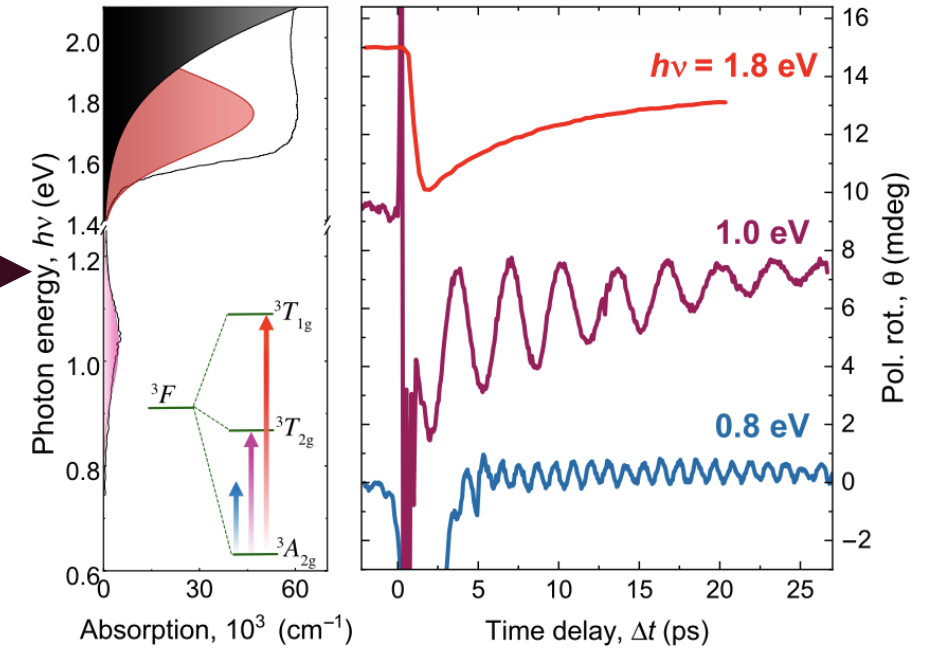
Nat. Nano. **17**, 1060-1064 (2022).

Nat. Comm. **13**, 98 (2022).

Sci. Adv. **7**, eabf3096 (2021).



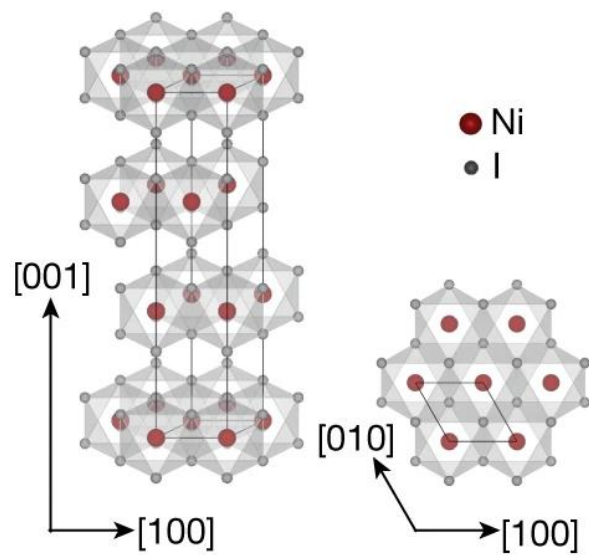
linear polarized PL emission for detecting magnetic order/
local spin degree of freedom to few-layer limit



Sci. Adv. **7**, eabf3096 (2021).

driving below gap ligand field transitions for
selective excitation of coherent magnons

Nickel dihalides - isostructural tuning of charge transfer

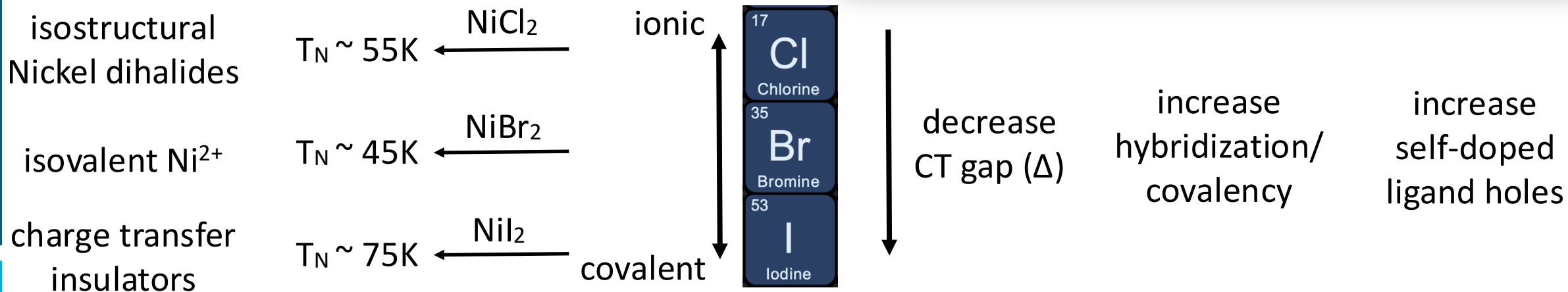


Outstanding Questions

Goal 1: Effect of ligand holes and microscopic origin

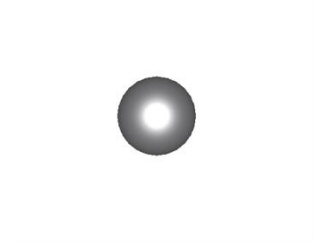
Goal 2: Effect of magnetic order

Goal 3: Intersite coupling mechanisms or properties beyond localized transitions



Ingredients of Charge Transfer Multiplet Theory

Ni²⁺ ion ($3d^8$)

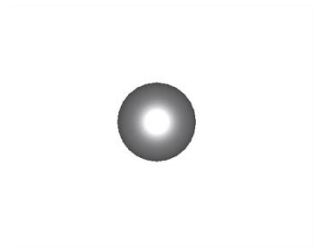


Electronic correlations
(e.g. Hund's exchange)

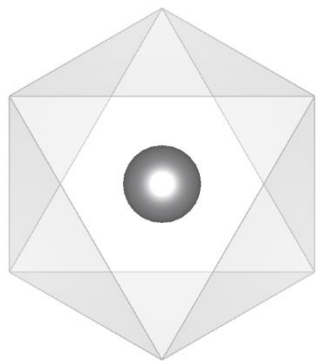
$3d^8$ ———

Ingredients of Charge Transfer Multiplet Theory

Ni²⁺ ion (3d⁸)

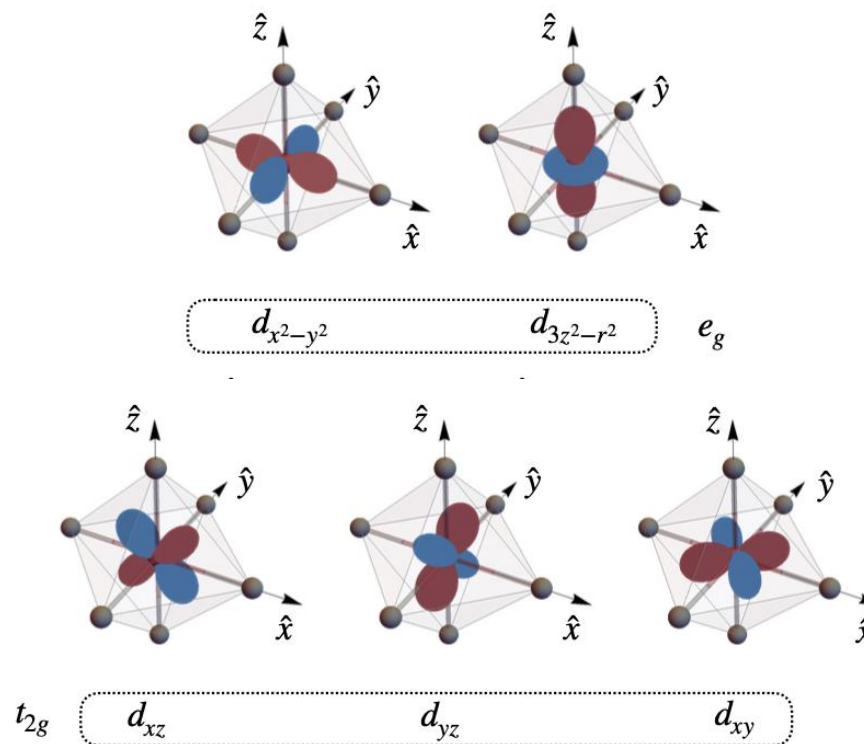
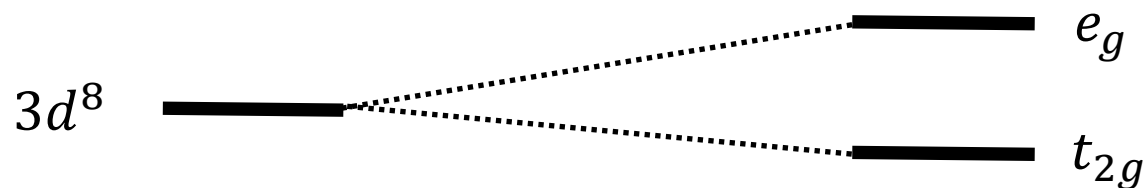


O_h crystal field



Electronic correlations
(e.g. Hund's exchange)

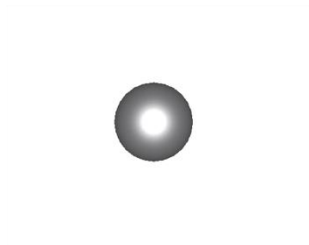
3d orbital degeneracy
breaking



Ingredients of Charge Transfer Multiplet Theory

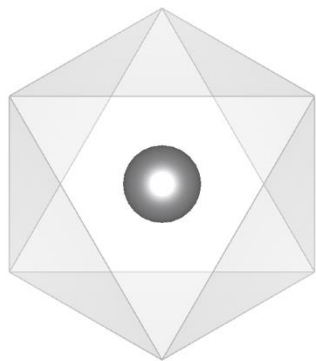
18

Ni^{2+} ion ($3d^8$)



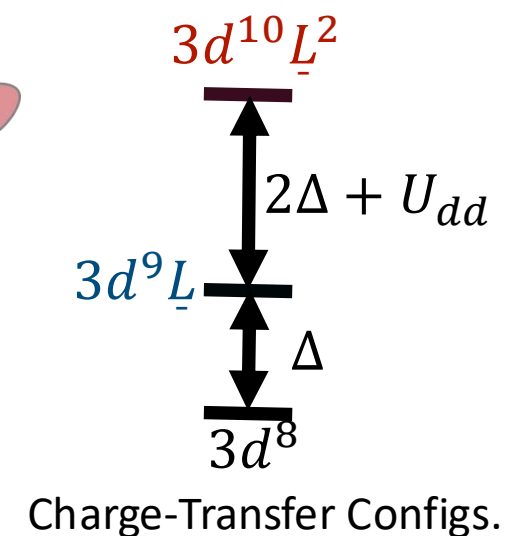
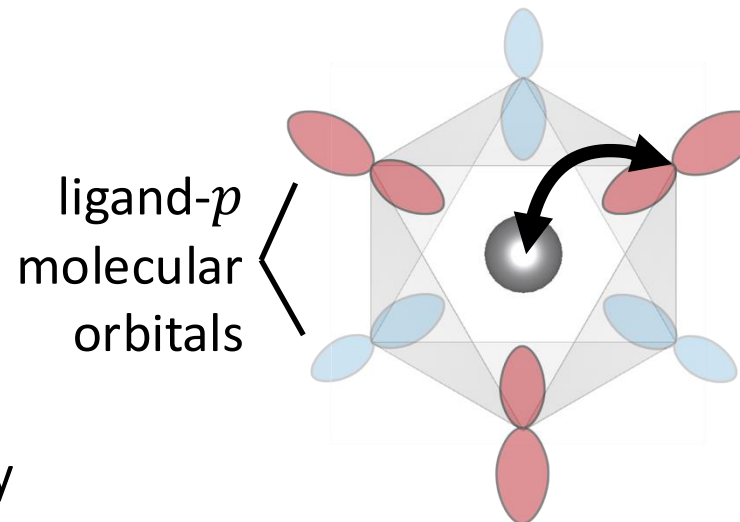
Electronic correlations
(e.g. Hund's exchange)

O_h crystal field



$3d$ orbital degeneracy
breaking

Ligand-Metal Charge Transfer

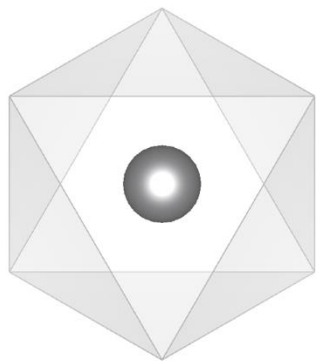


Ingredients of Charge Transfer Multiplet Theory

Ni²⁺ ion (3d⁸)

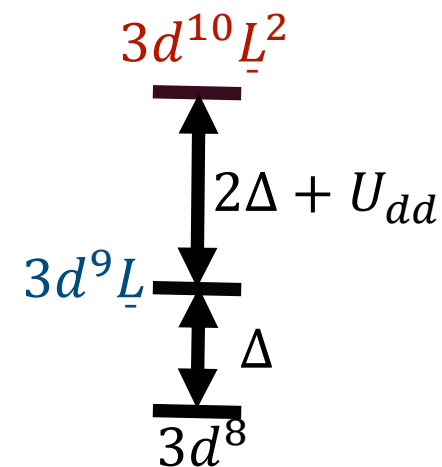
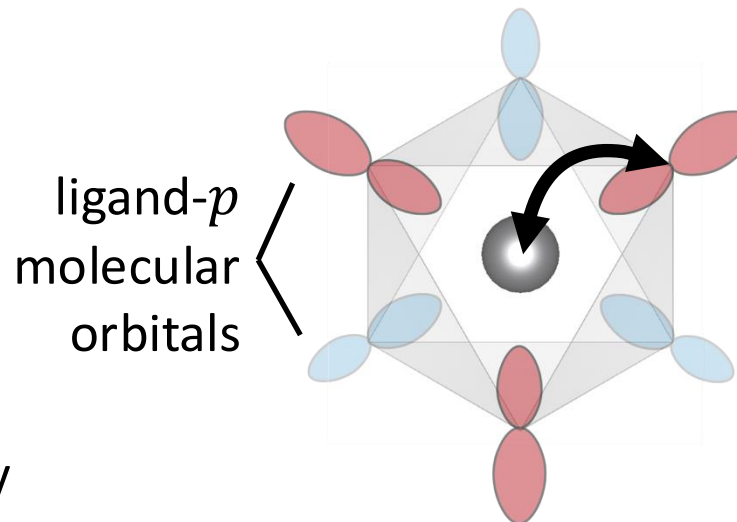


O_h crystal field



3d orbital degeneracy breaking

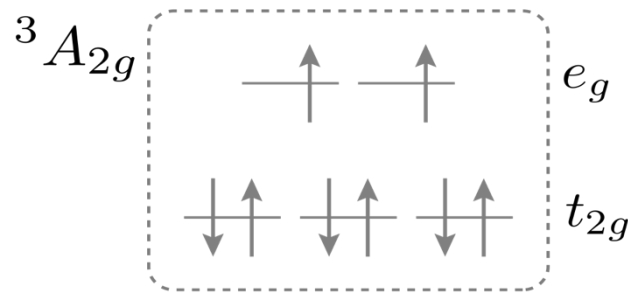
Ligand-Metal Charge Transfer



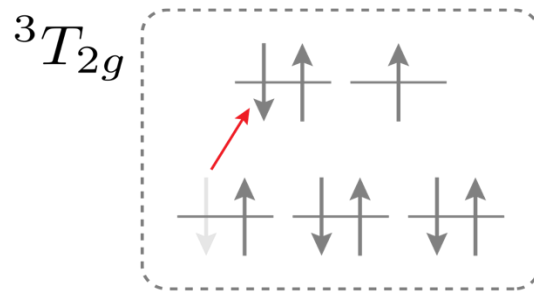
Charge-Transfer Configs.

Electronic correlations
(e.g. Hund's exchange)

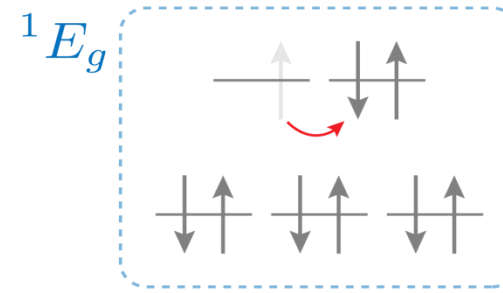
dd Excitations (Multiplets) of O_h Coordinated Ni²⁺



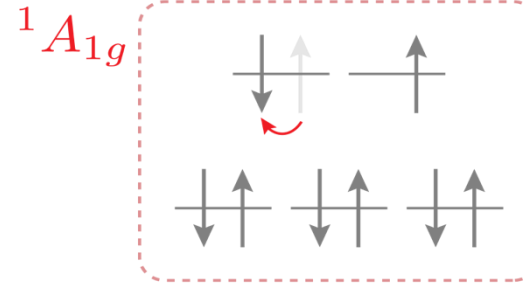
Ground State



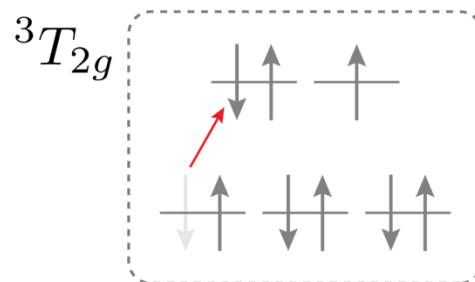
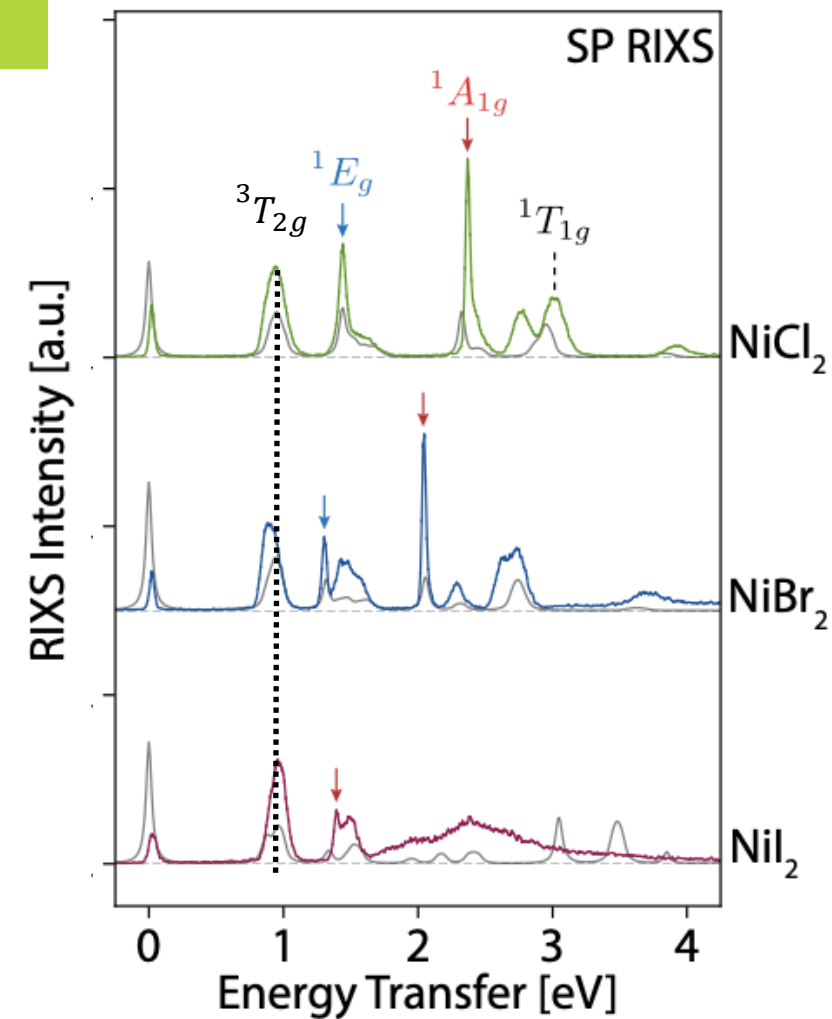
Crystal Field Exc. (ΔS = 0)



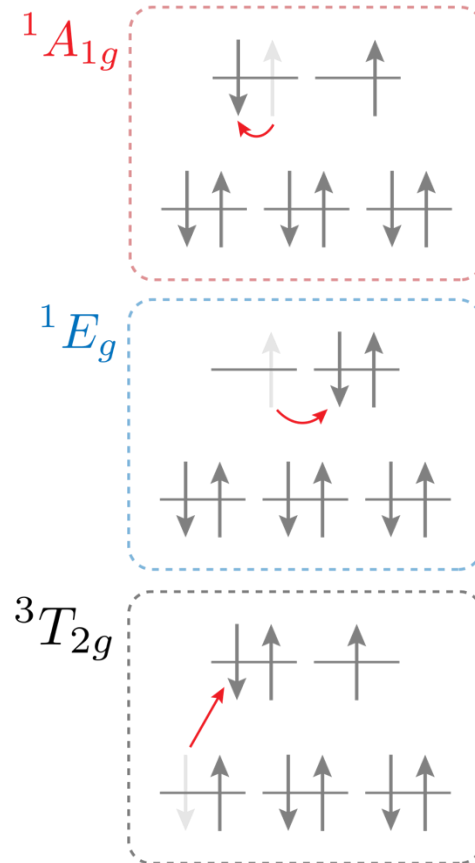
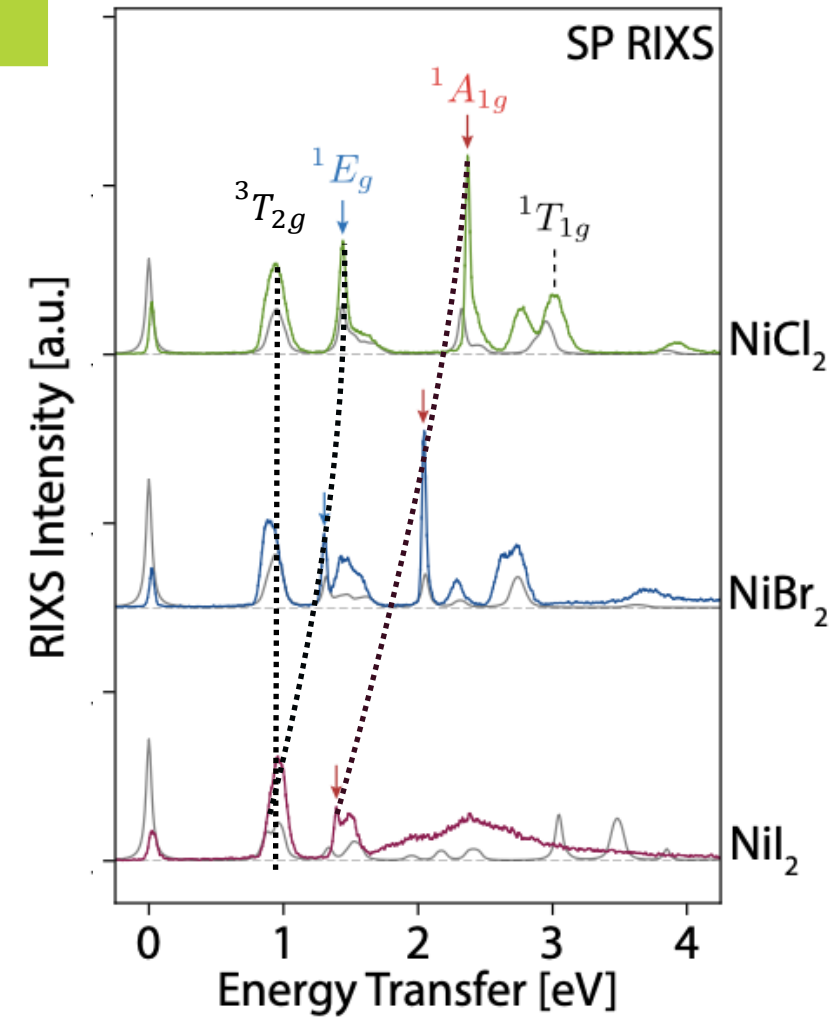
Intra-Configurational ΔS = 1



Ligand-dependence of excitation spectra

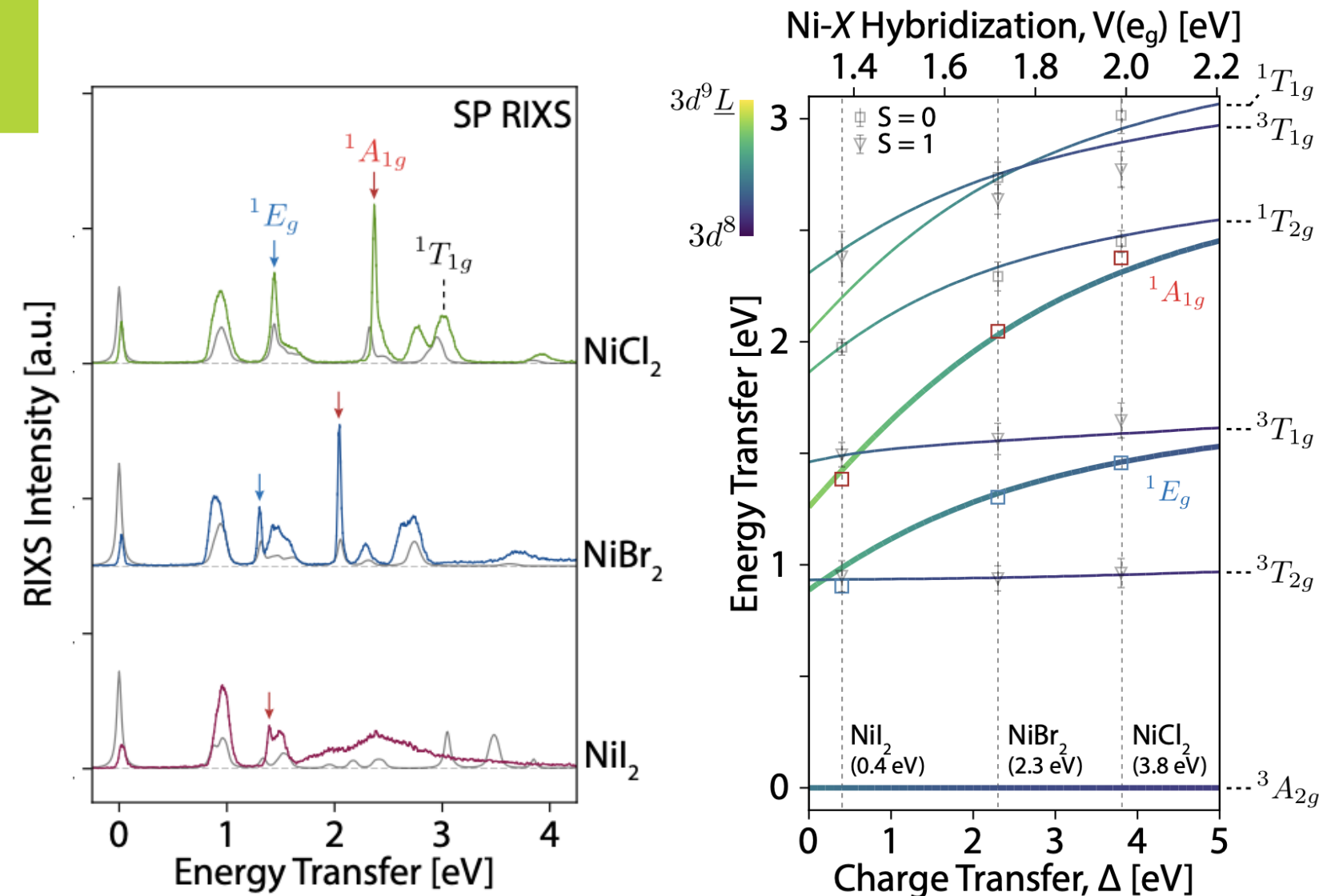


Ligand-dependence of excitation spectra



Sharp excitations observed in all samples with near resolution-limited linewidth

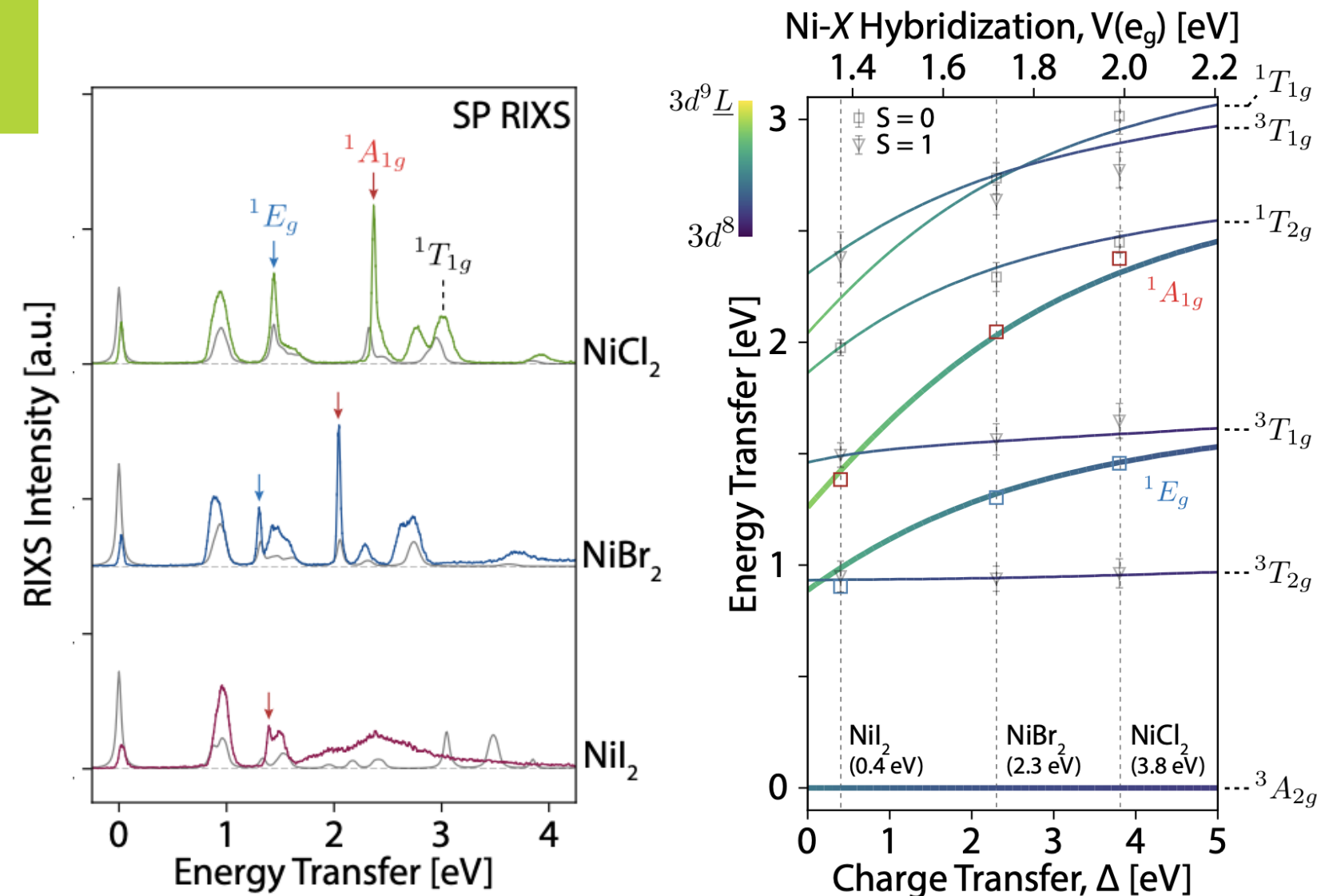
Ligand-dependence of excitation spectra



Sharp excitations observed in all samples with near resolution-limited linewidth

Assignment: spin-forbidden ($\Delta S = 1$) intra-configurational multiplets of octahedral Ni^{2+} (universal origin)

Ligand-dependence of excitation spectra



Sharp excitations observed in all samples with near resolution-limited linewidth

Assignment: spin-forbidden ($\Delta S = 1$) intra-configurational multiplets of octahedral Ni^{2+} (universal origin)

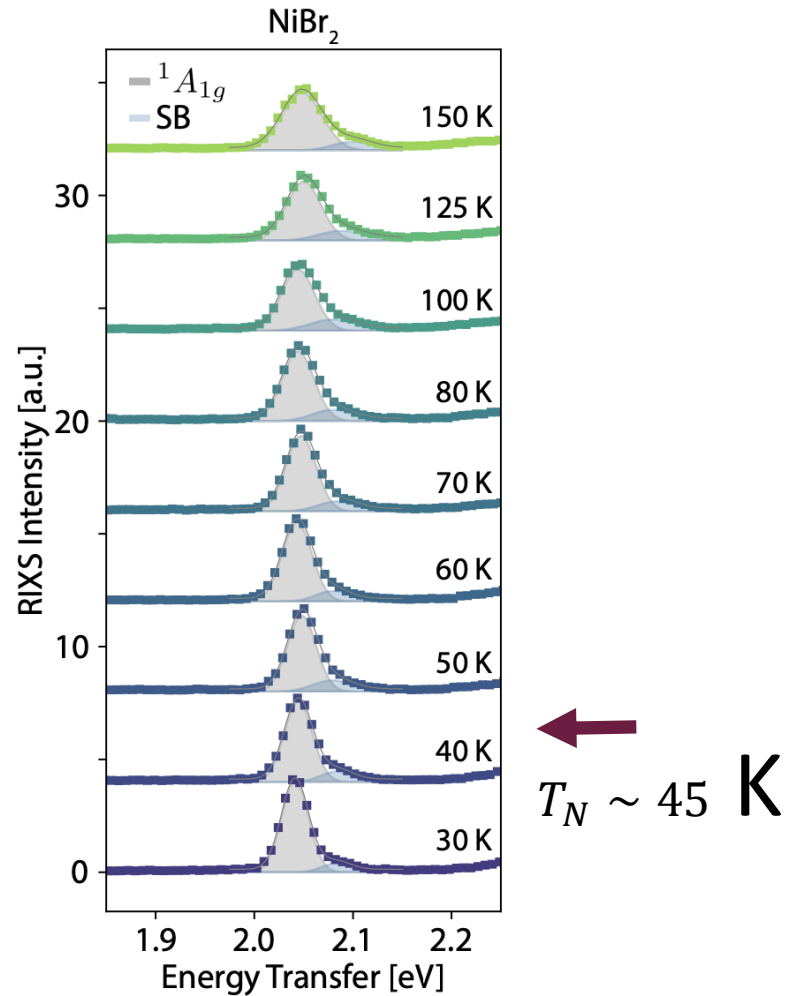
Energy scale: Ni Hund's exchange

Effect of Ni-X charge transfer
 $\sim$ Coulomb interaction screening
 $\sim$ "Nephelauxetic effect"

Explains ligand dependence and sharp linewidths

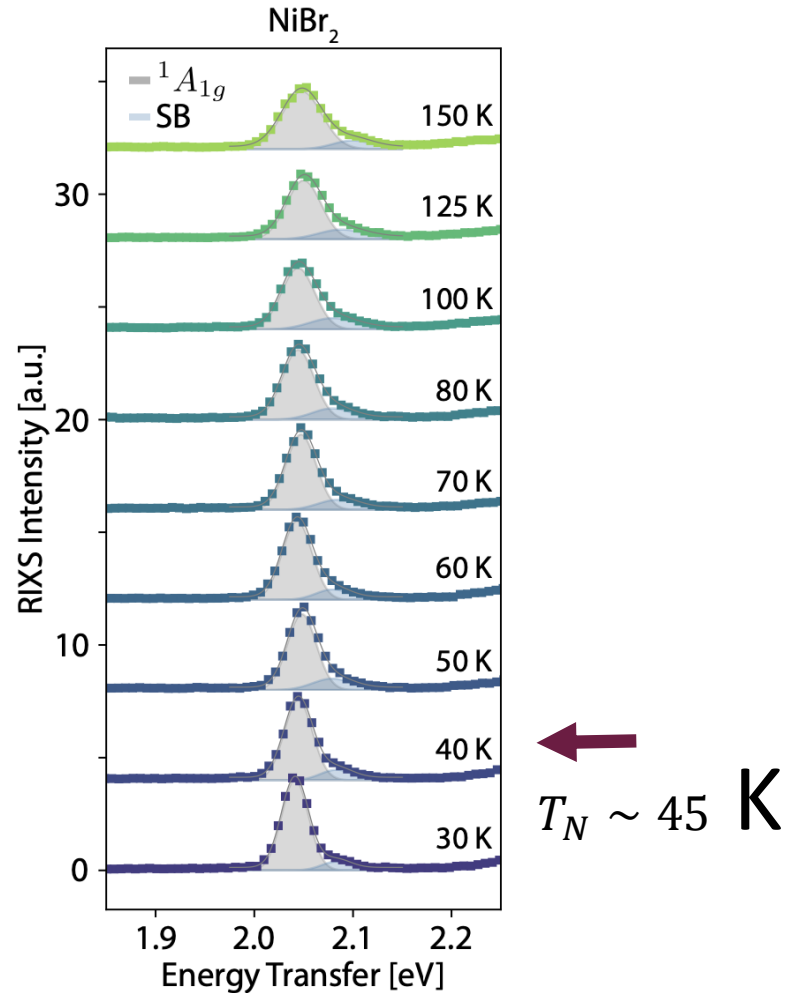
Temperature and momentum dependence of $^1A_{1g}$ states in NiBr_2

Temperature Dependence



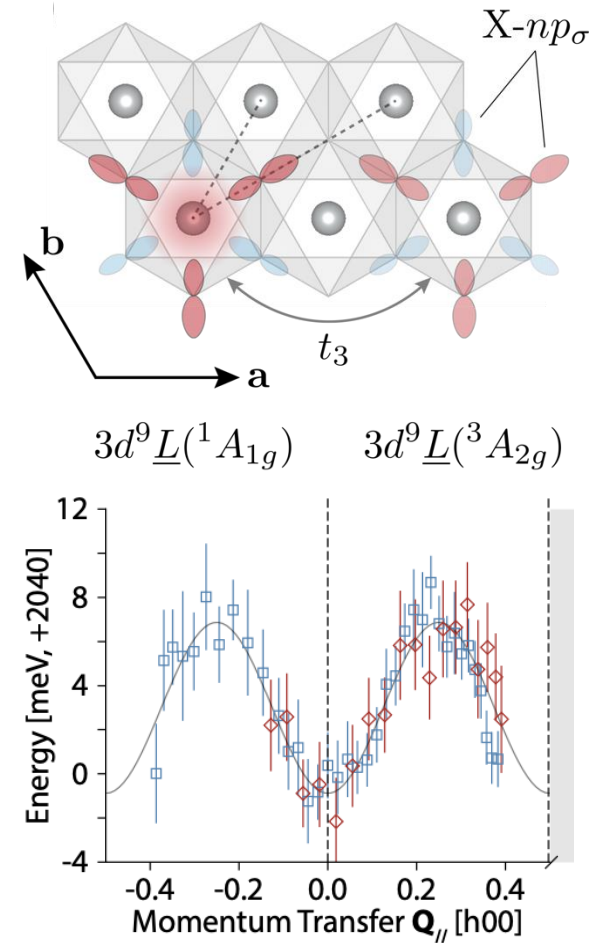
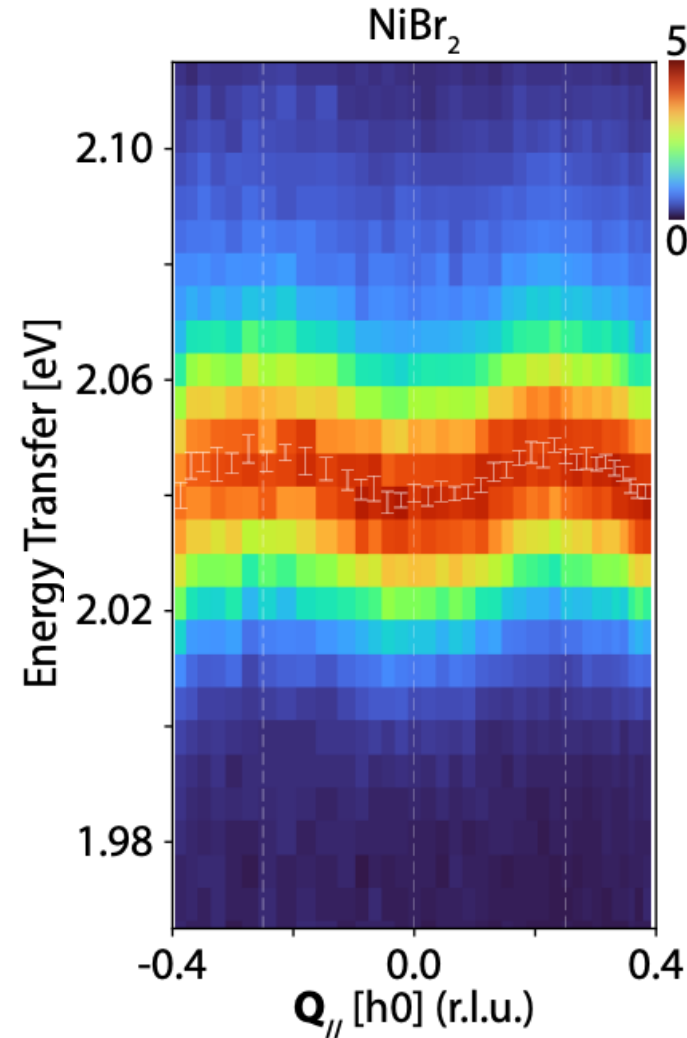
Temperature and momentum dependence of $^1A_{1g}$ states in NiBr_2

Temperature Dependence

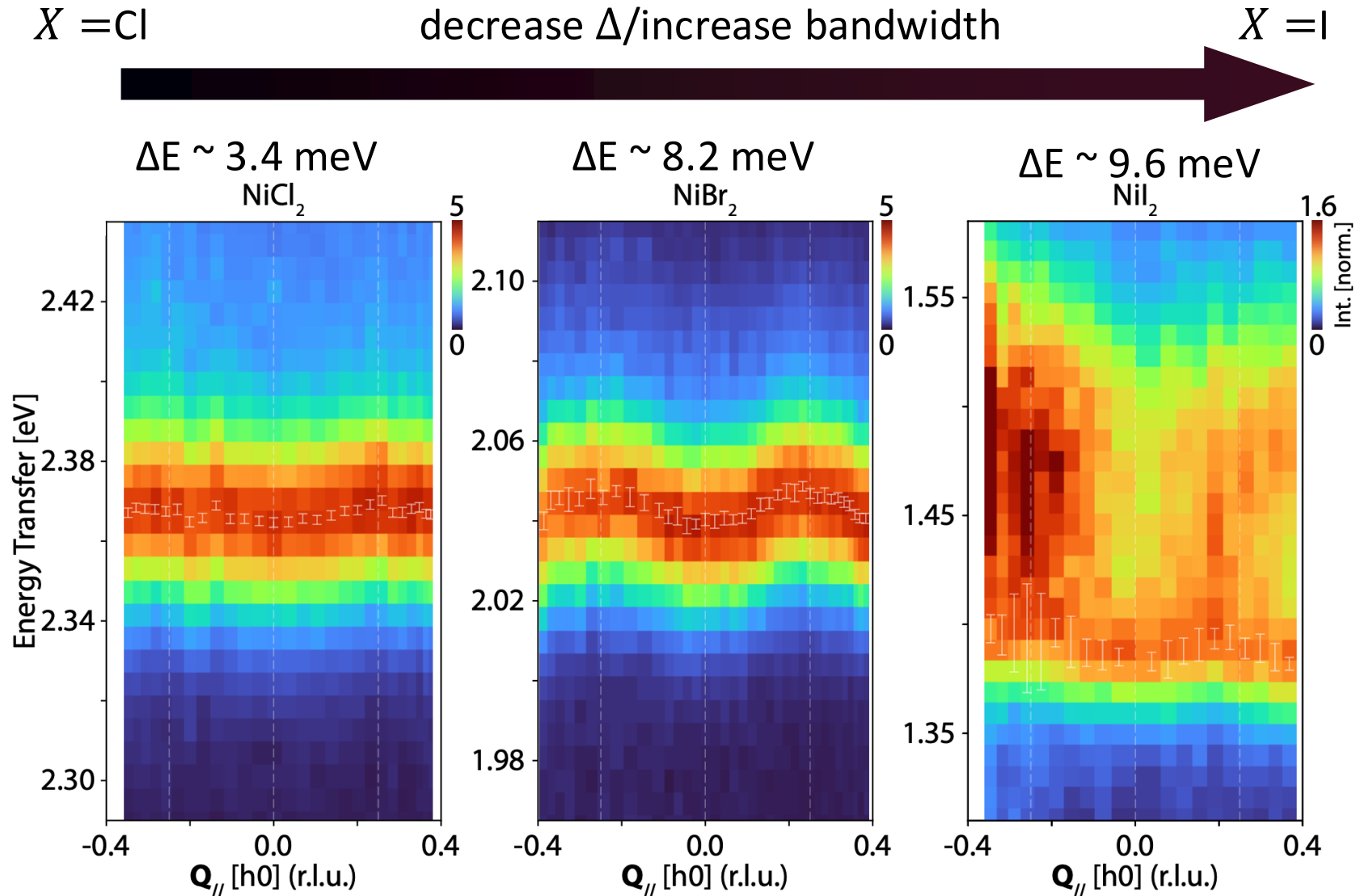


independent of magnetic order

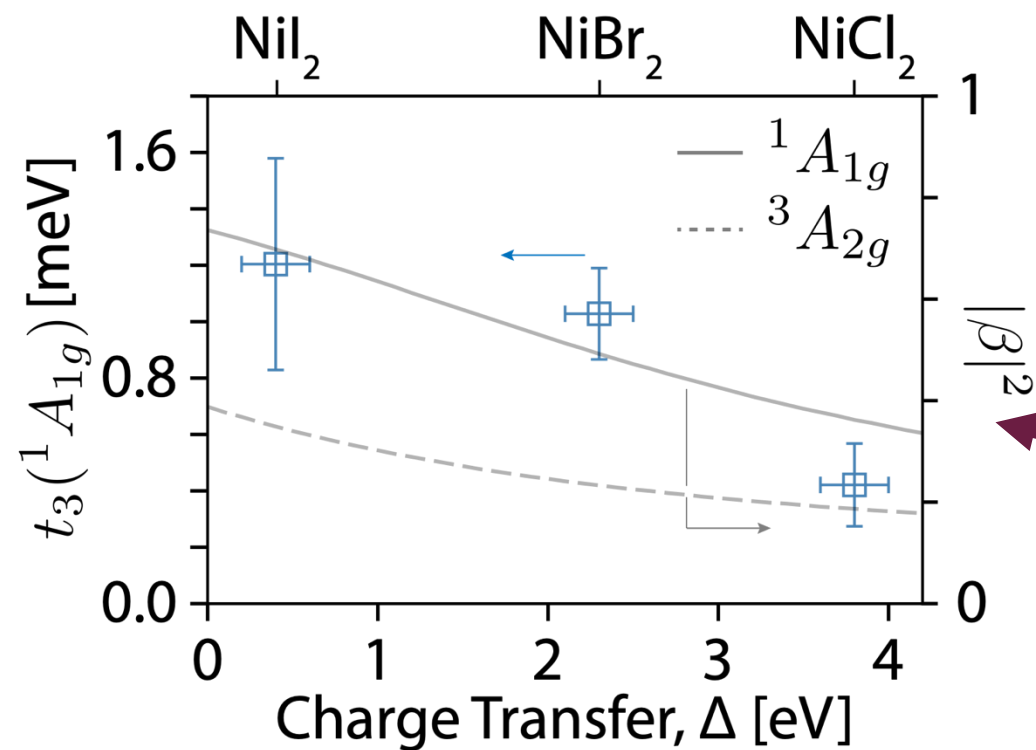
Momentum Dispersion



Momentum-dependence of $^1A_{1g}$ states versus ligand



Charge-transfer tuned exciton delocalization

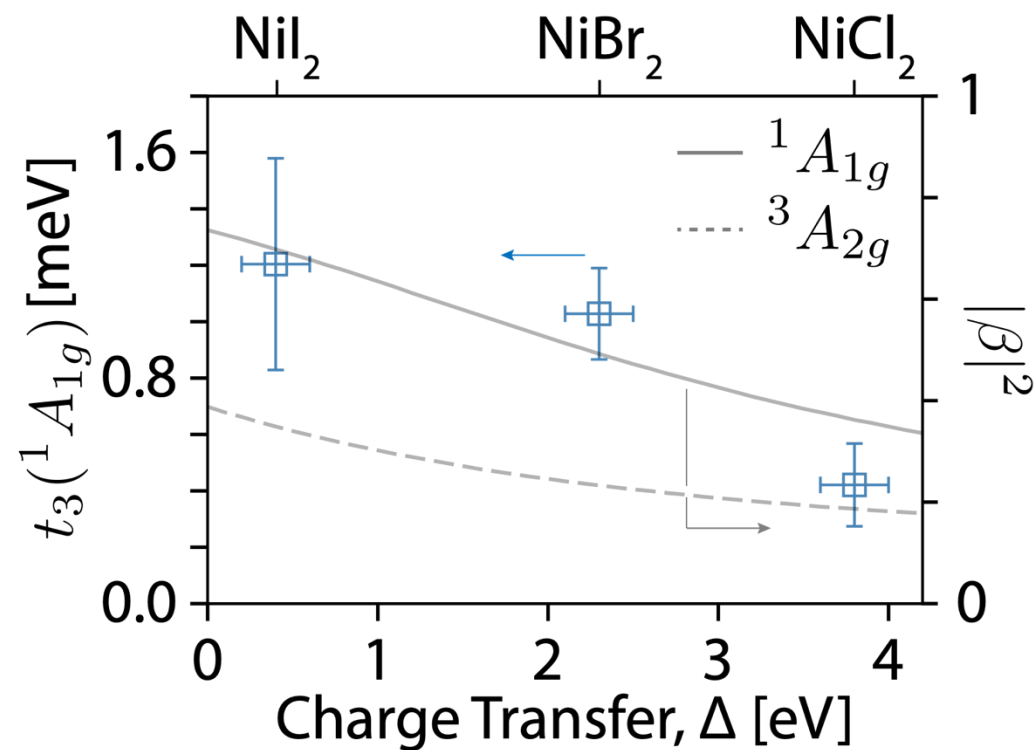


from CTM calculations of level diagram...

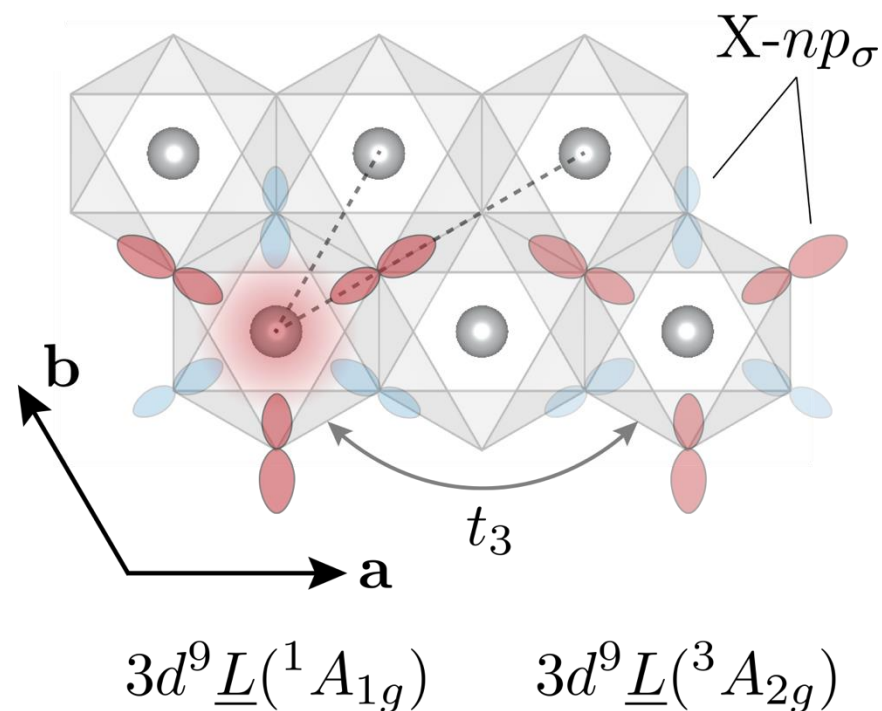
$$\Psi \rightarrow \alpha|3d^8(\psi)\rangle + \beta|3d^9\bar{L}(\psi)\rangle$$

Delocalization tuned by charge transfer
energy and metal-ligand covalency

Charge-transfer tuned exciton delocalization

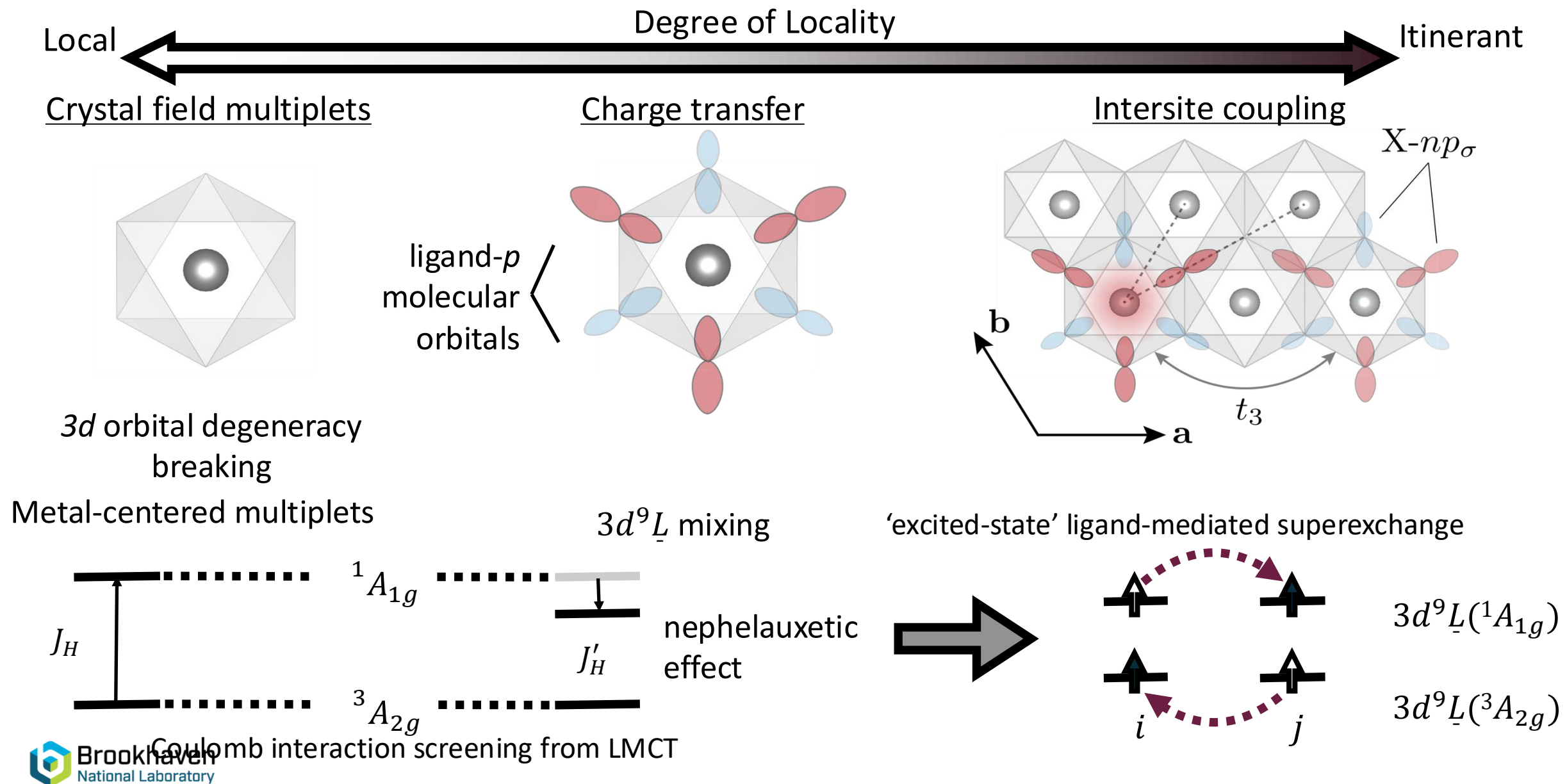


Delocalization tuned by charge transfer
energy and metal-ligand covalency

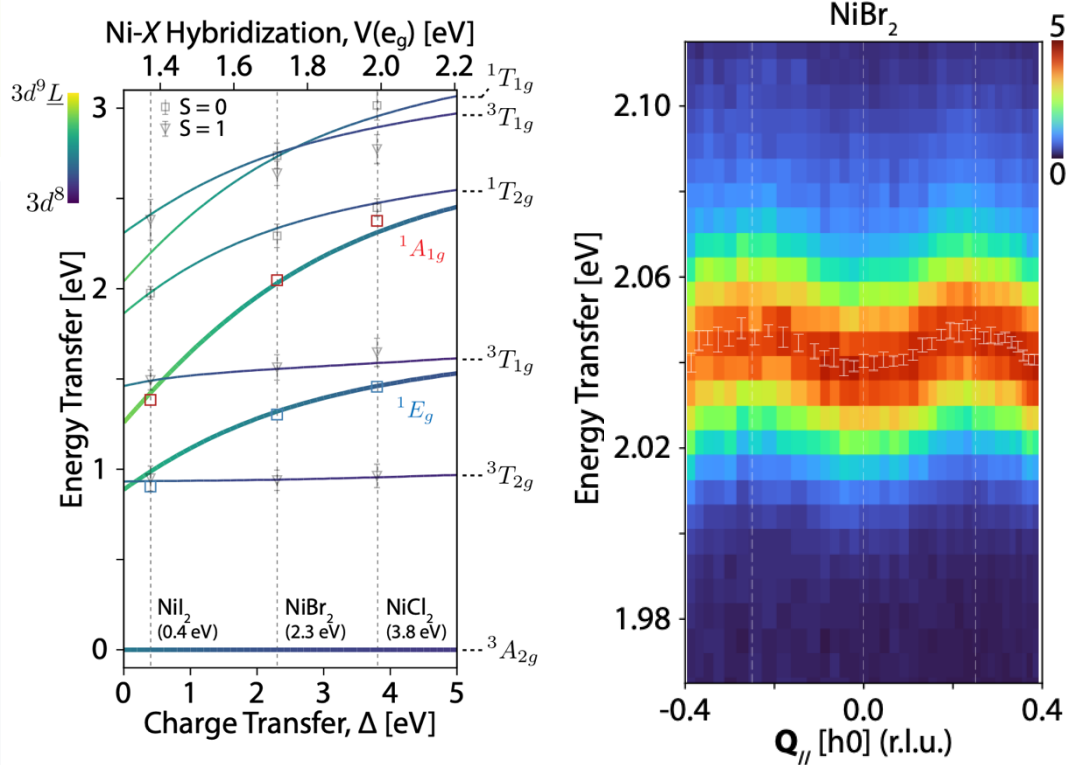


Third nearest neighbor delocalization pathway
mediated by self-doped molecular orbitals

Summary: Effects of charge transfer on localized multiplet excitations



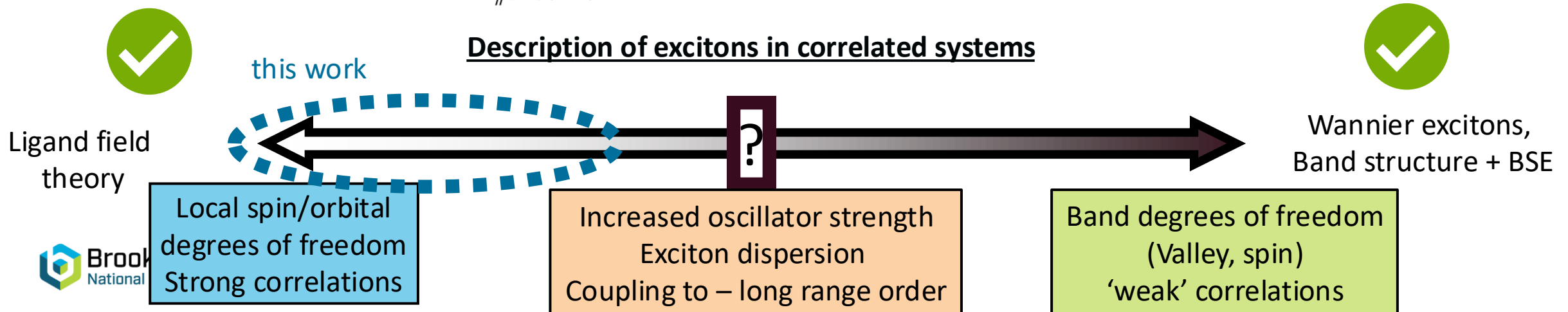
Summary and Outlook



Tuning and brightening of spin forbidden excitons

- Chemical tuning to establish origin of excitons
- Control energy/locality of excitons with charge transfer
- 'Excited-state superexchange' and $\mathbf{q}$ -resolved picture for non-local properties of Frenkel-type excitons
- Towards probing/controlling magnetism with photons

Description of excitons in correlated systems



Acknowledgements:



SIX Beamline Team

Shiyu Fan
Connor Occhialini
Yanhong Gu
Jiemin Li
Yifeng Cao
Tim Reeder
Ben Zager
Taehun Kim
Vivek Bhartiya
Valentina Bisogni
BNL
Claudio Mazzoli
Nazir Khan
Patrick Wasik

Yale University
Charles Ahn
Wenzheng Wei
Fred Walker



CUNY

Enrique Meijia
John M. Woods
Saroj B. Chand
Saifa Amin
Gabriele Grosso

Rutgers

Nazir Khan
Umesh Kumar



University of Cagliari
Fabio Bernardini



CNRS Grenoble
Andres Cano

This work is supported by the U.S. Department of Energy,
Office of Science, Materials Sciences and Engineering
Division



U.S. DEPARTMENT OF
ENERGY

Office of
Science

University of Zagreb
Osor Barisic
Andrey Mischenko



Nanjing University
Yuefeng Nie
Shengjun Yan
Jiangfeng Yang
Wenjie Sun
Yueying Li



Arizona State University

Antia Botana
Harrison La Bollita
Mark Blei
Seth Ariel Tongay



NIMS

Kenji Watanabe
Takashi Taniguchi



UniMore

Marco Govoni
Andrea Biondini
Martino Silvetti



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